

Roses and flowers: an informativeness implicature in probabilistic pragmatics

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30 May 2014

The empirical phenomenon

- Suppose that X is a superordinate term for x



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- Then coordinate phrases of the form

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- **Goals for the talk:**

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- Briefly investigate the construction's history



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- **Goals for the talk:**

- Briefly investigate the construction's history
- Establish what *roses and flowers* means



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- **Goals for the talk:**

- Briefly investigate the construction's history
- Establish what *roses and flowers* means
- Show why this construction is a theoretical challenge
- Show how rational speech-act theory meets this challenge

- Early attestations (COHA reaches back to 1800)

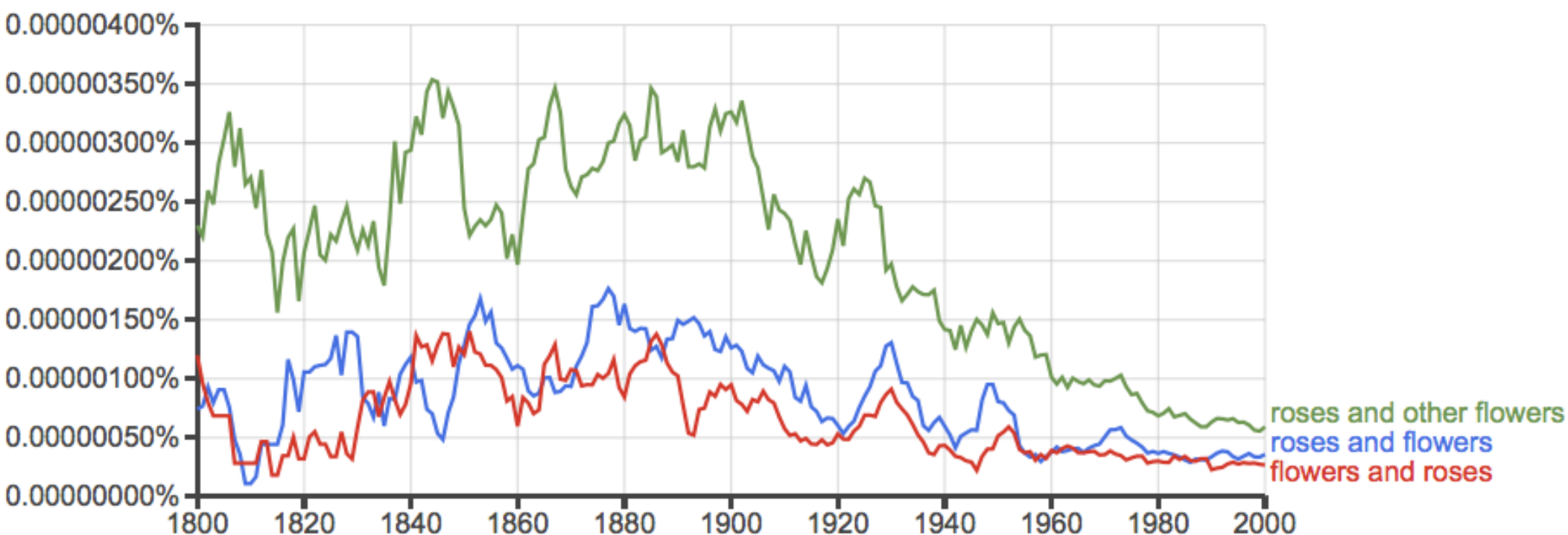
*[L]arge clusters...had been...tied to sundry nails and pegs...to form an arch of **flowers and roses**.*

(1856, Harriet Beecher Stowe, *Dred: A Tale of the Great Dismal Swamp*)

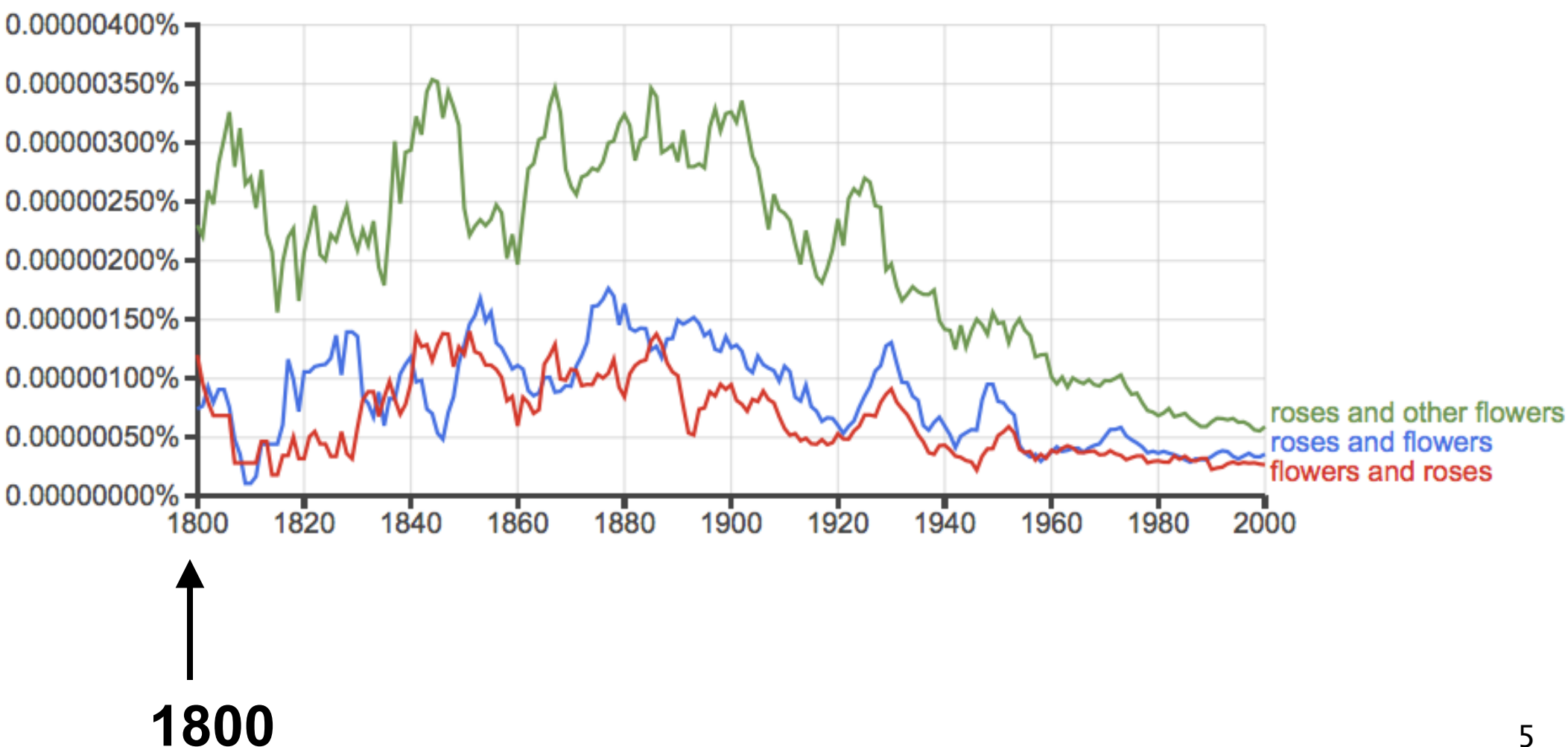
*It lies north-east and south-west, and its sides adorned with meadows, lofty **trees and firs**.*

(1812, John Pinkerton, *A General Collection of the Best and Most Interesting Voyages and Travels in All Parts of the World*)

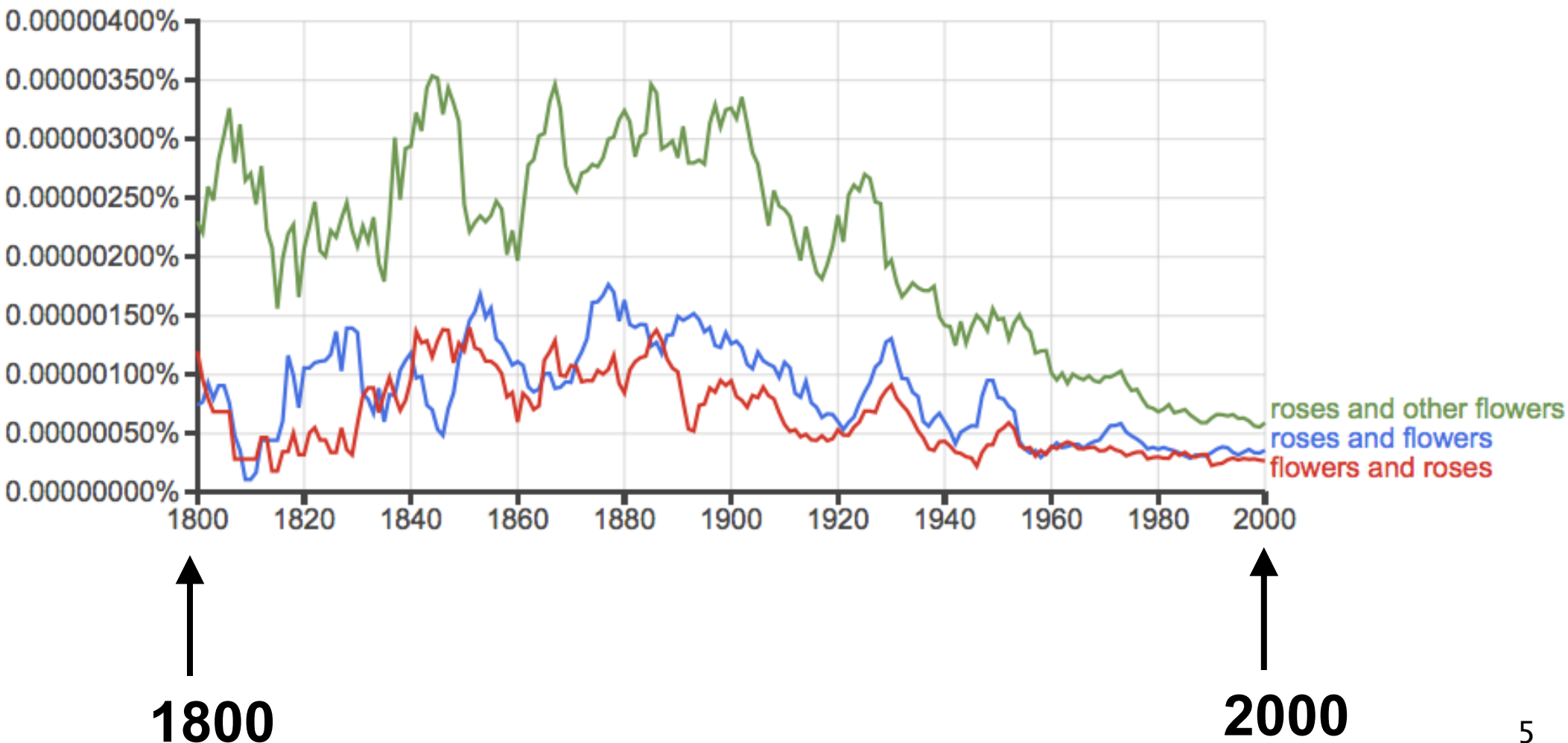
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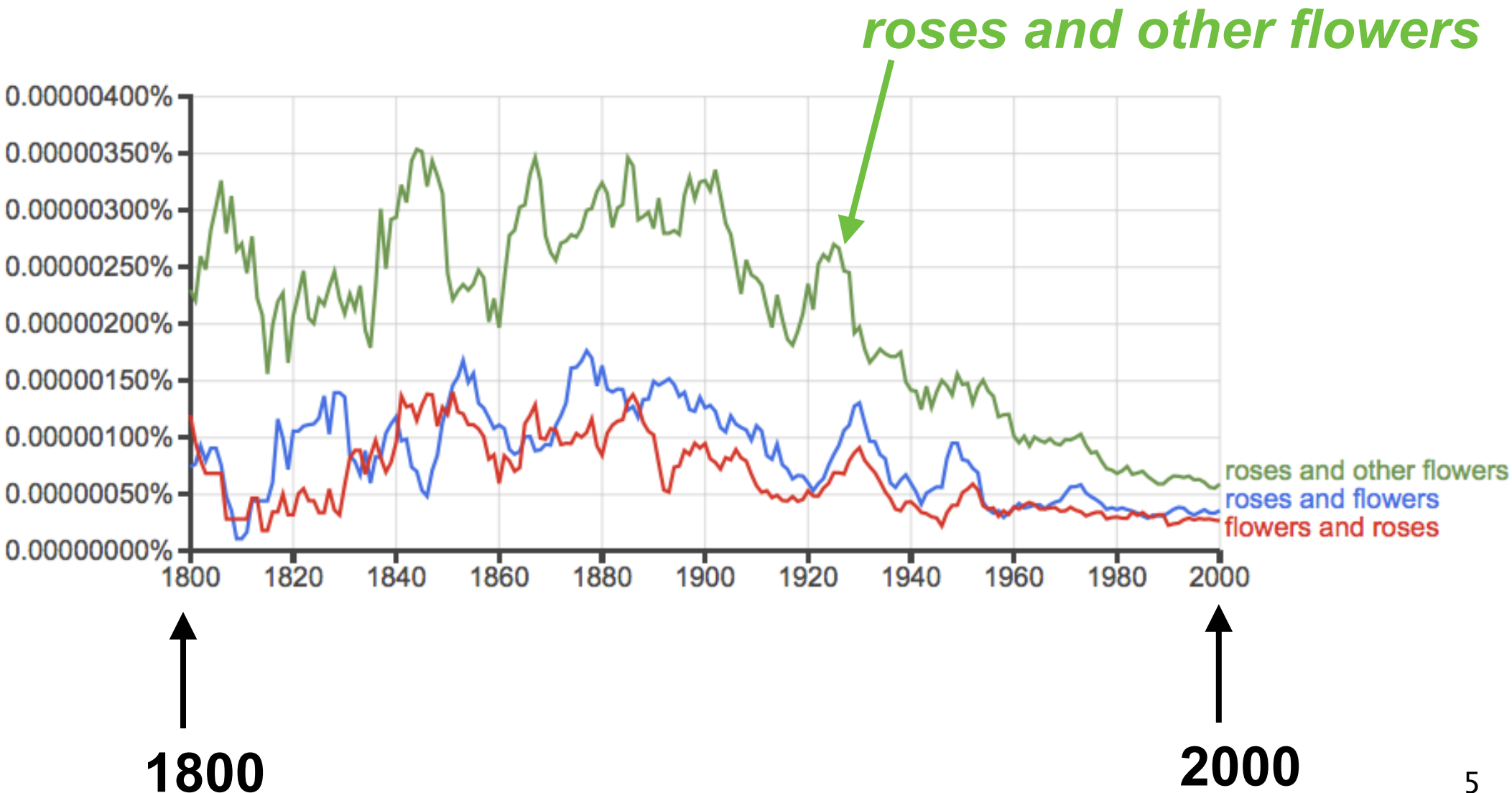
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Historical picture

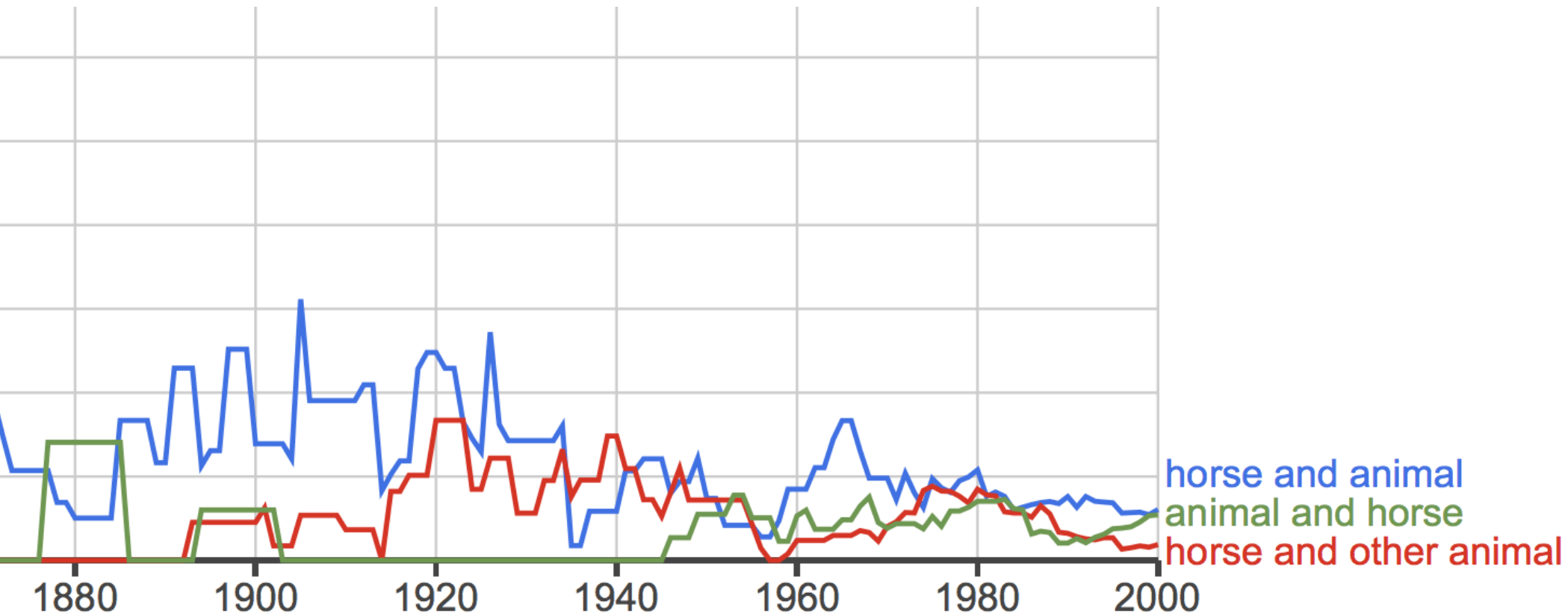
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What does *roses and flowers* mean?



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The road to the airport was lined with roses and flowers.

Q: *How many types of flowers do you think there were lining the road to the airport?*

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- Critical measurement: does a respondent answer with a number greater than one?

A simple experiment

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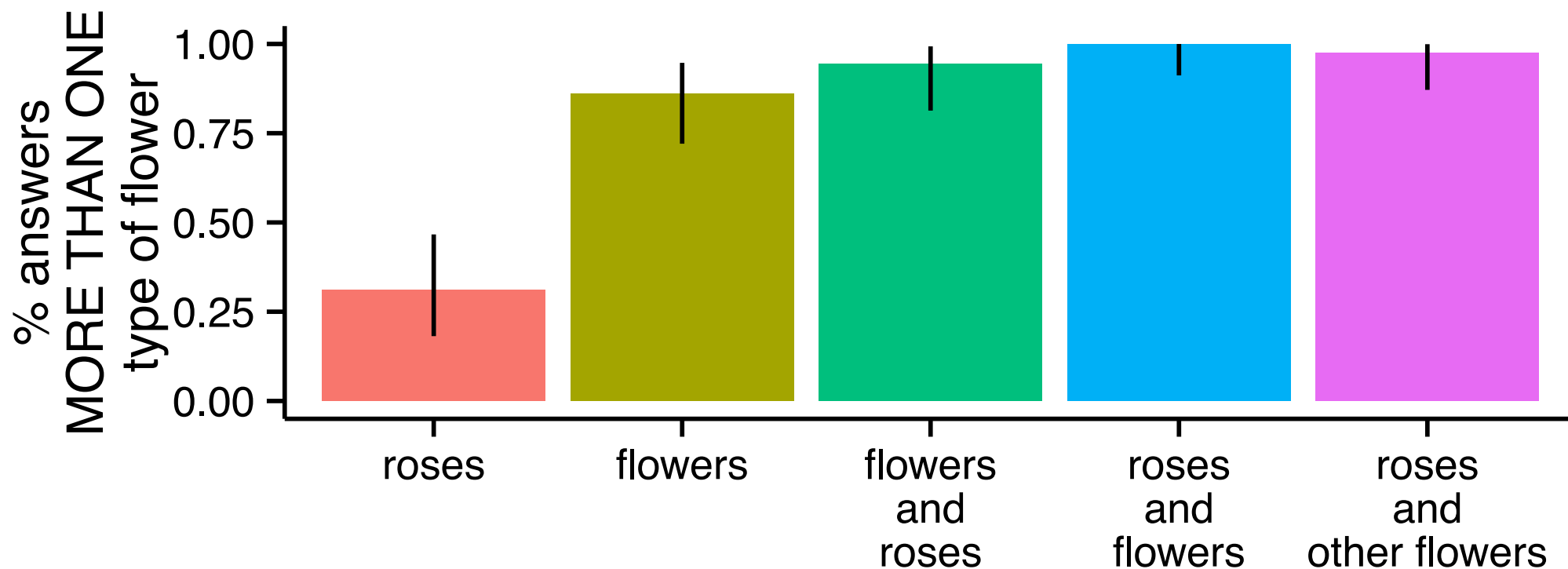
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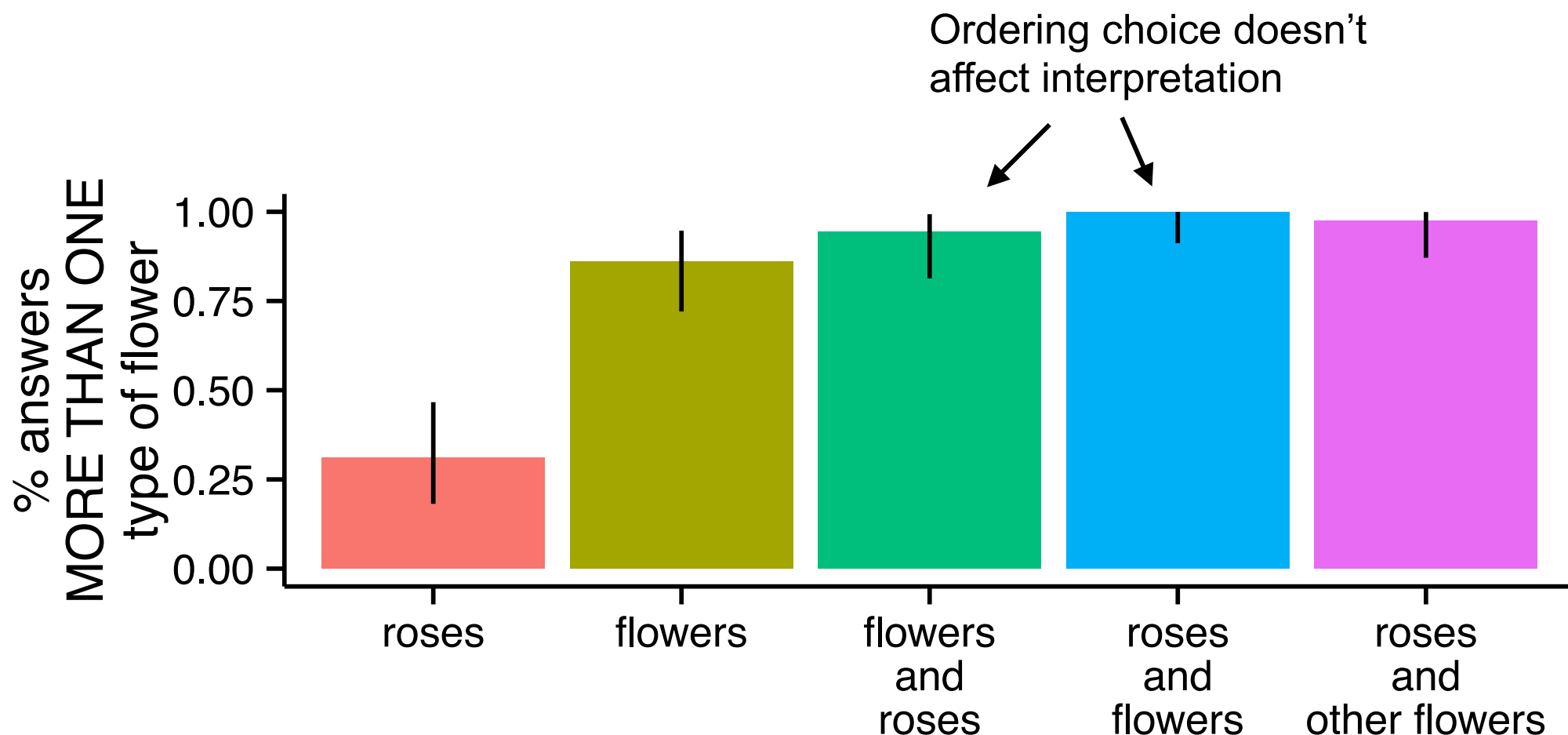
***Q:** How many types of flowers do you think there were lining the road to the airport?*

- 250 participants (50 per condition)

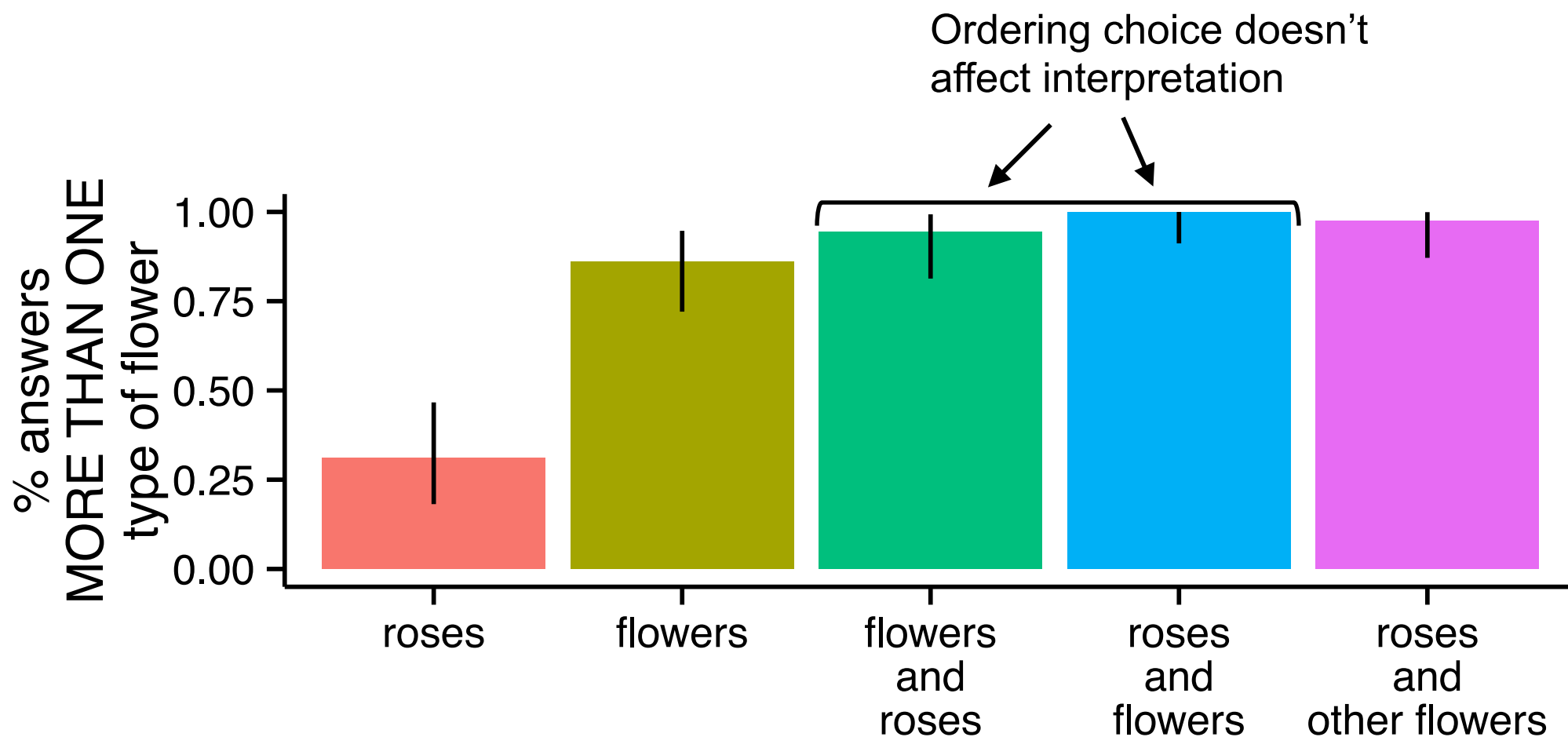
Experiment results (with 95% CIs)



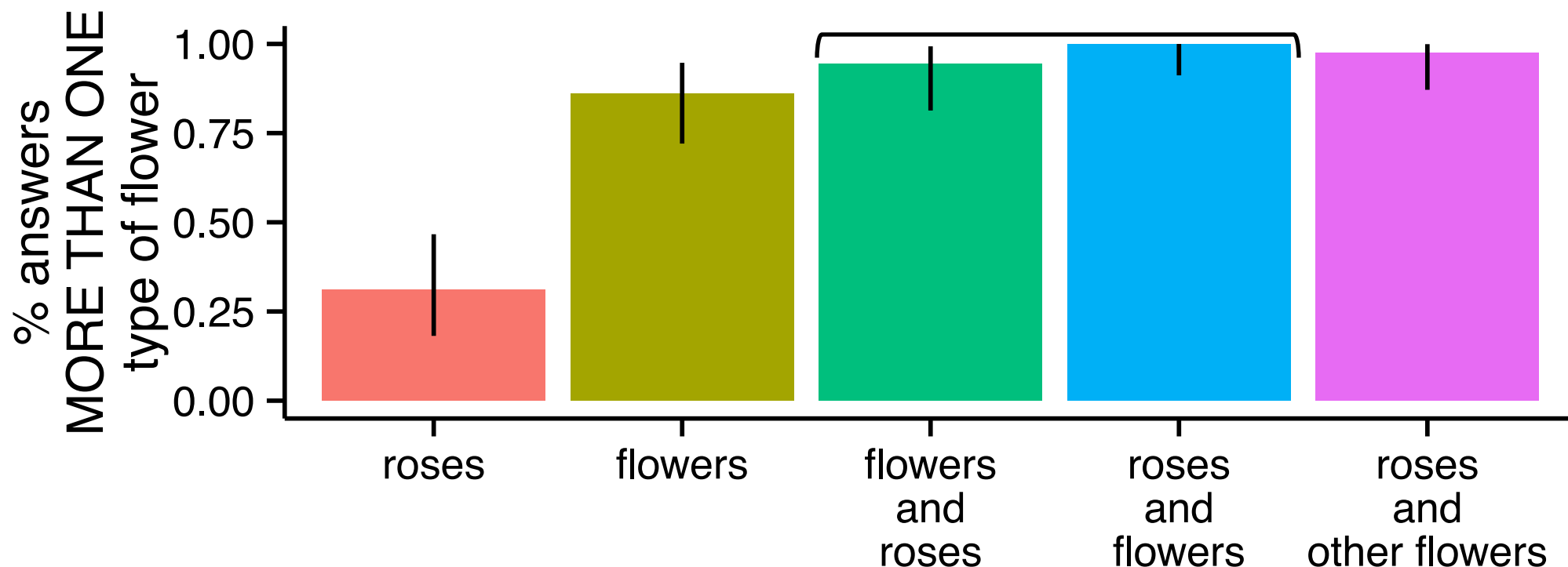
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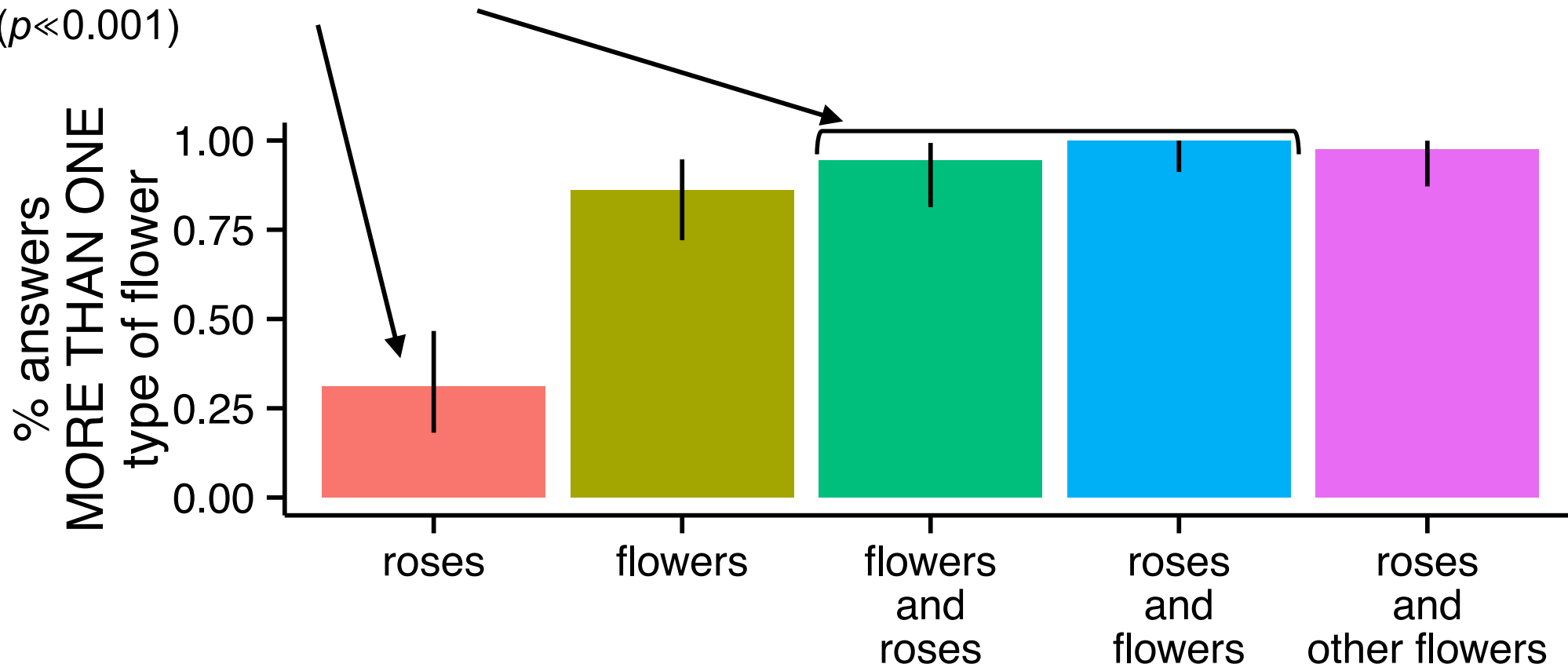
$$M(\text{roses and flowers}) = M(\text{flowers and roses})$$



UCSD

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Conjoining **flowers** onto **roses**
massively changes interpretation
($p \ll 0.001$)



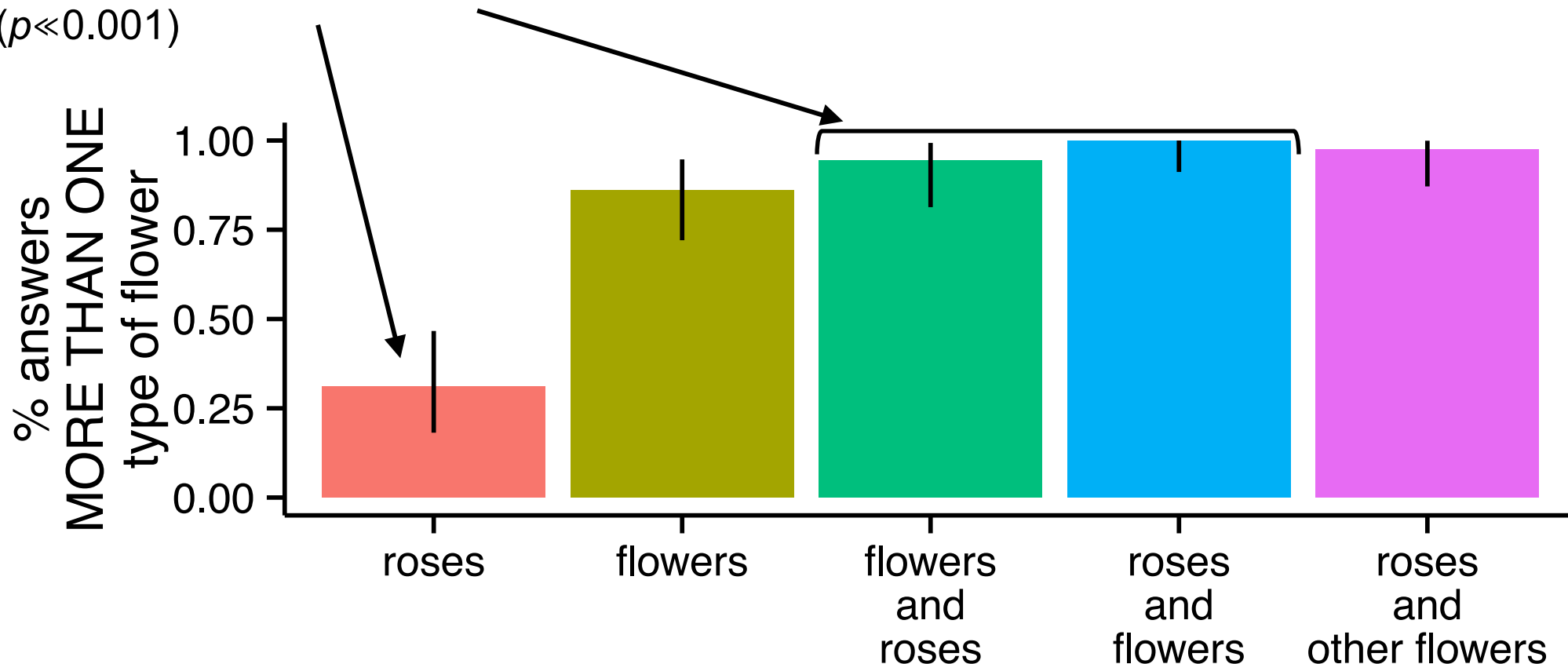
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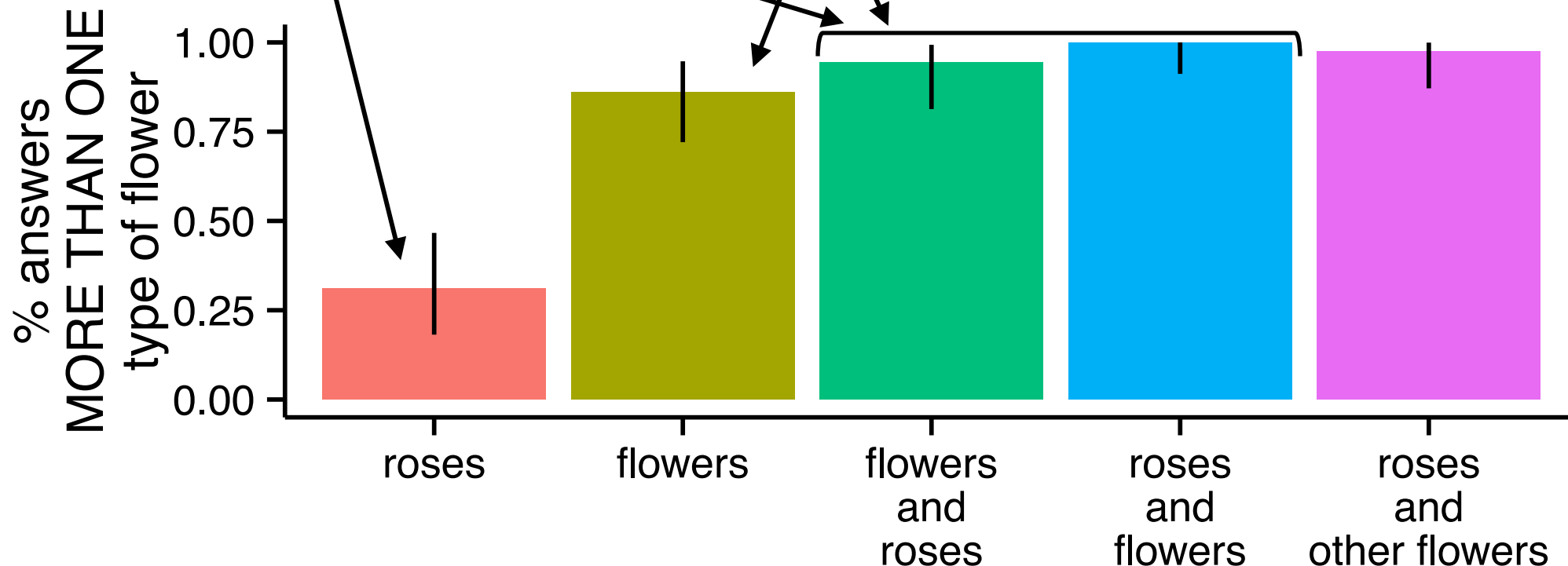
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Conjoining **roses** onto
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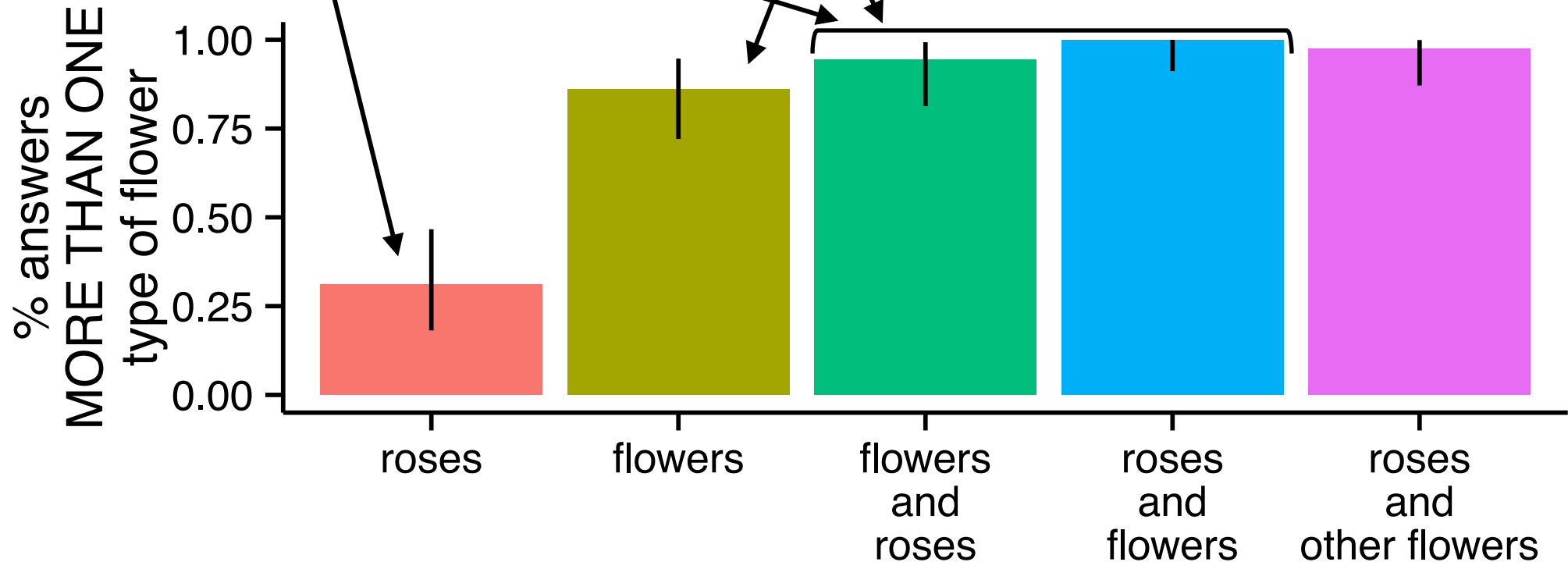
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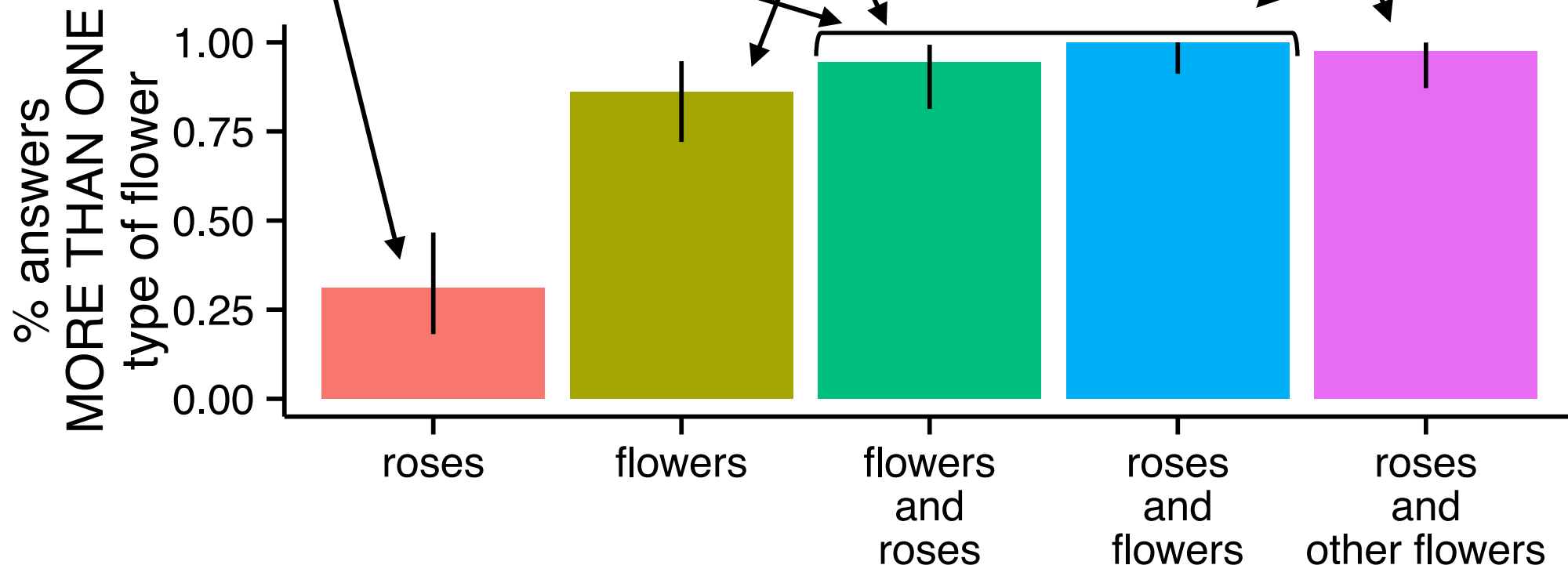
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Adding **other** has no discernible effect



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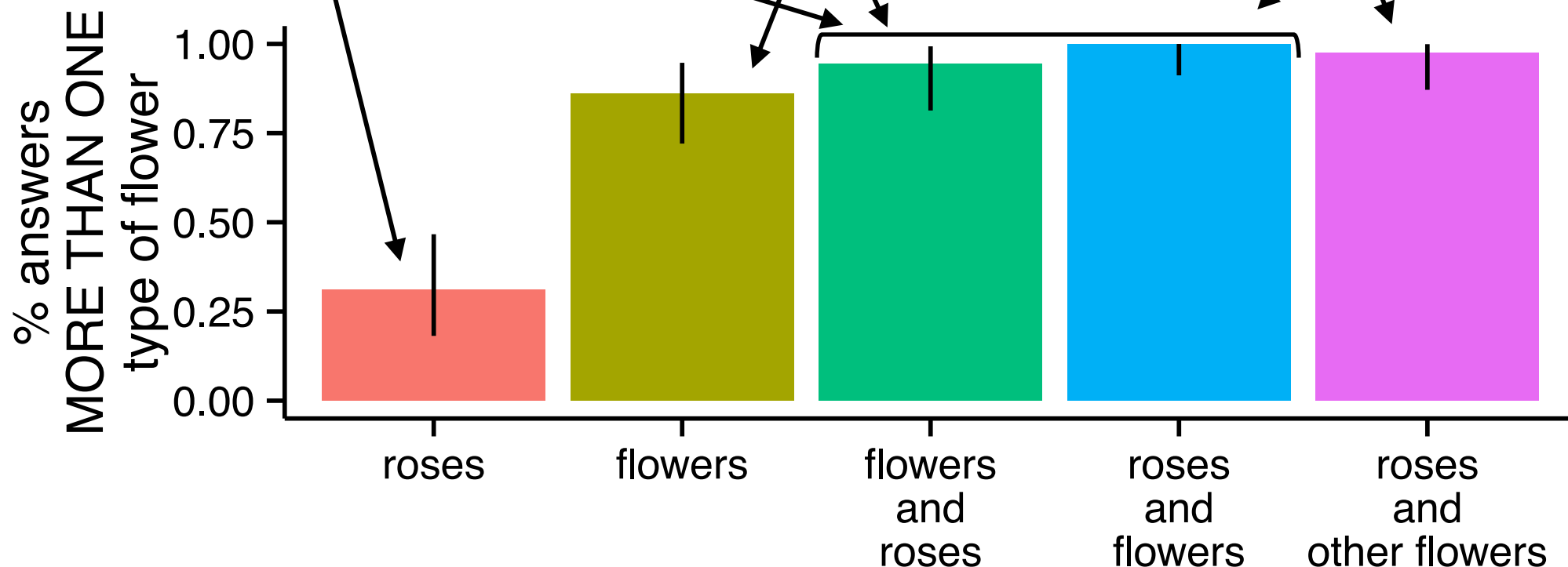


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The semantic puzzle

We sell roses and flowers for Mother's Day.

We sell roses and other flowers for Mother's Day.

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We sell roses and flowers for Mother's Day.

- What does this mean?

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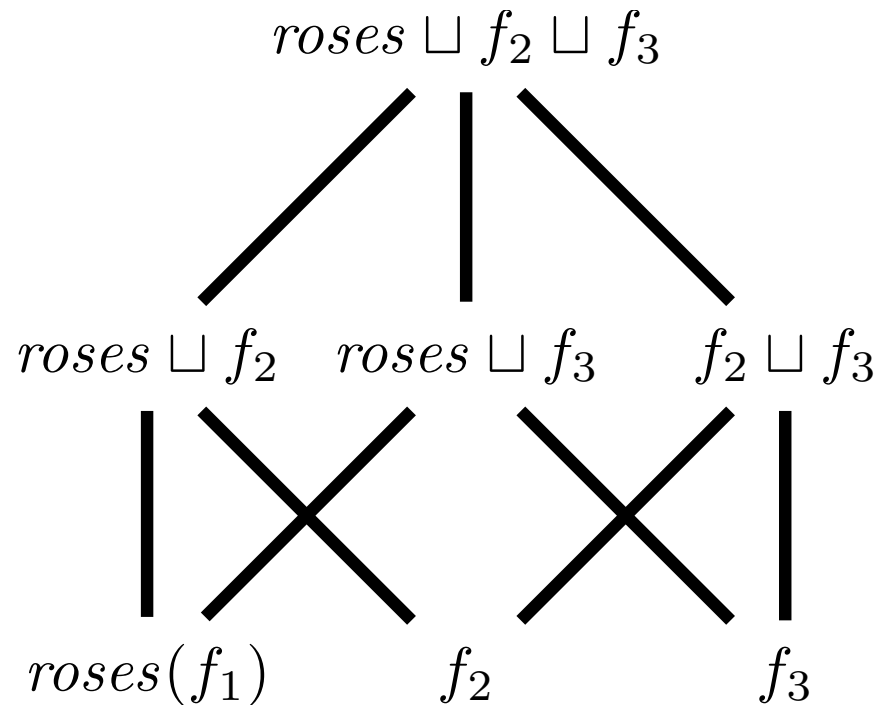
- What does this mean?
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We sell roses and other flowers for Mother's Day.

- But I will show that it should literally mean

We sell roses for Mother's Day.

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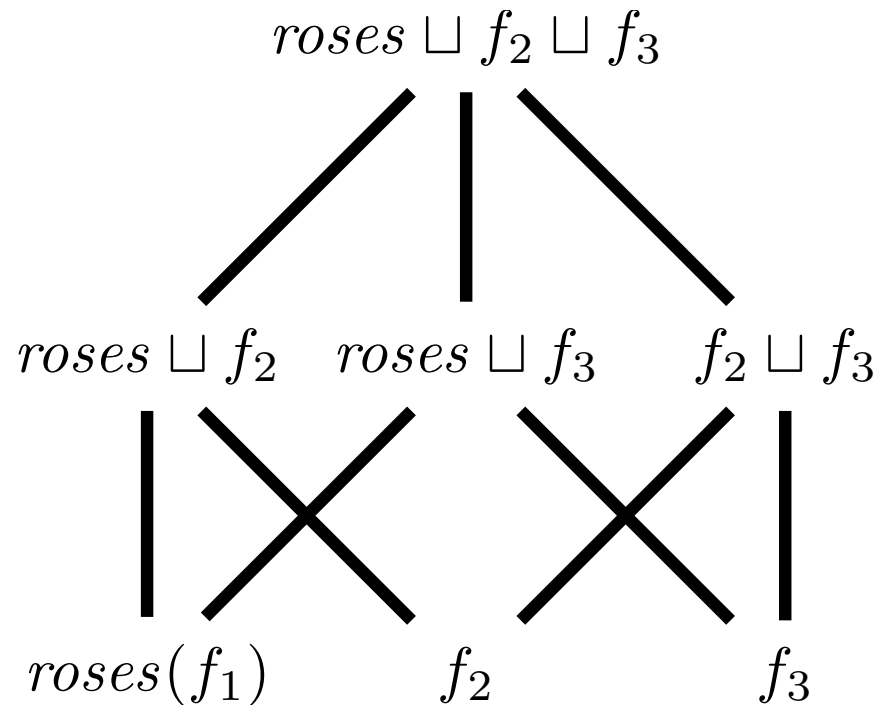


Its nodes induce a partition over possible worlds:

The sum that *we sell*:

$f_1 \sqcup f_2 \sqcup f_3$
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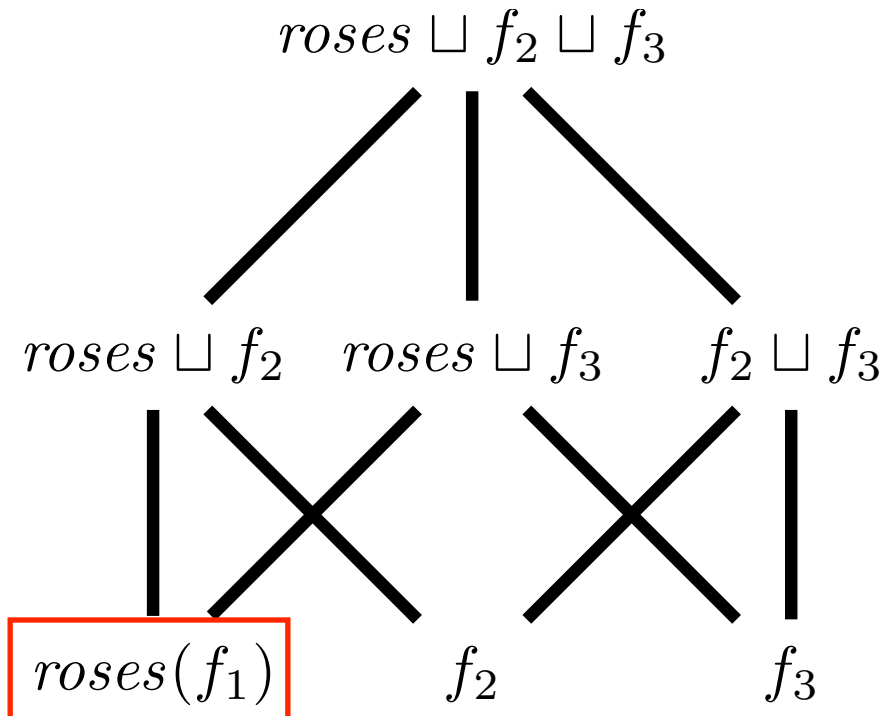
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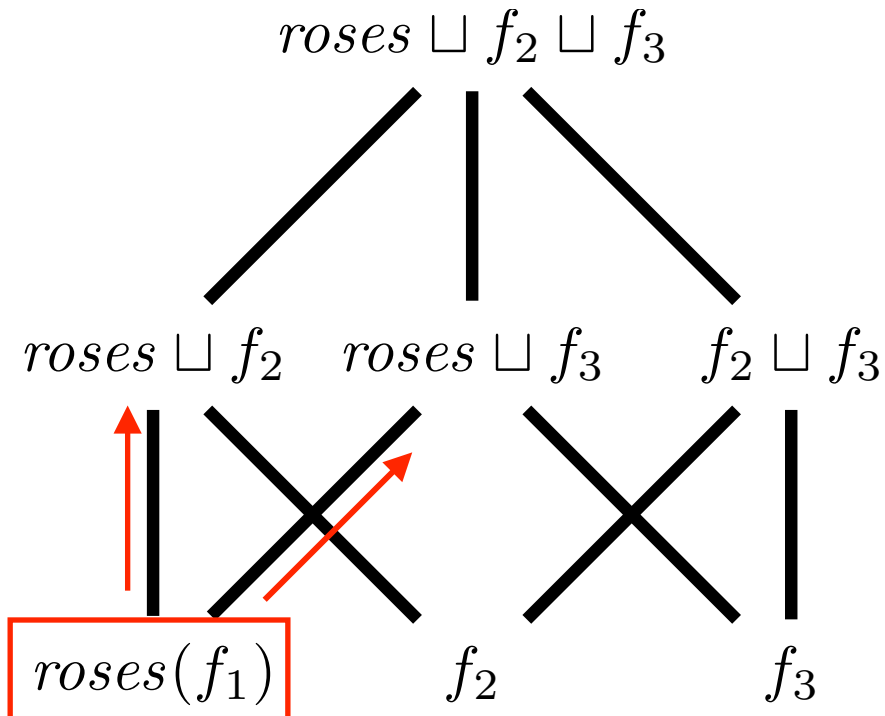
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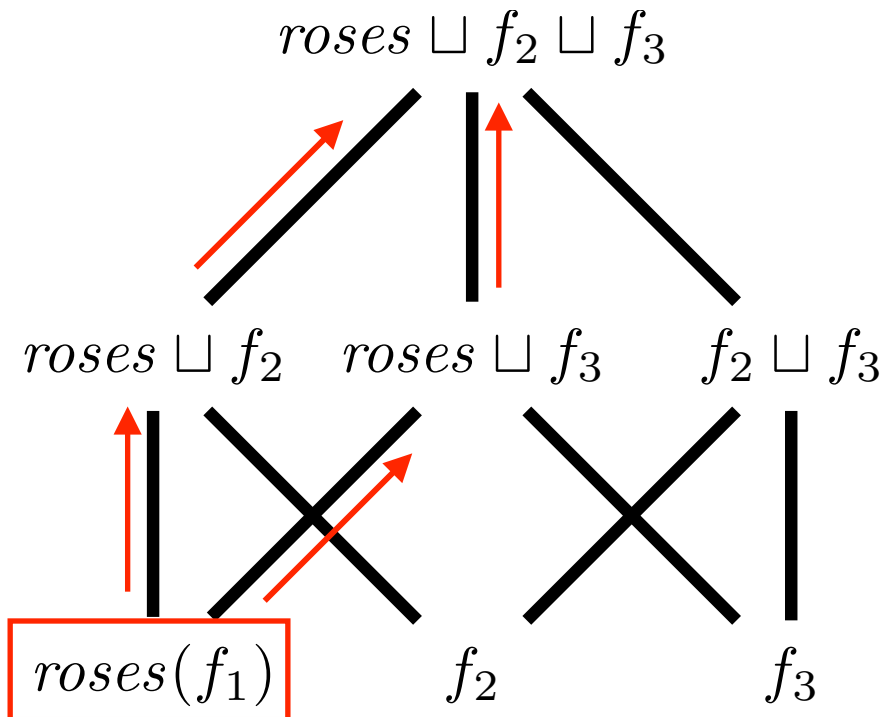
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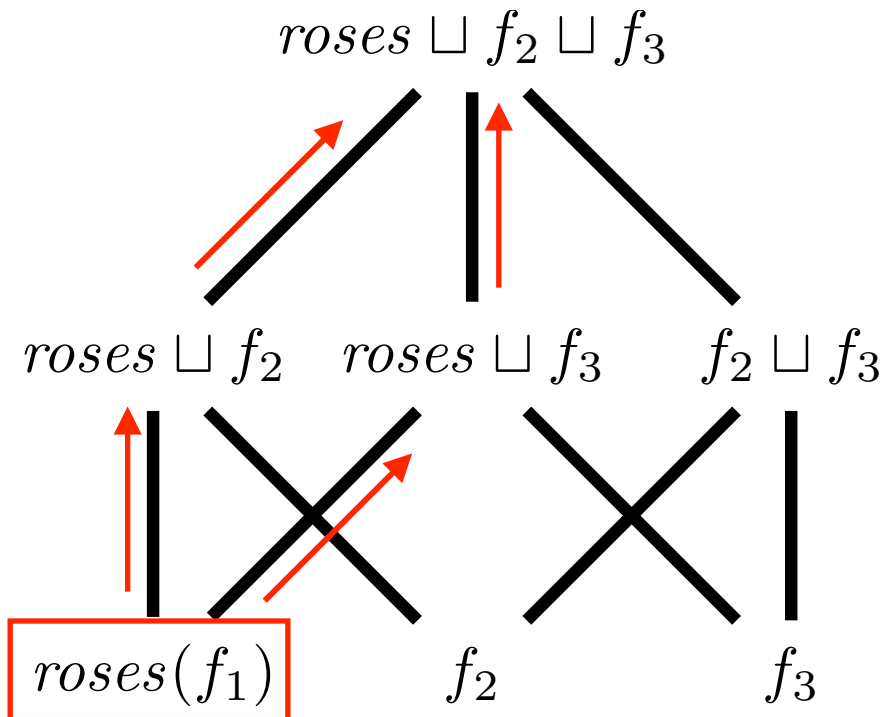
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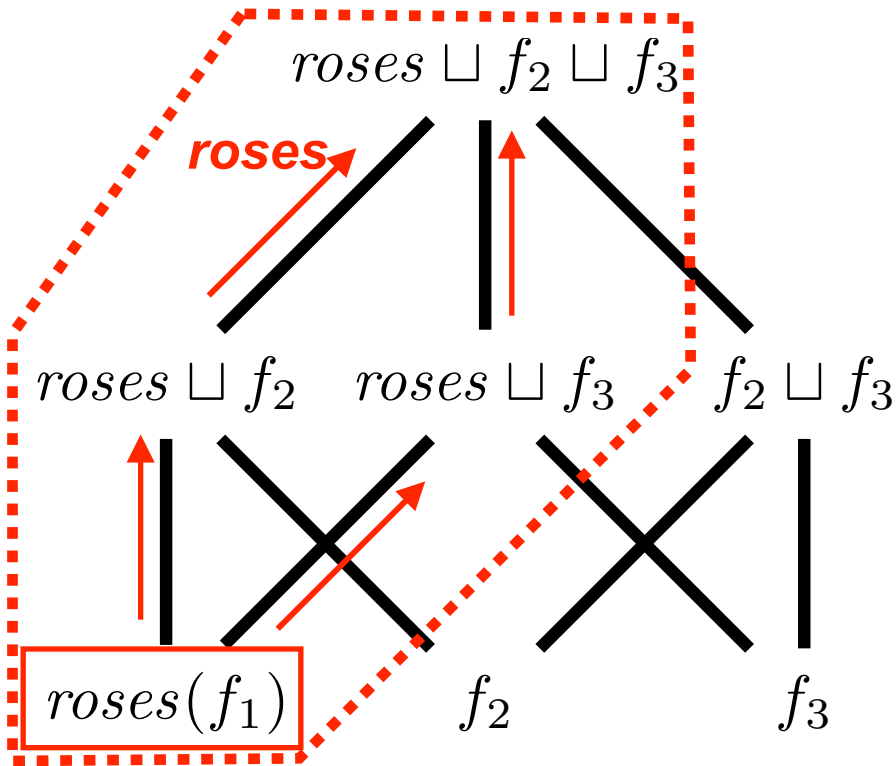


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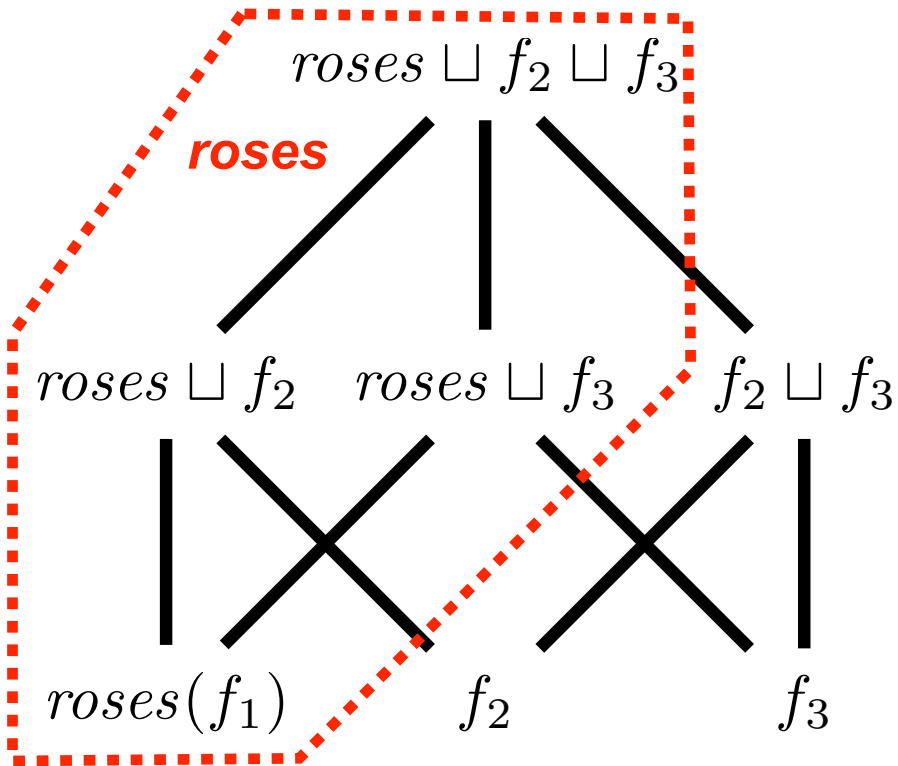
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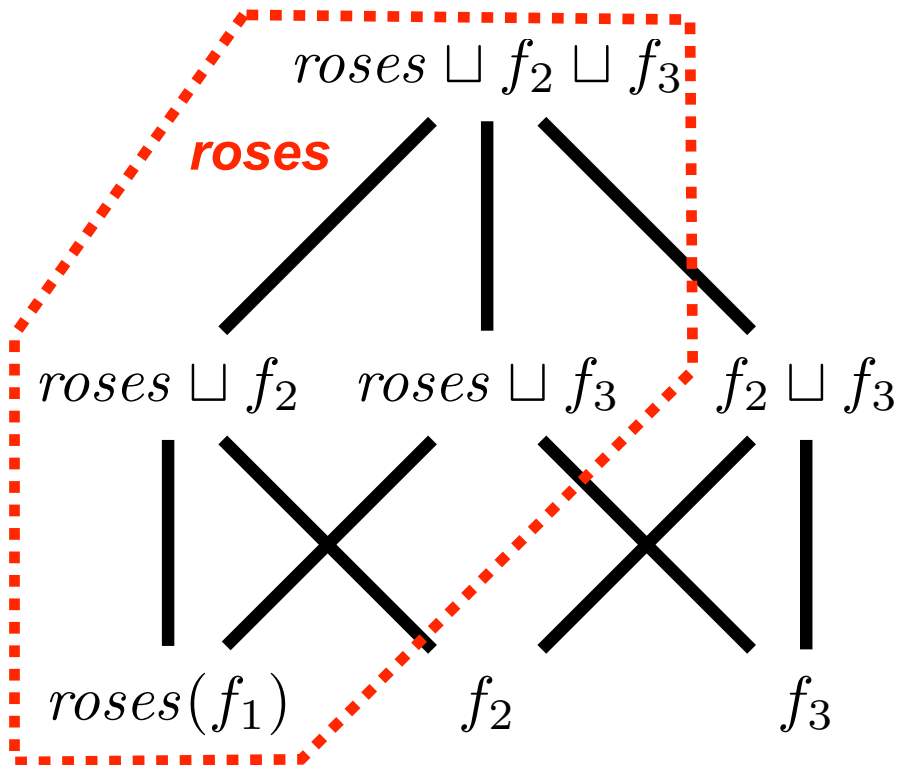
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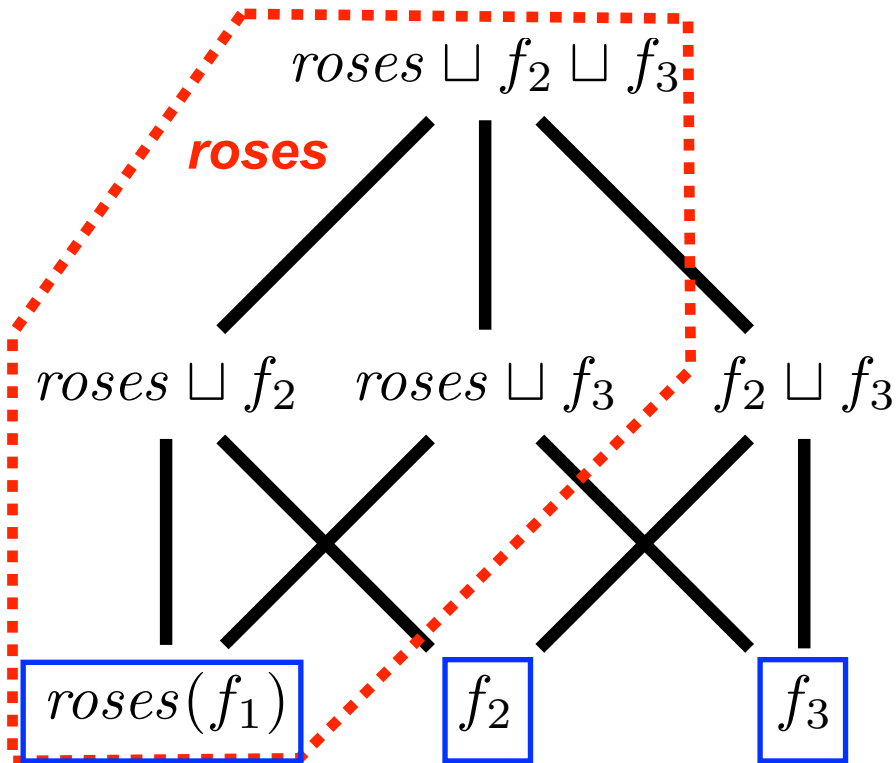
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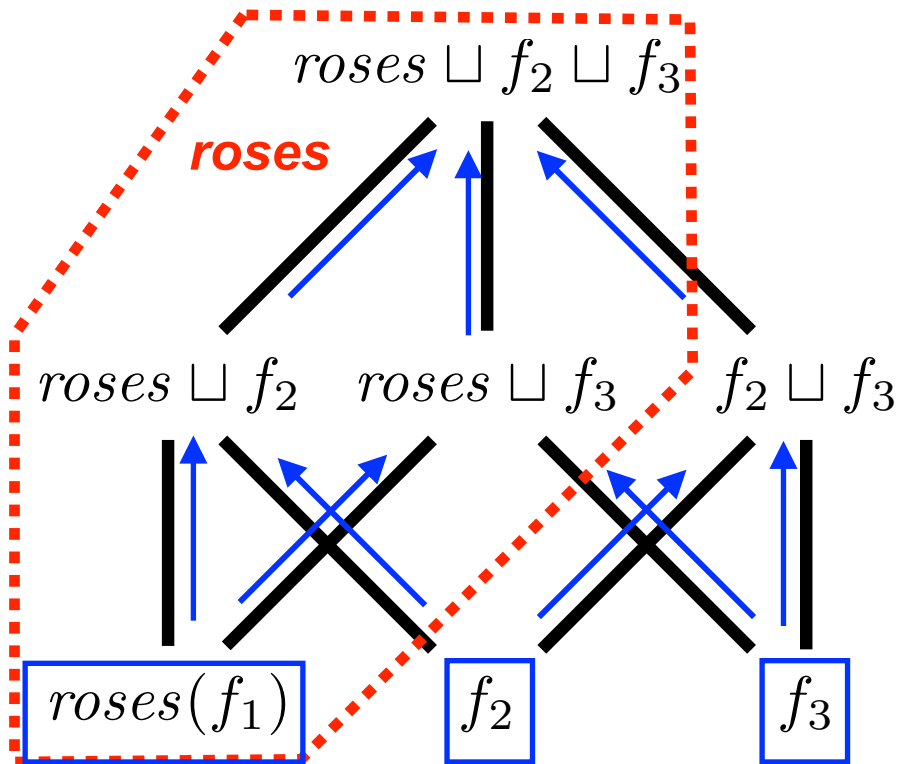
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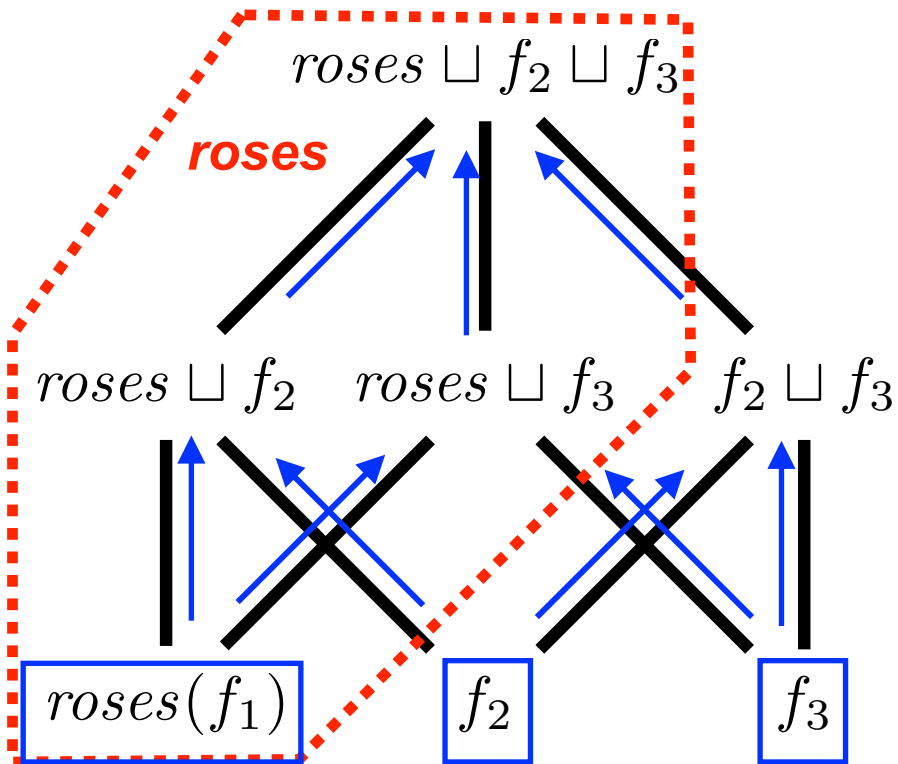
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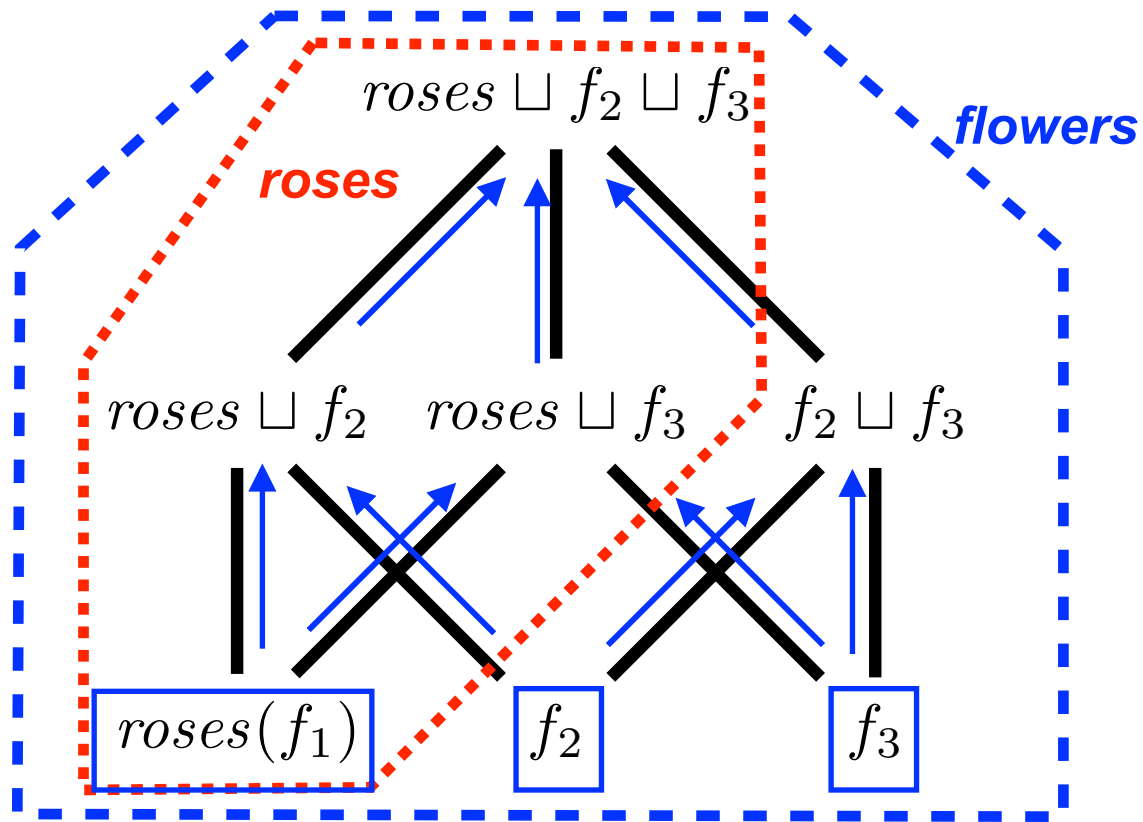
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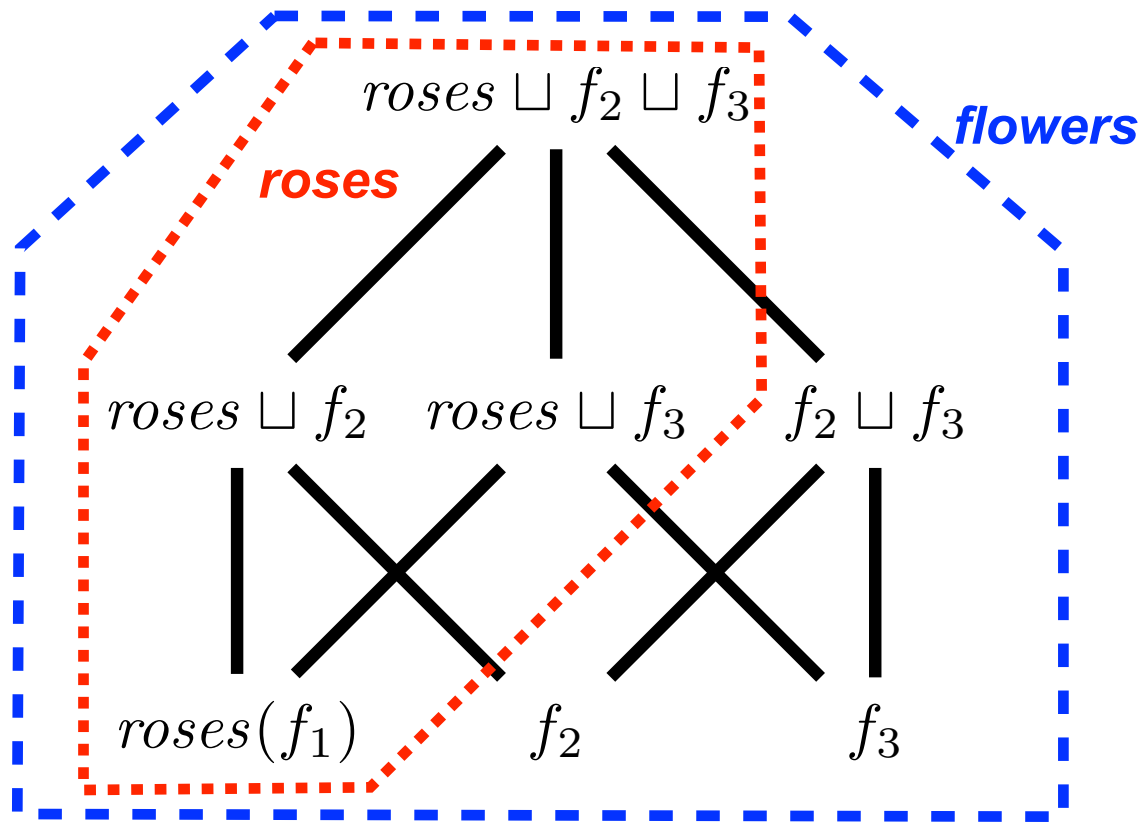
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The sum that *we sell*:

★ ★	$f_1 \sqcup f_2 \sqcup f_3$
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★ ★	f_1
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Consider the sum semilattice of flower subtypes (Link, 1983):



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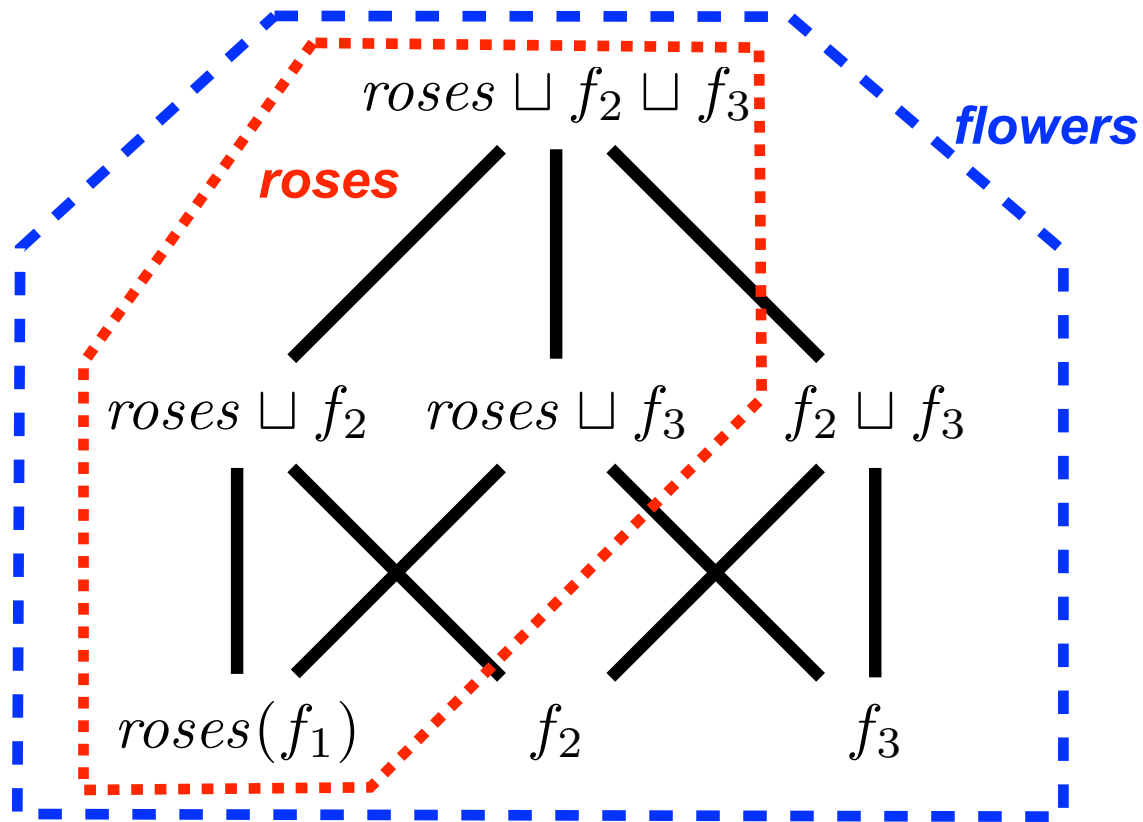
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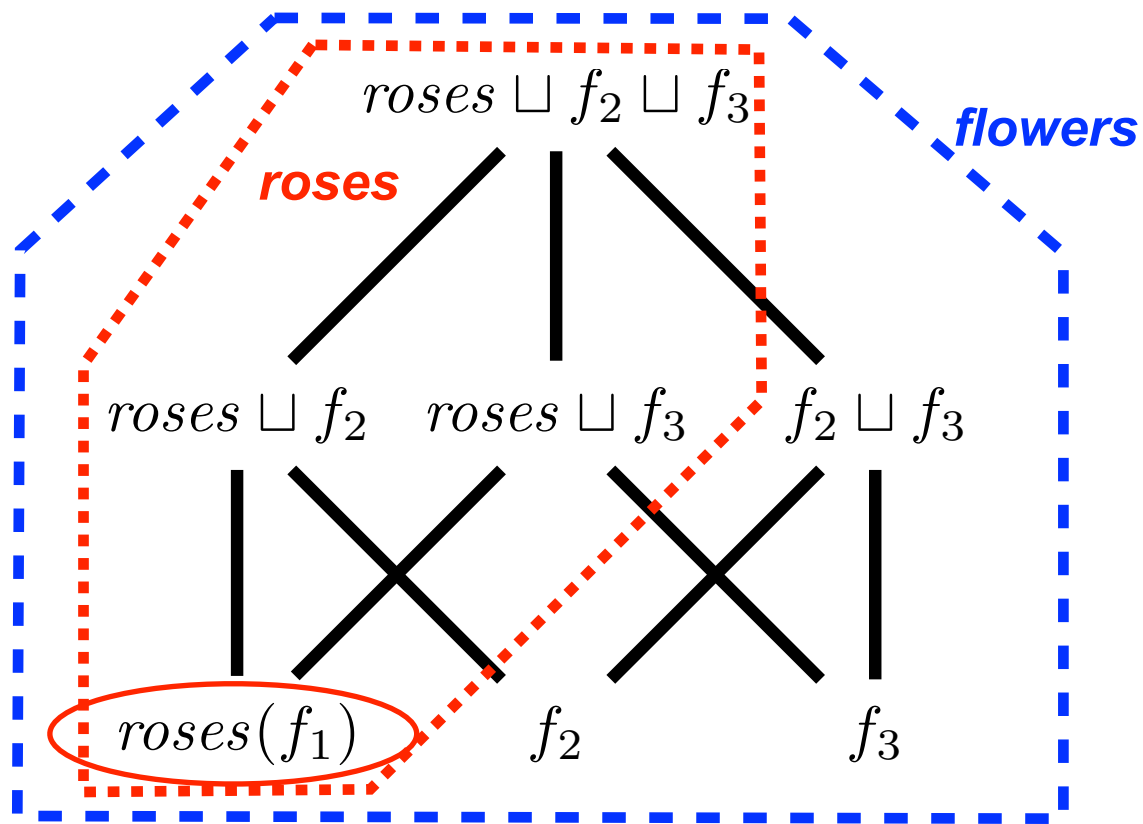
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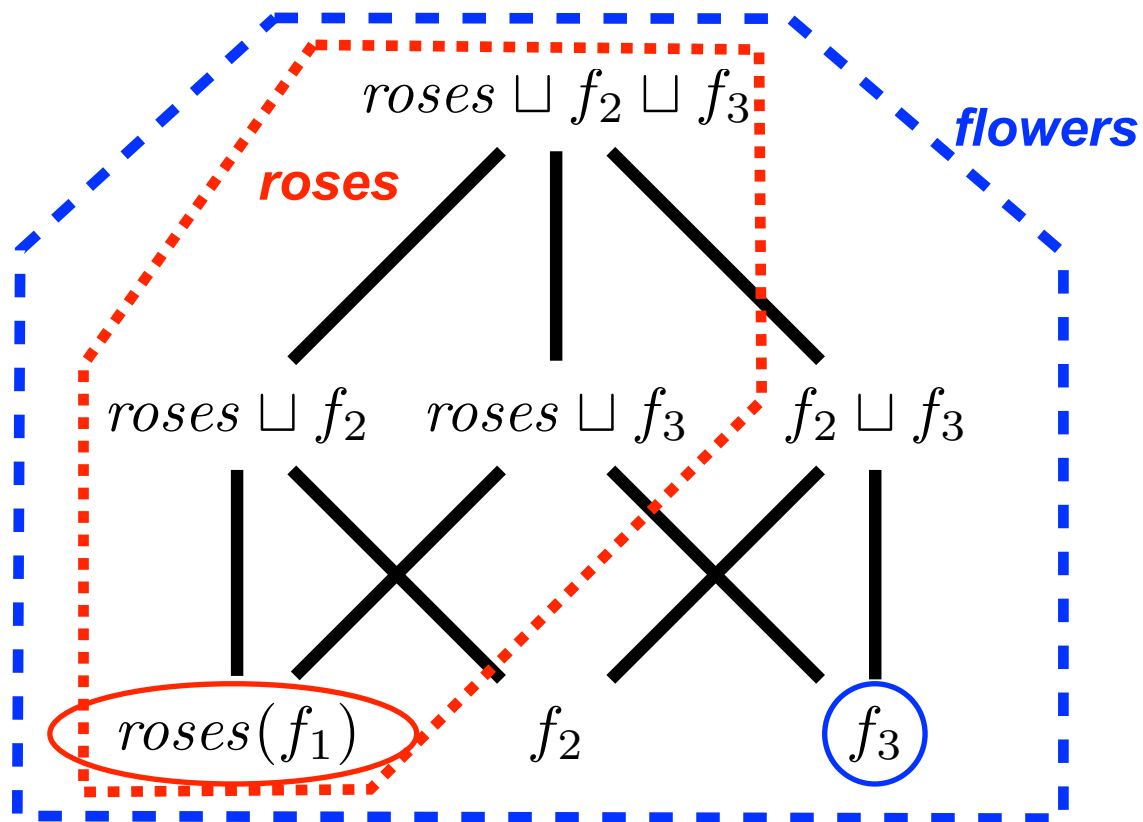
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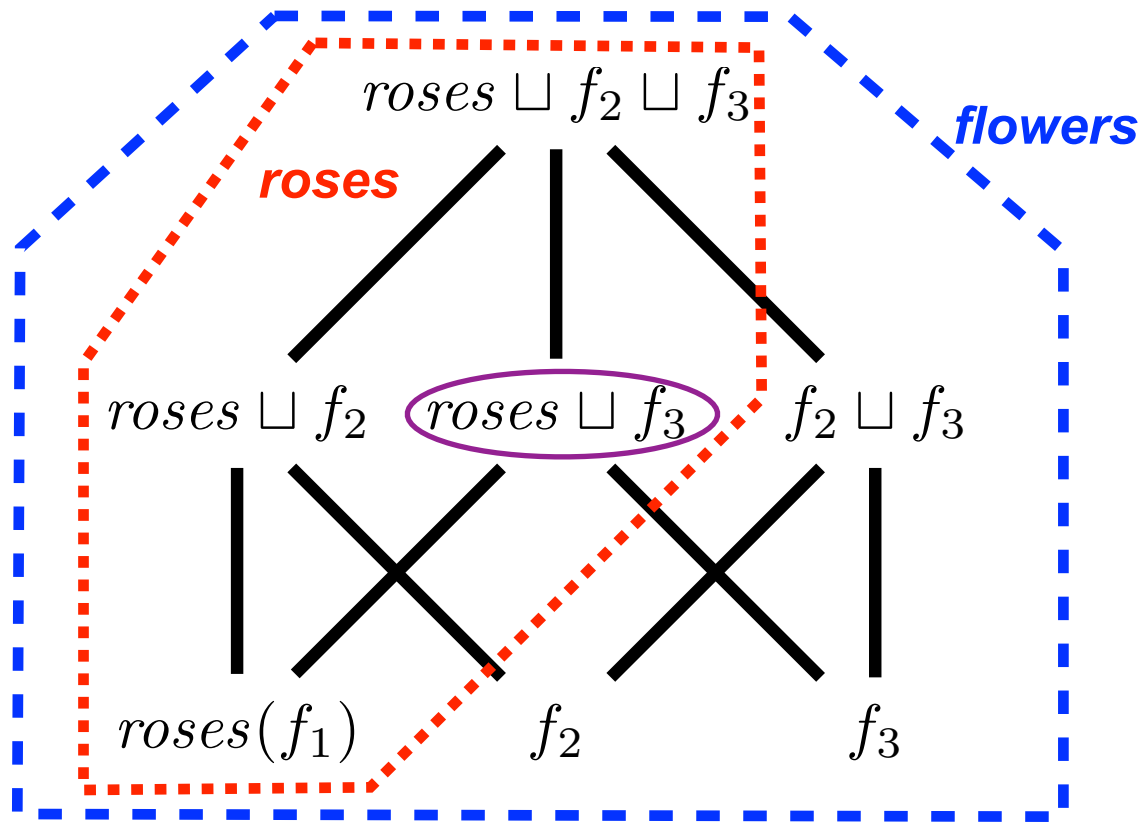
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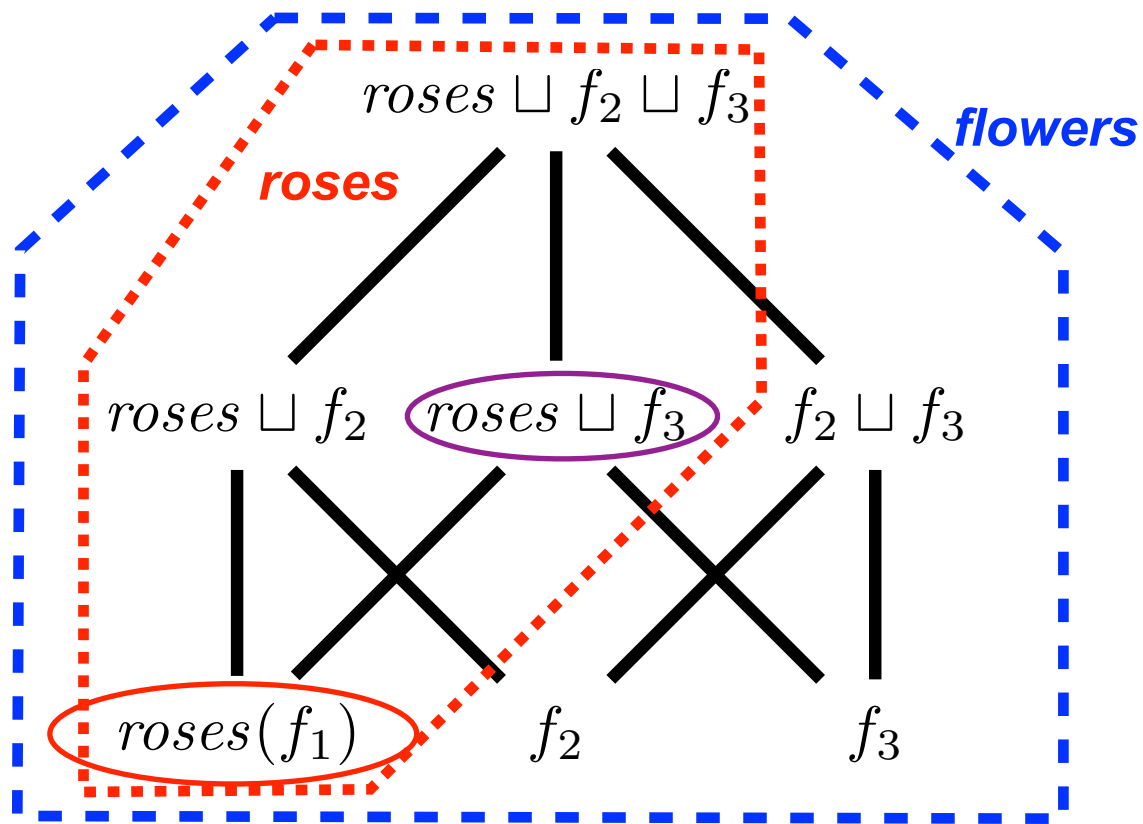
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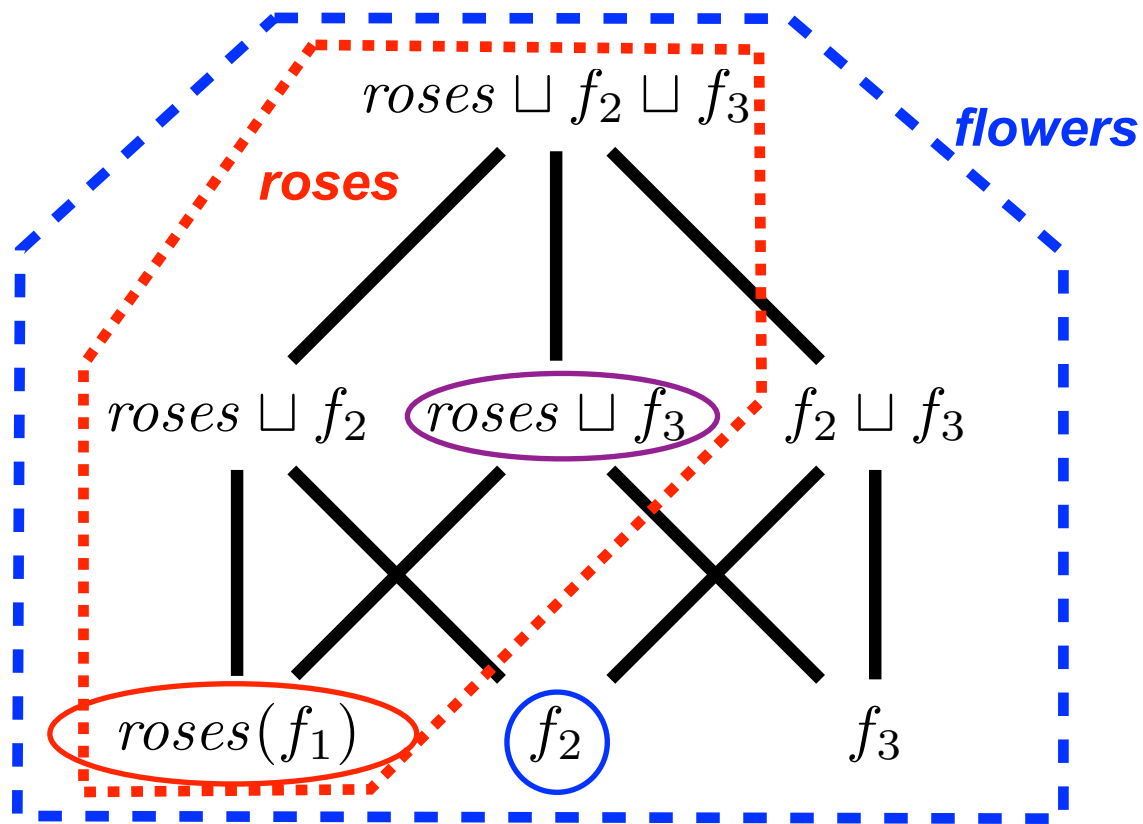
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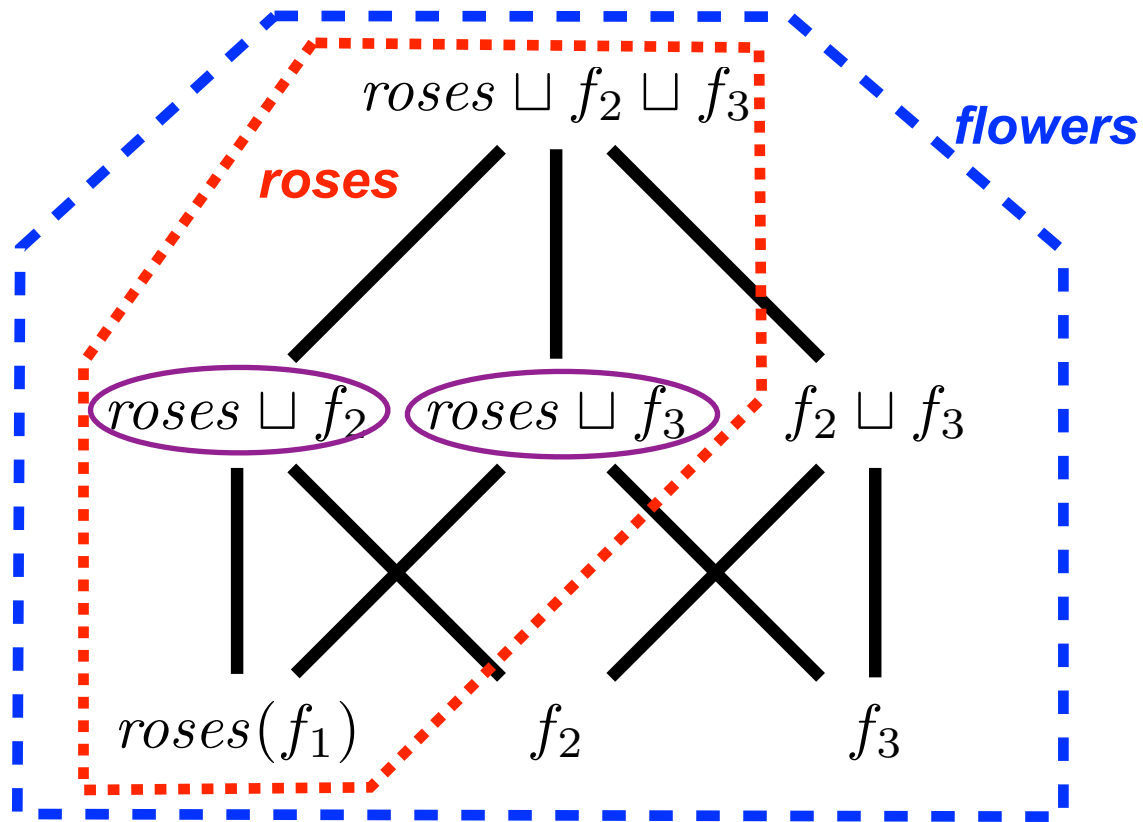
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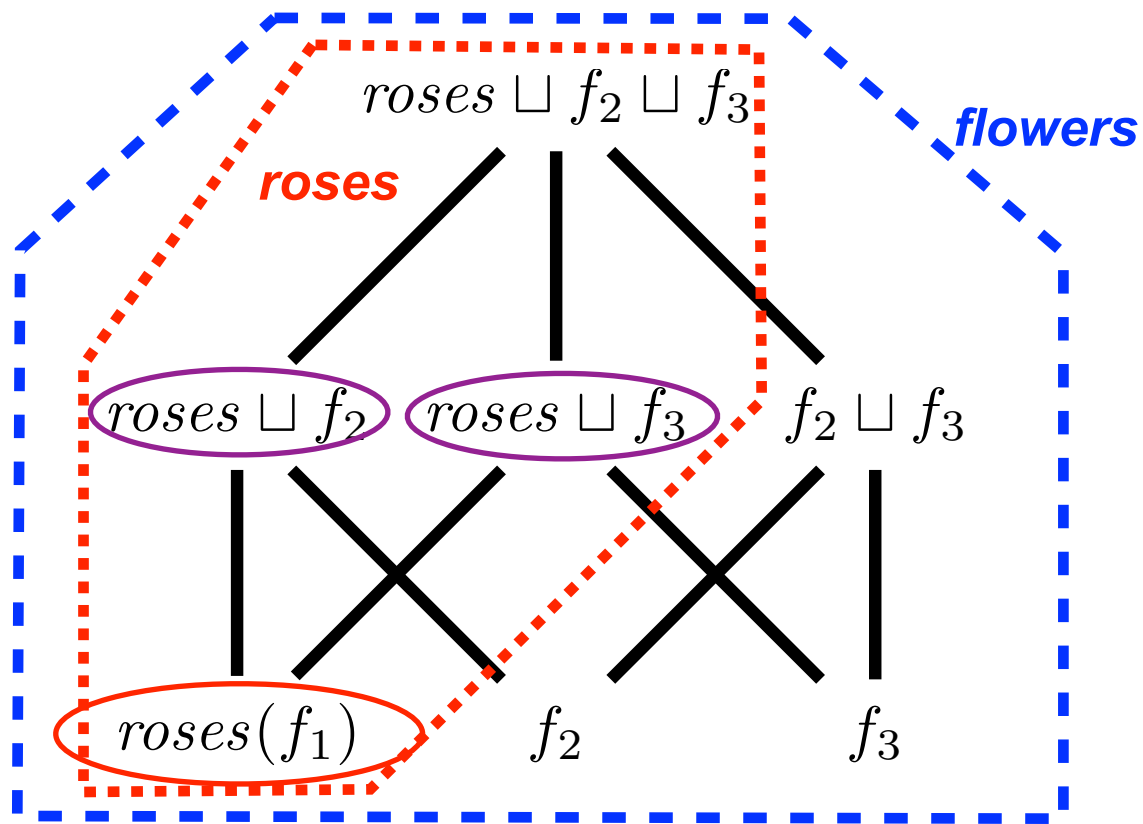
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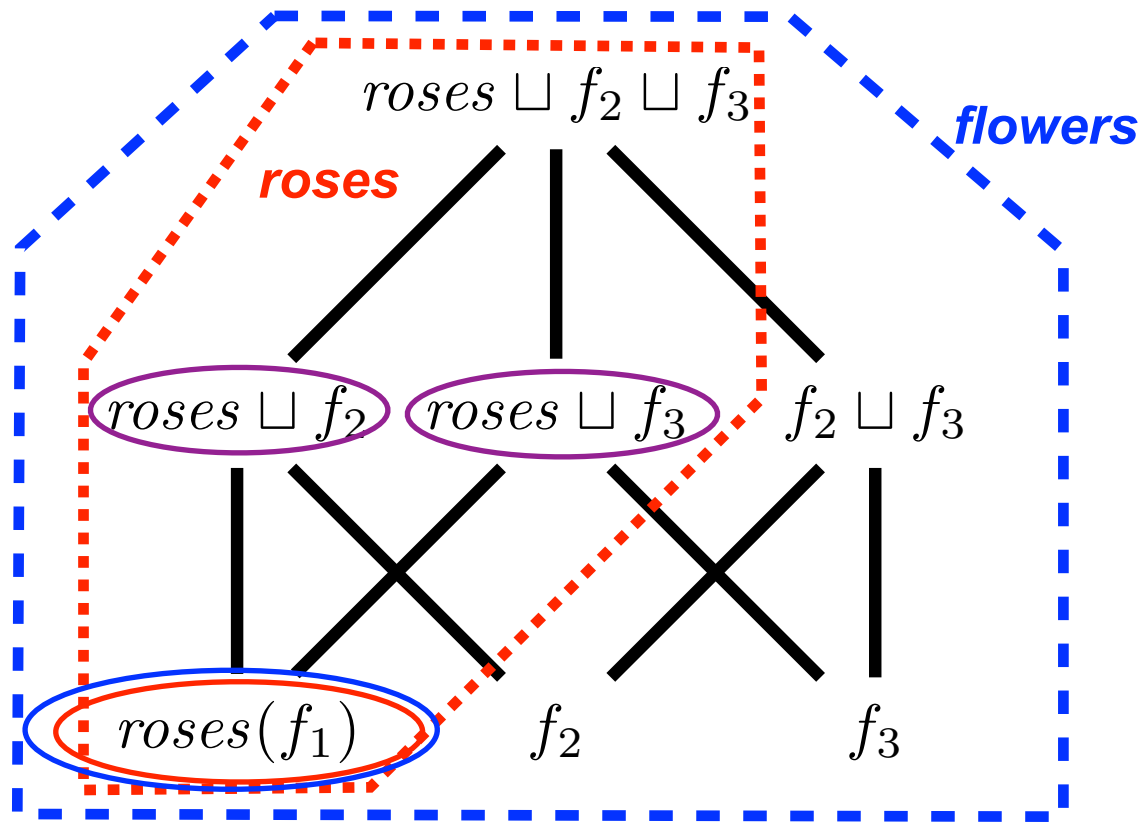
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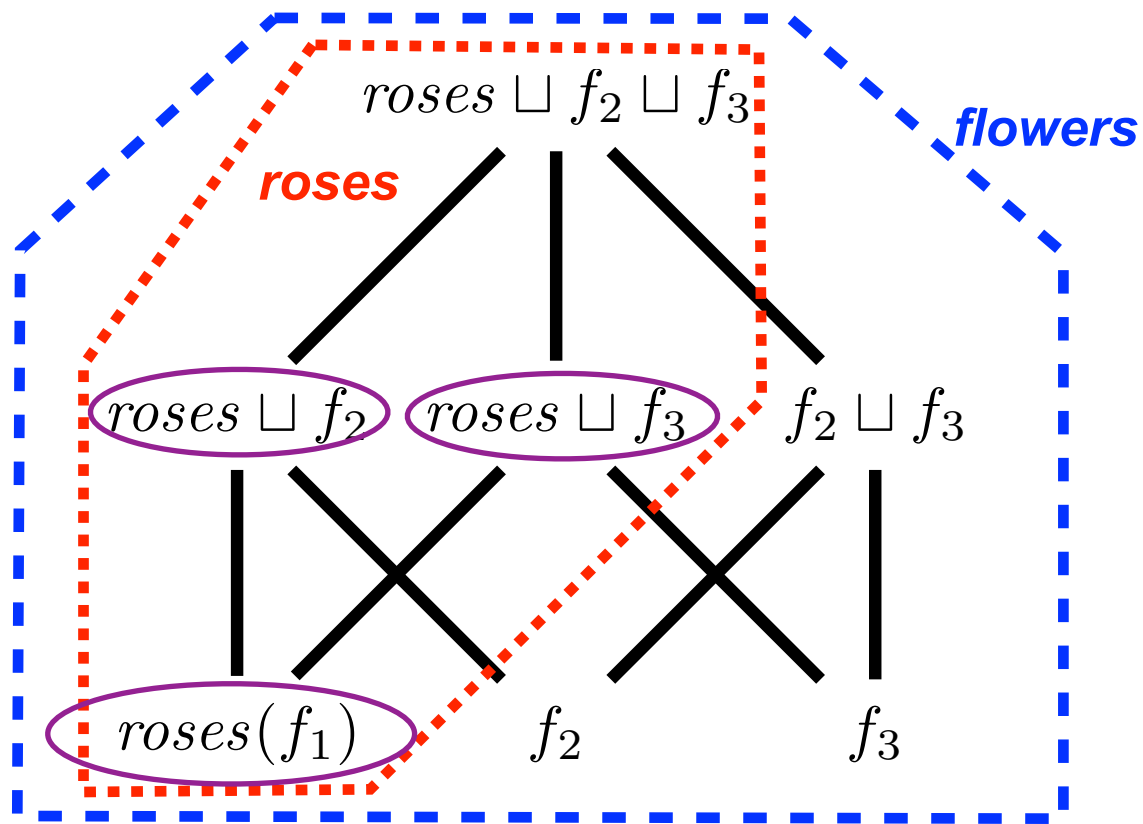
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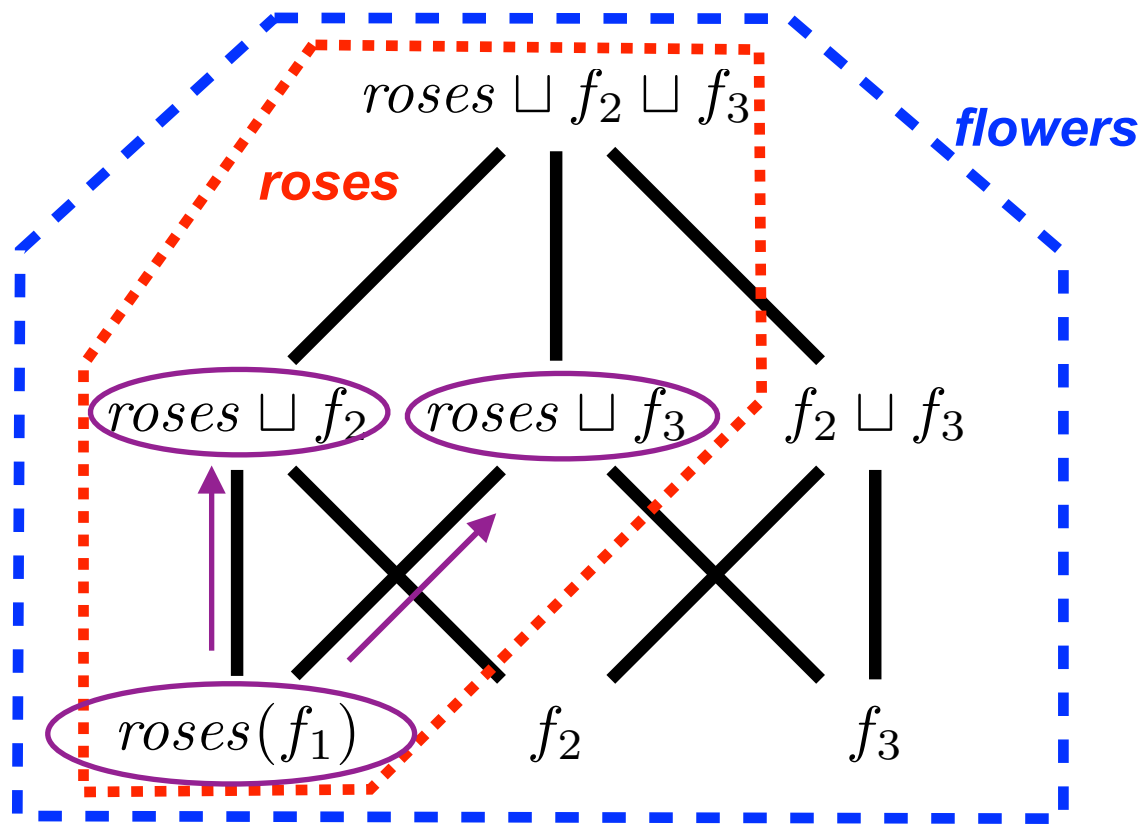
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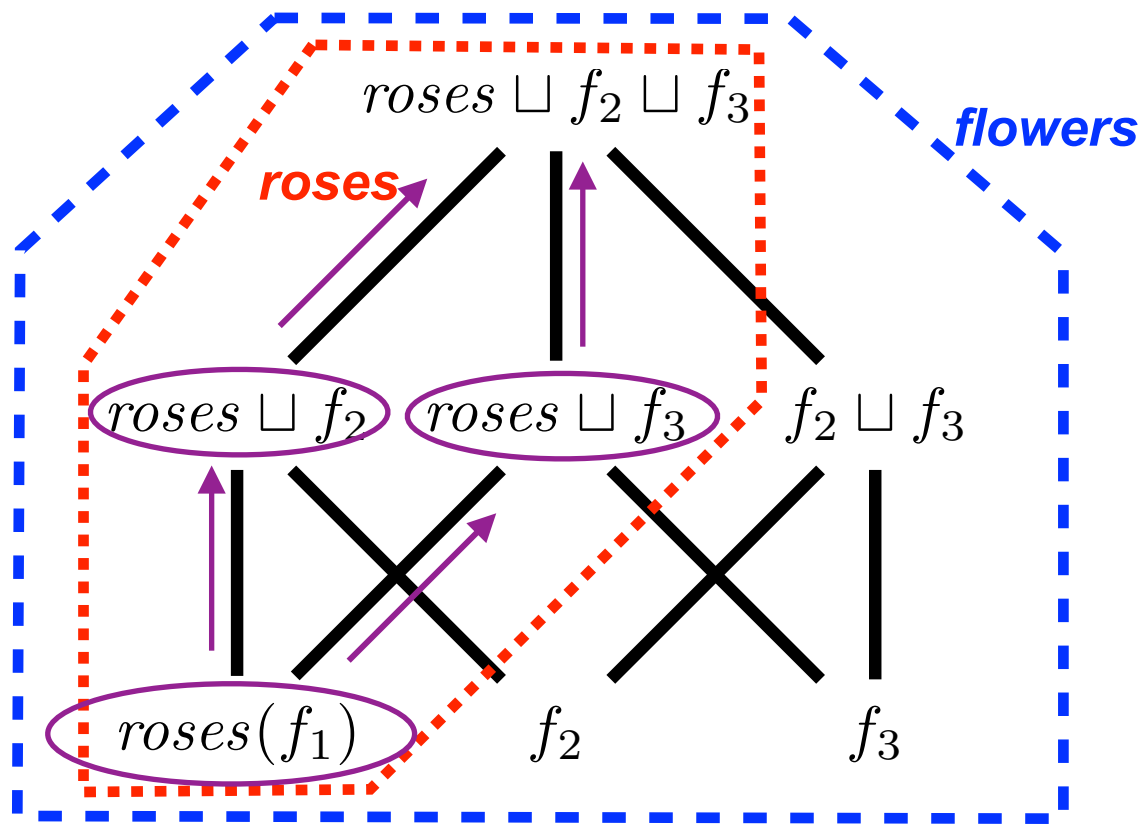
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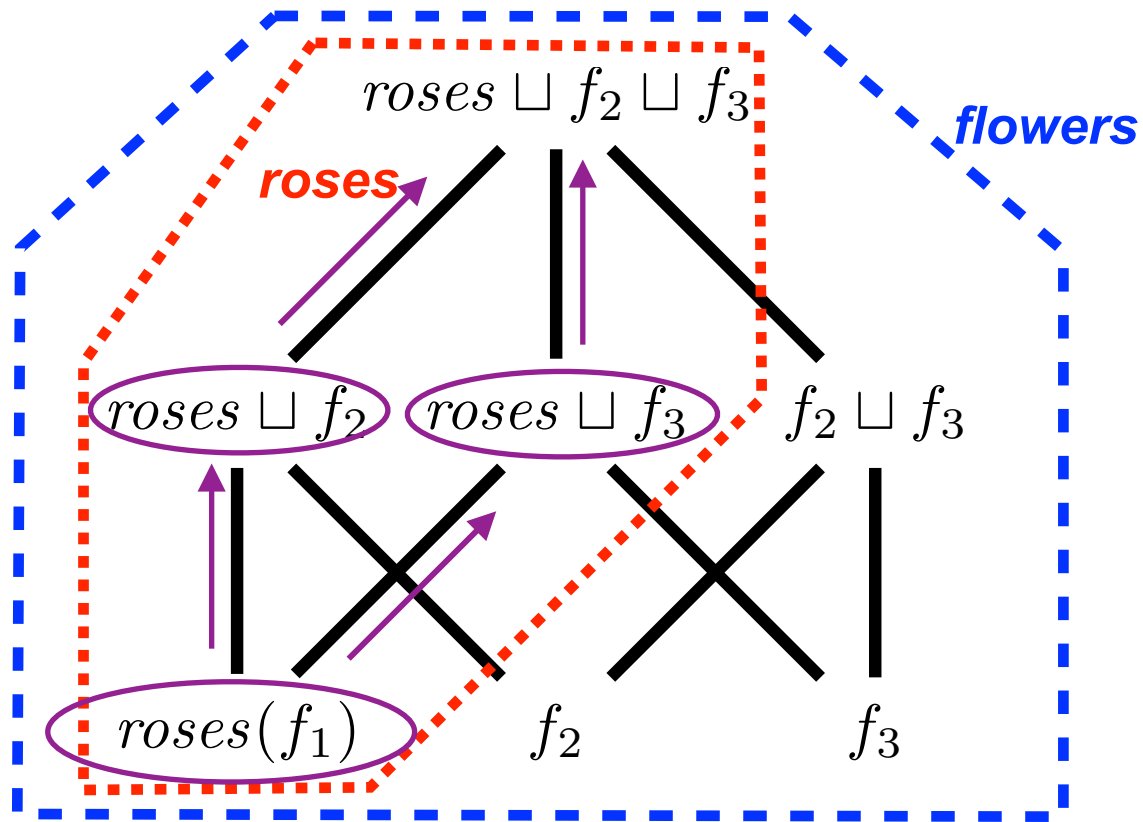
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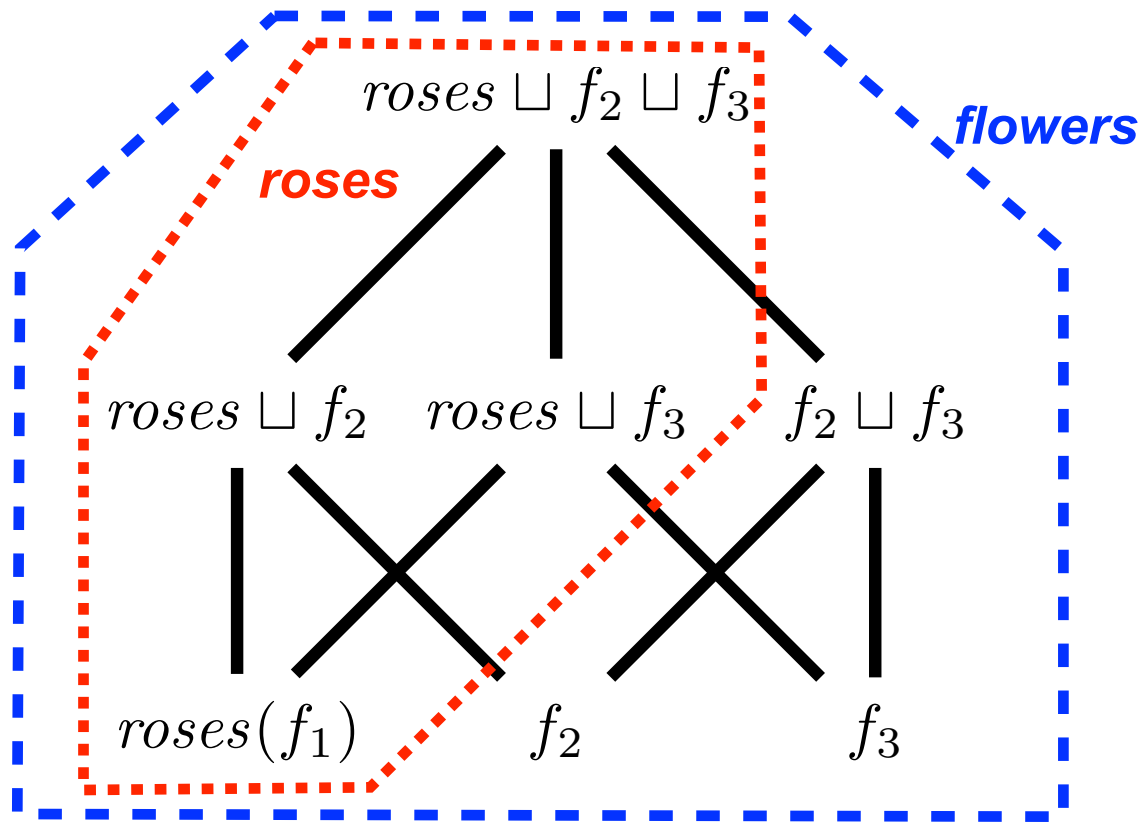
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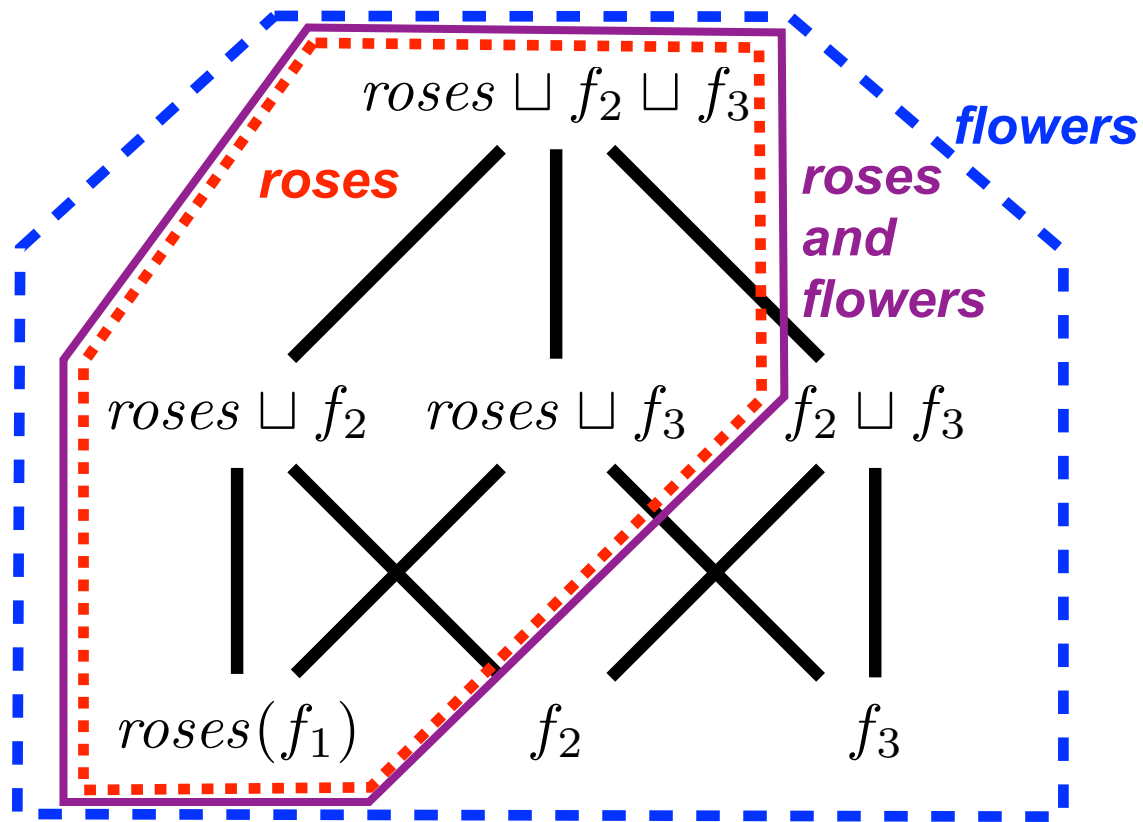
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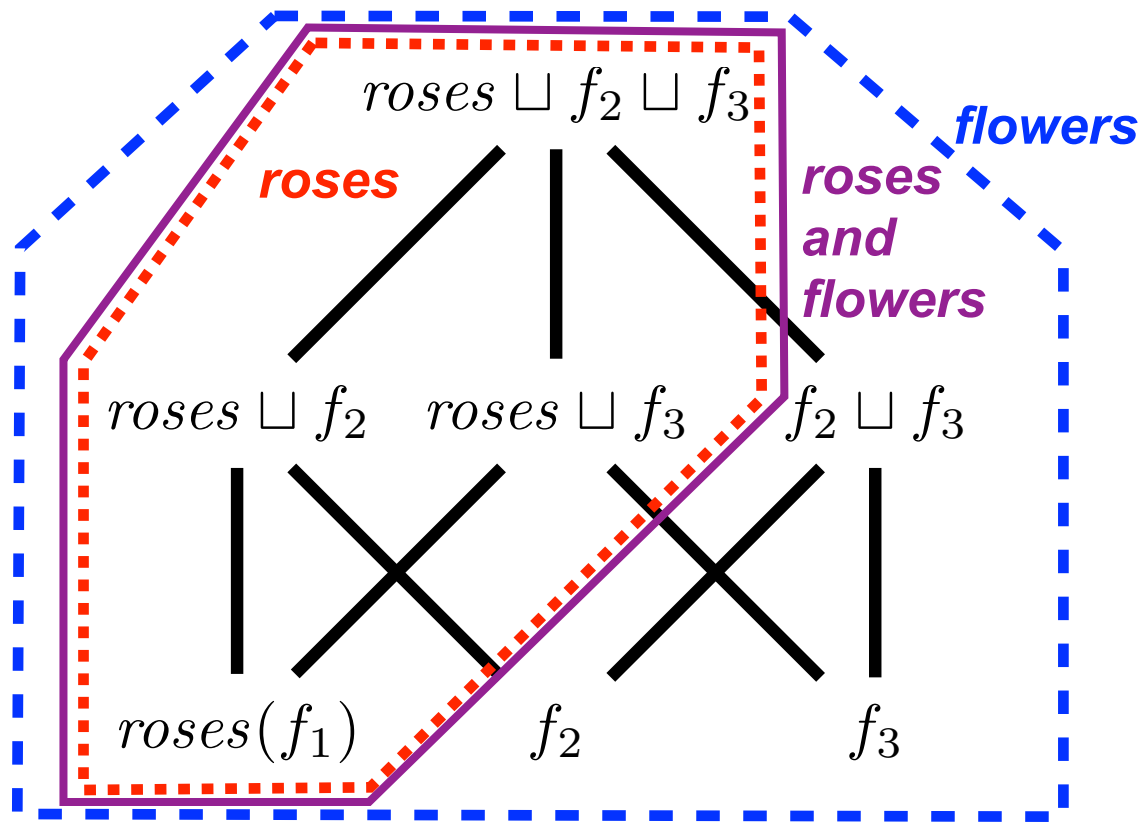
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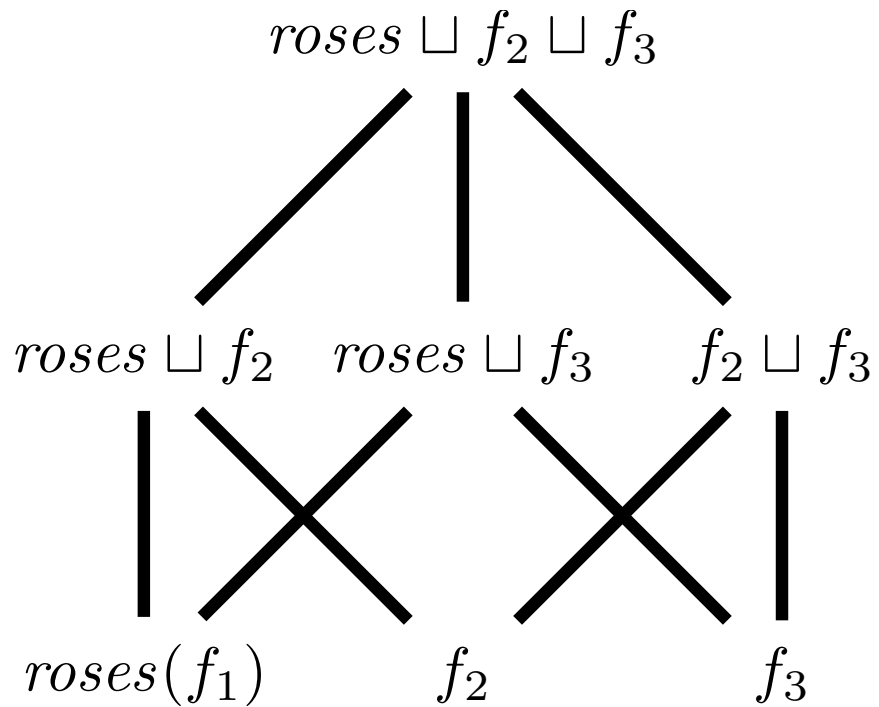
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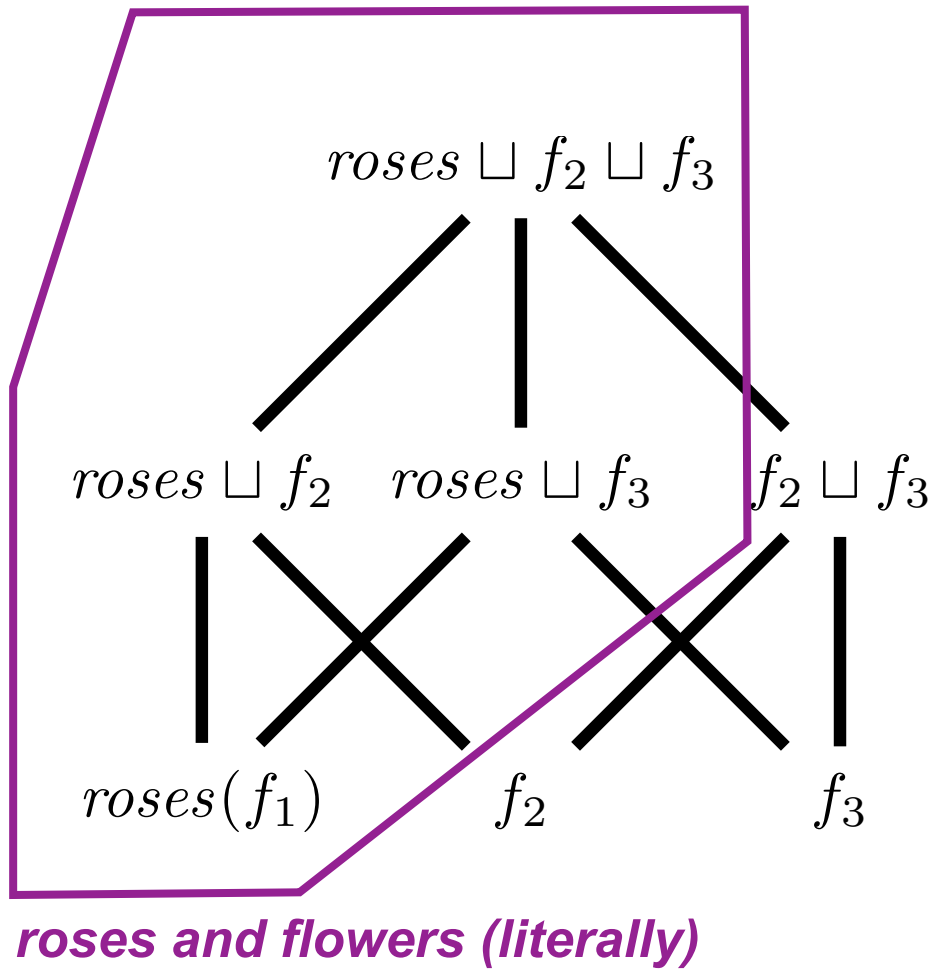
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*The literal semantics of **roses and flowers** should be the same as that of **roses**!*

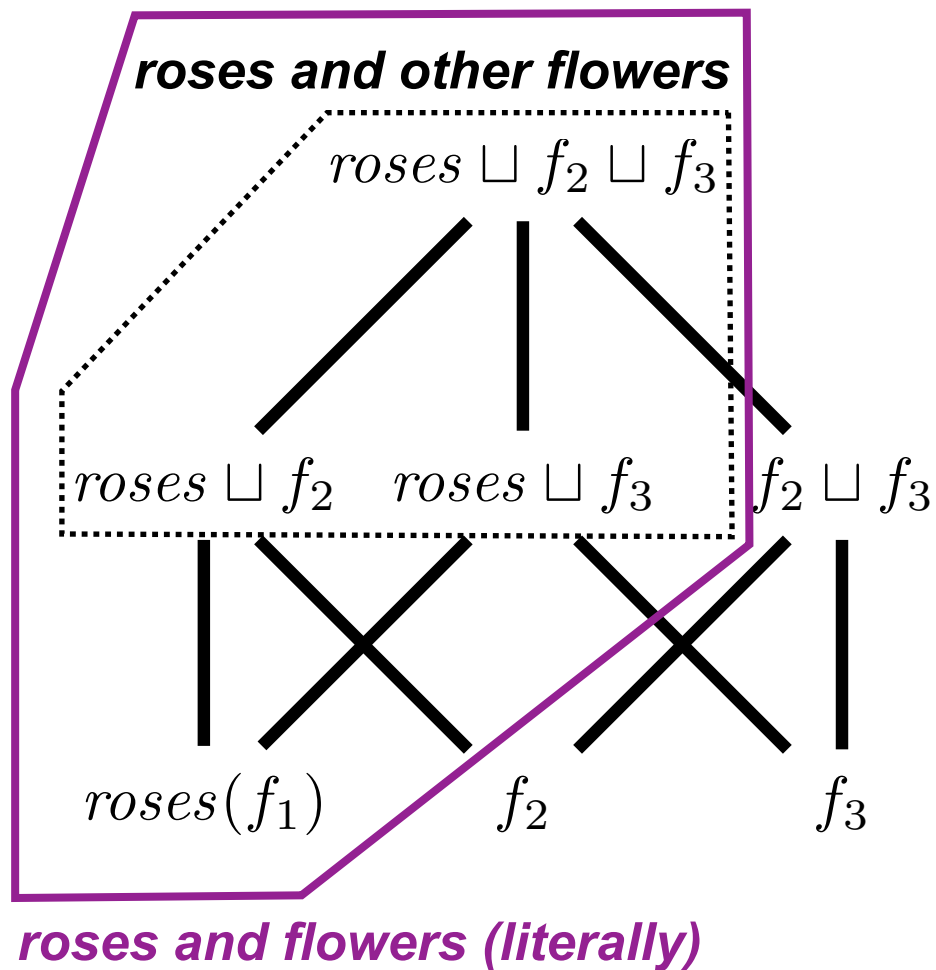
The semantic puzzle



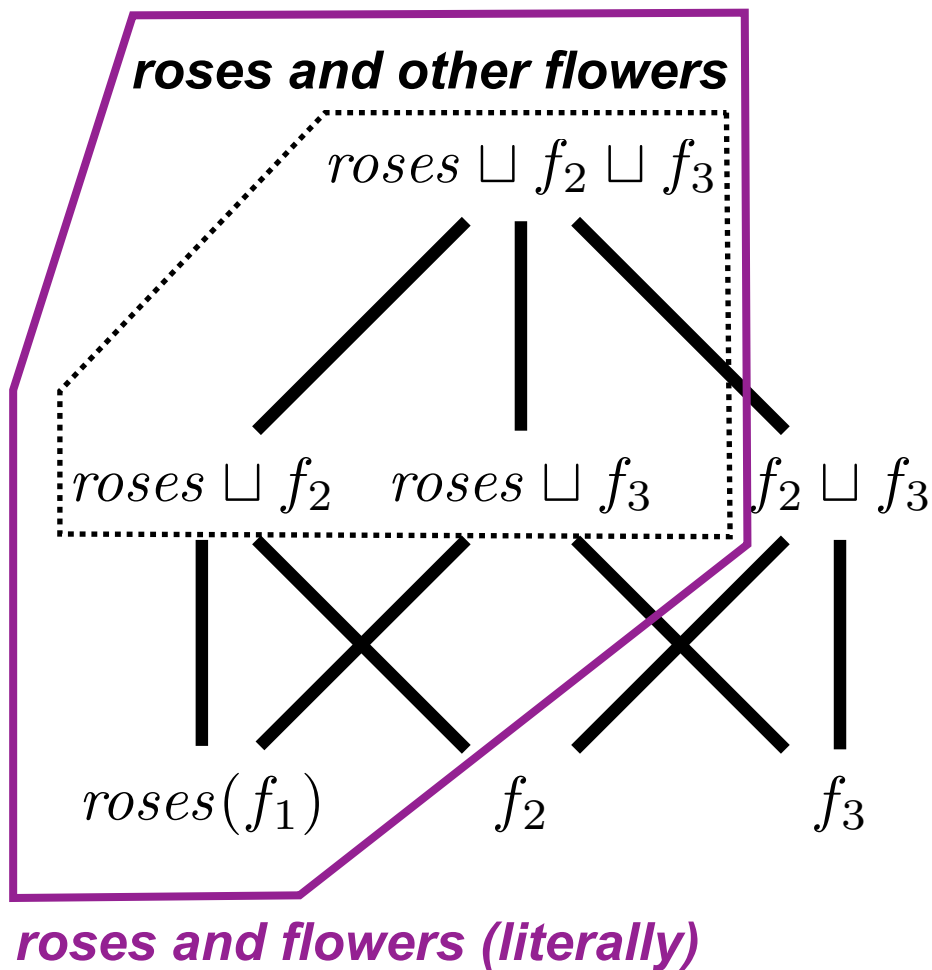
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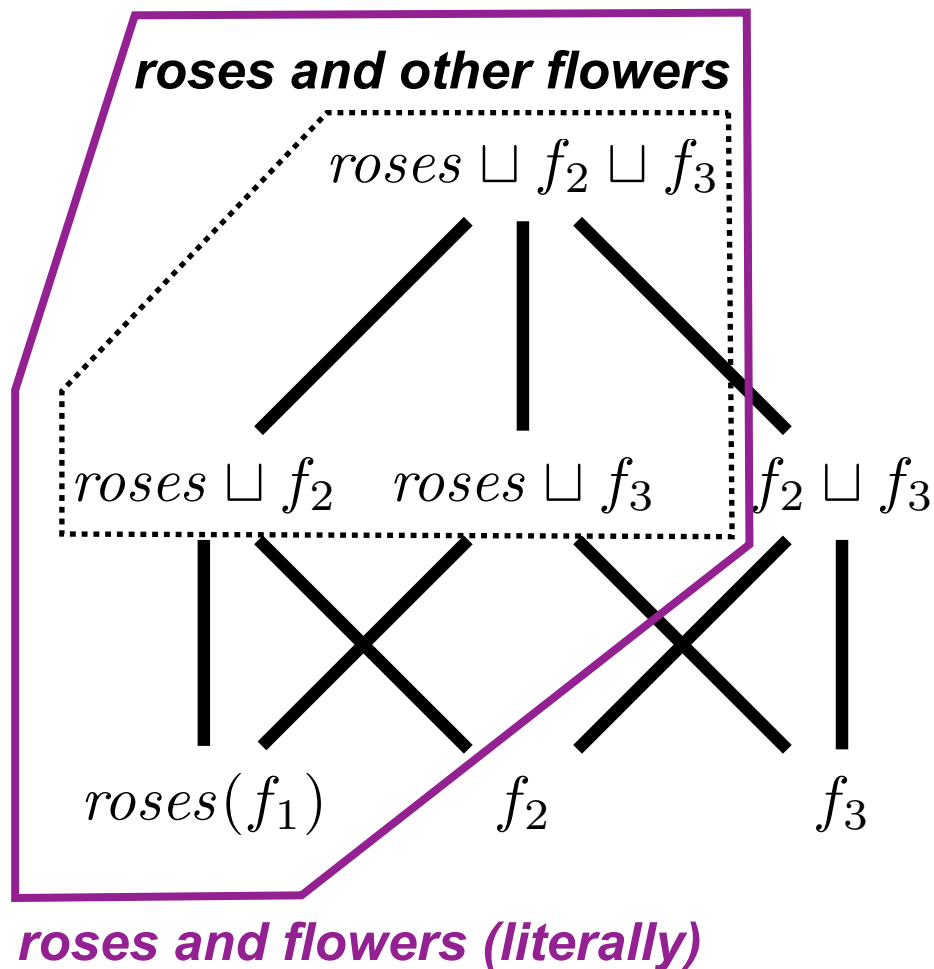


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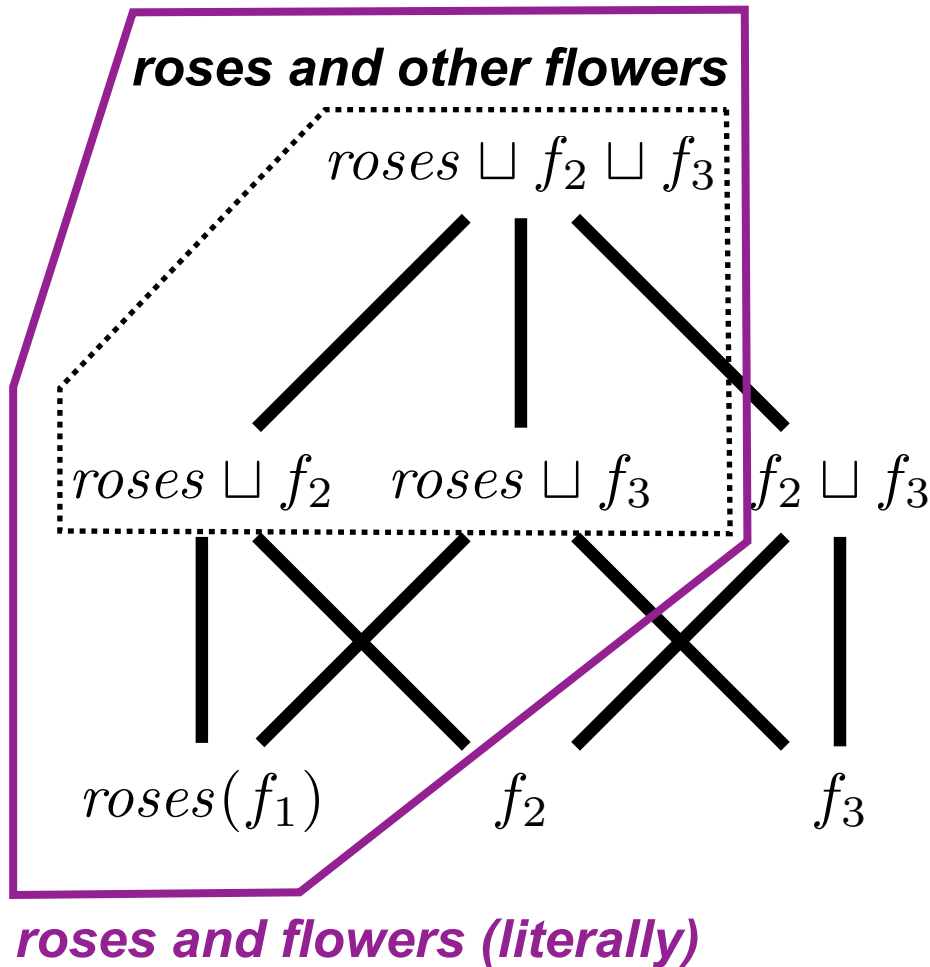
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The semantic puzzle



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- **Where does this interpretation come from?**

The semantic puzzle



- *roses and flowers* is interpreted to commit the speaker to *more* than its literal meaning
- **Where does this interpretation come from?**
- Approach pursued here: **it is a conversational implicature**

- Inference in context by which an utterance communicates more than what is literally said
- Driven by world knowledge and by alternative utterances —*what could have been said*
- Two major cases:
 - Quantity (Q-)implicature: the negation of an alternative utterance with a stronger meaning is inferred

(I ate all of the apples)

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I ate some of the apples→*I didn't eat all of the apples*
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Conversational implicature

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(I ate all of the apples)
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*The cup is on the table→The cup is **in contact with** the table*

The theoretical challenge and intuition

roses and other flowers

roses and flowers

flowers



*What provides the division of these
alternatives' pragmatic labor (Horn, 1984)?*

roses

The theoretical challenge and intuition

R: the *roses* flower type **OF:** any other flower type

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roses and flowers

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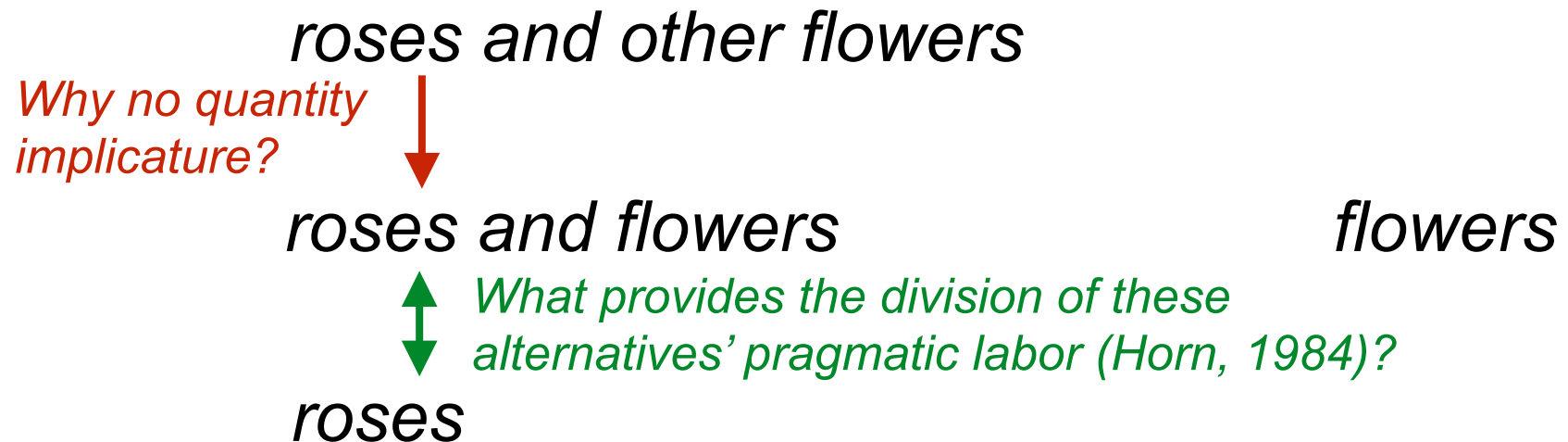
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 - So I'll interpret *roses and flowers* as a shortened form that means **R** $\sqcup$ **OF**.

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Assumptions:

- Speaker and listener beliefs represented as probability distributions over world states
- Joint communicative goal:
 - align the listener's beliefs with those of the speaker
 - but maintain brevity while doing so!
- Grammar and the literal meanings of words are common knowledge between speaker and listener
- Speaker and listener can recursively reason (probabilistically) about each other

Q-implicature in rational speech-act theory

I ate some of the apples → *I didn't eat all of the apples*

$$P_{Listener}^{(0)}(m|u, \mathcal{L}) \propto \mathcal{L}(m, u)P(m)$$

$$P_{Speaker}^{(n)}(u|m) \propto \left[P_{Listener}^{(n-1)}(m|u) e^{-c(u)} \right]^\lambda$$

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Diagram illustrating the components of the rational speech-act theory model:

- World state** (points to m)
- Utterance** (points to u)
- "Literal" lexicon** (points to $\mathcal{L}$)
- 0/1 filter function** (points to $\mathcal{L}(m, u)$)
- Prior expectations about world state** (points to $P(m)$)
- Utterance cost** (points to $-c(u)$)

$$P_{Listener}^{(0)}(m|u, \mathcal{L}) \propto \mathcal{L}(m, u) P(m)$$

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0/1 filter function

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Utterance cost

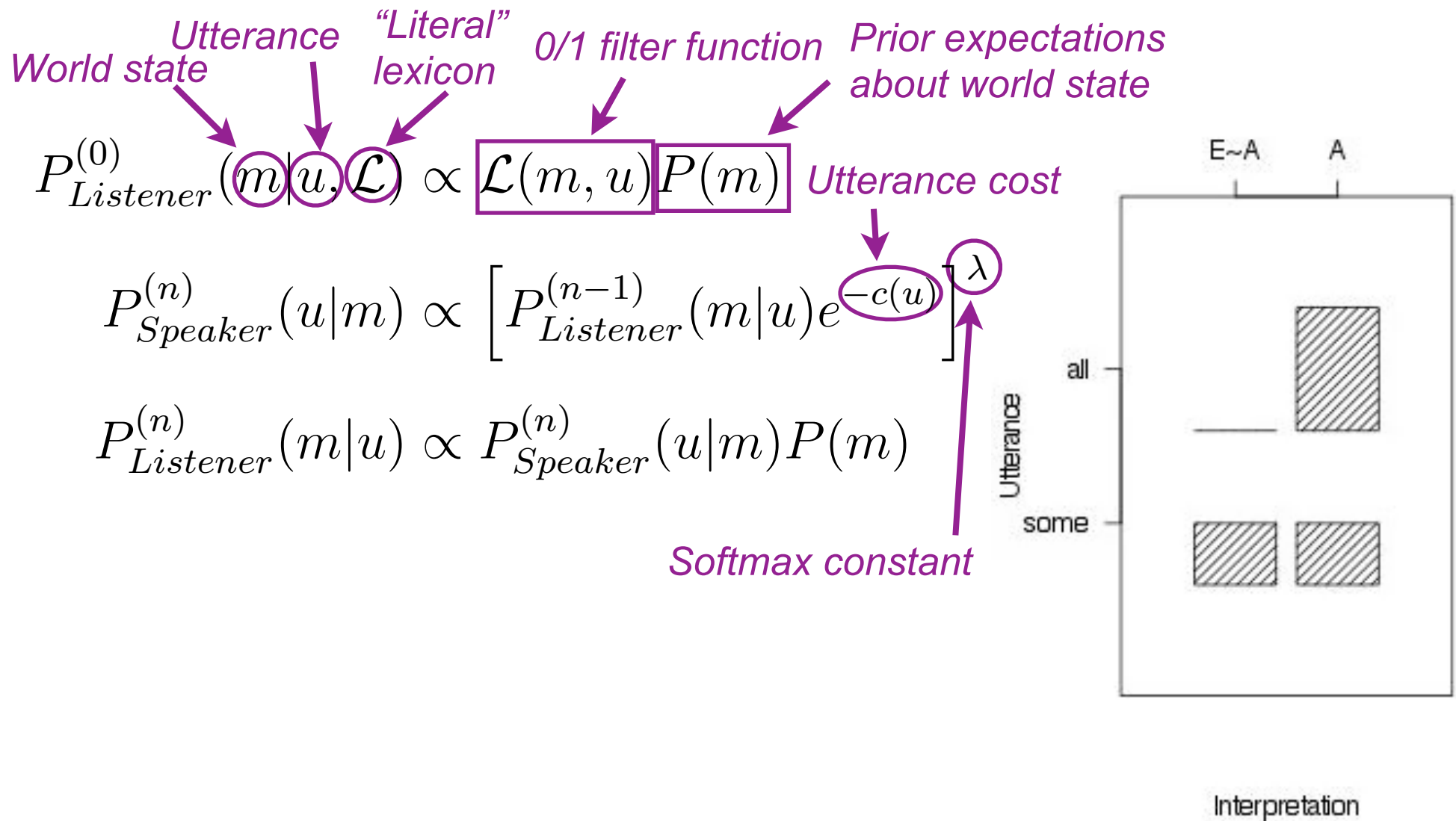
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Softmax constant

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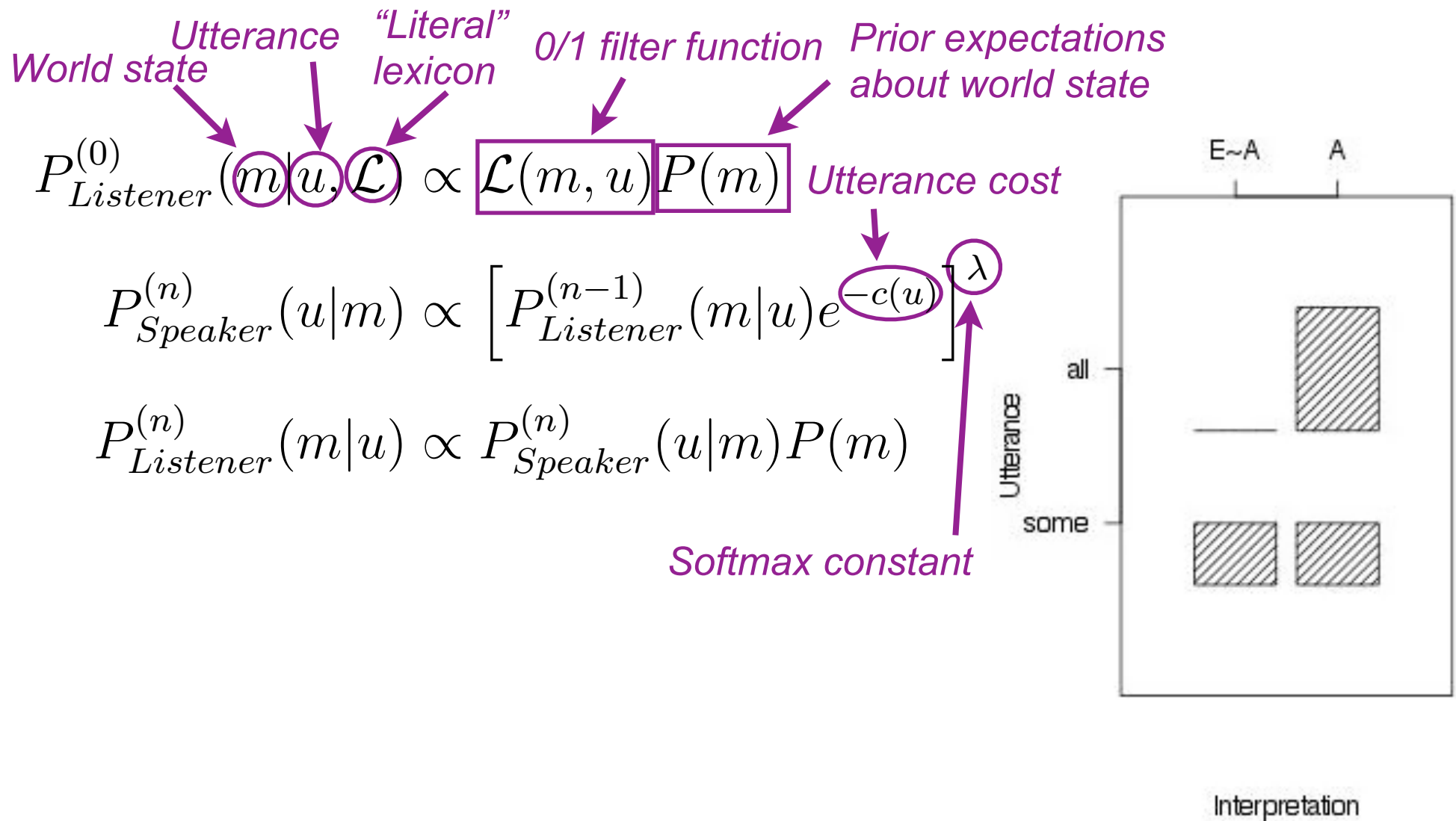
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Q-implicature in rational speech-act theory

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“Literal” listener

Q-implicature in rational speech-act theory

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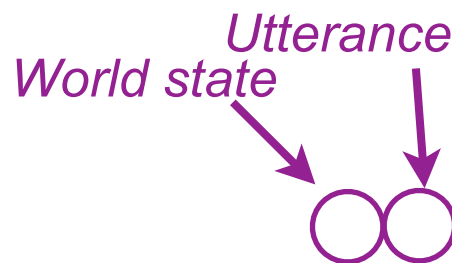
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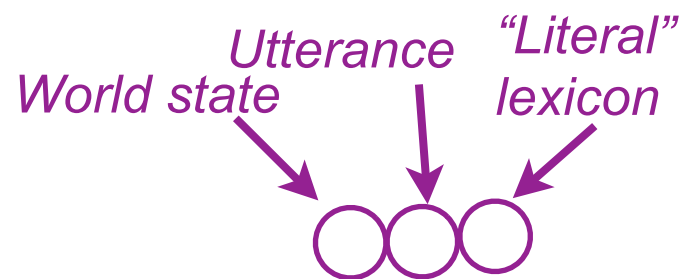
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Q-implicature in rational speech-act theory

*I ate **some** of the apples → I didn't eat **all** of the apples*



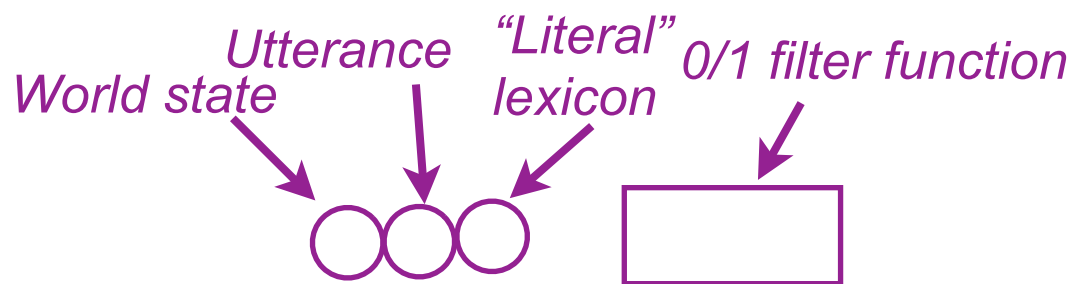
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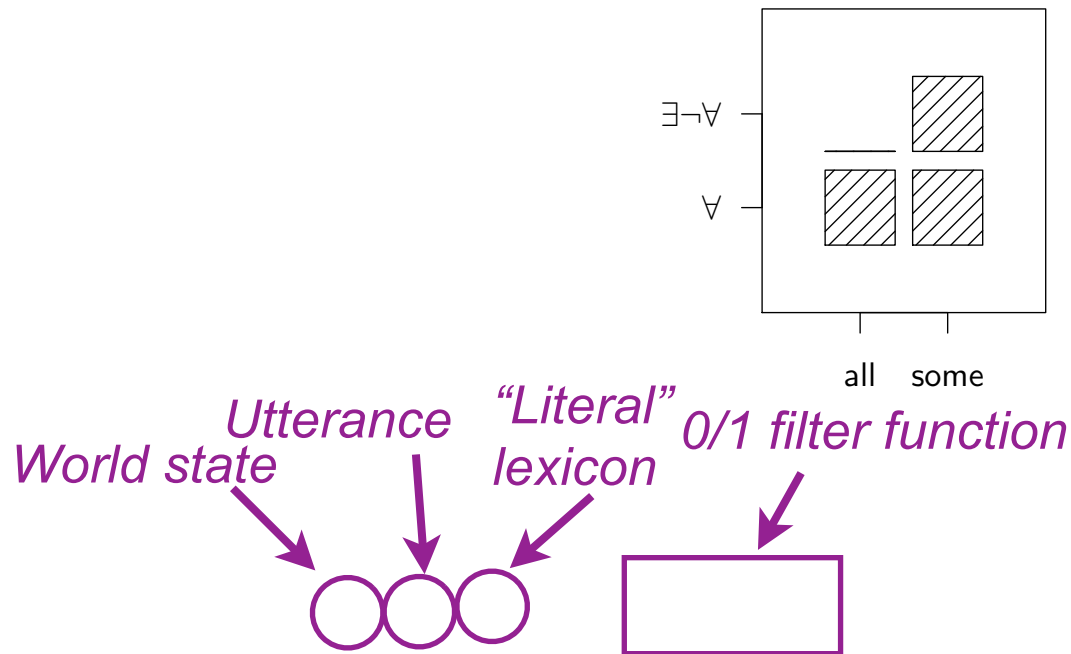


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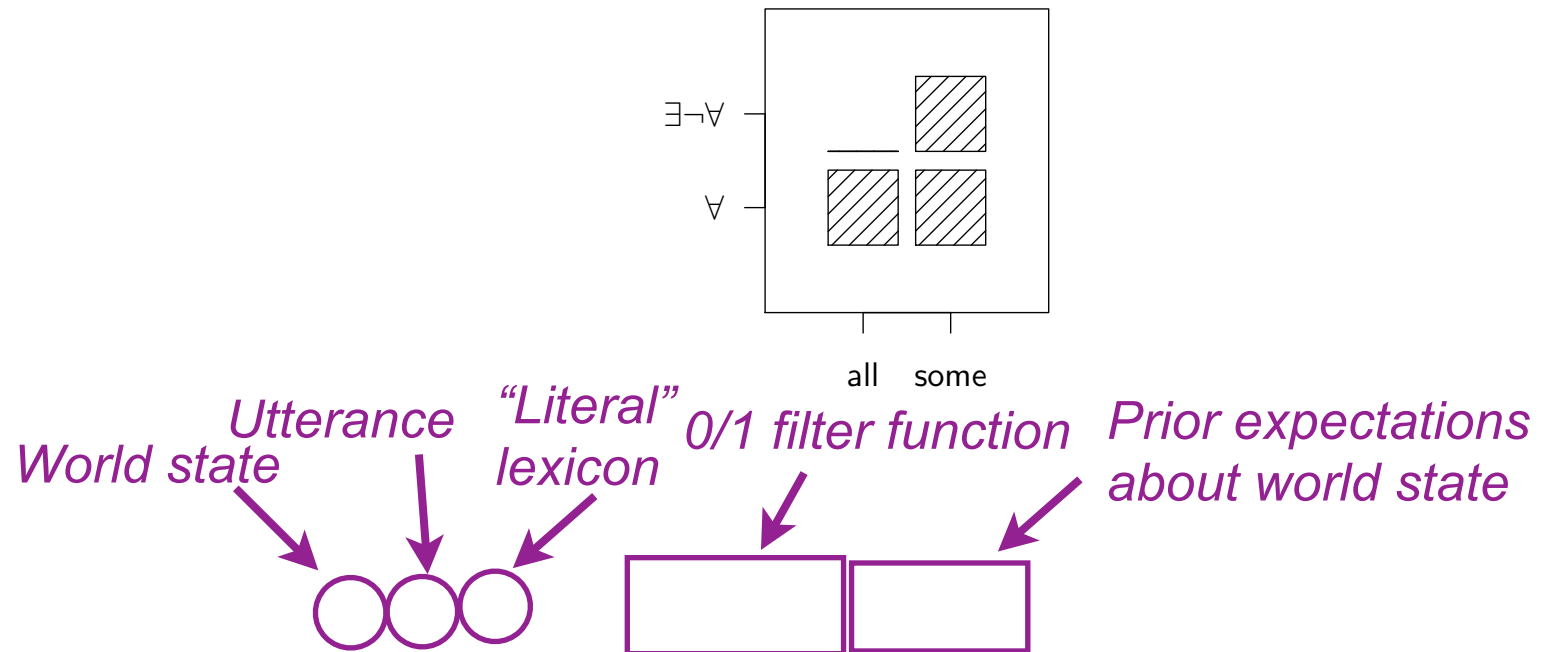


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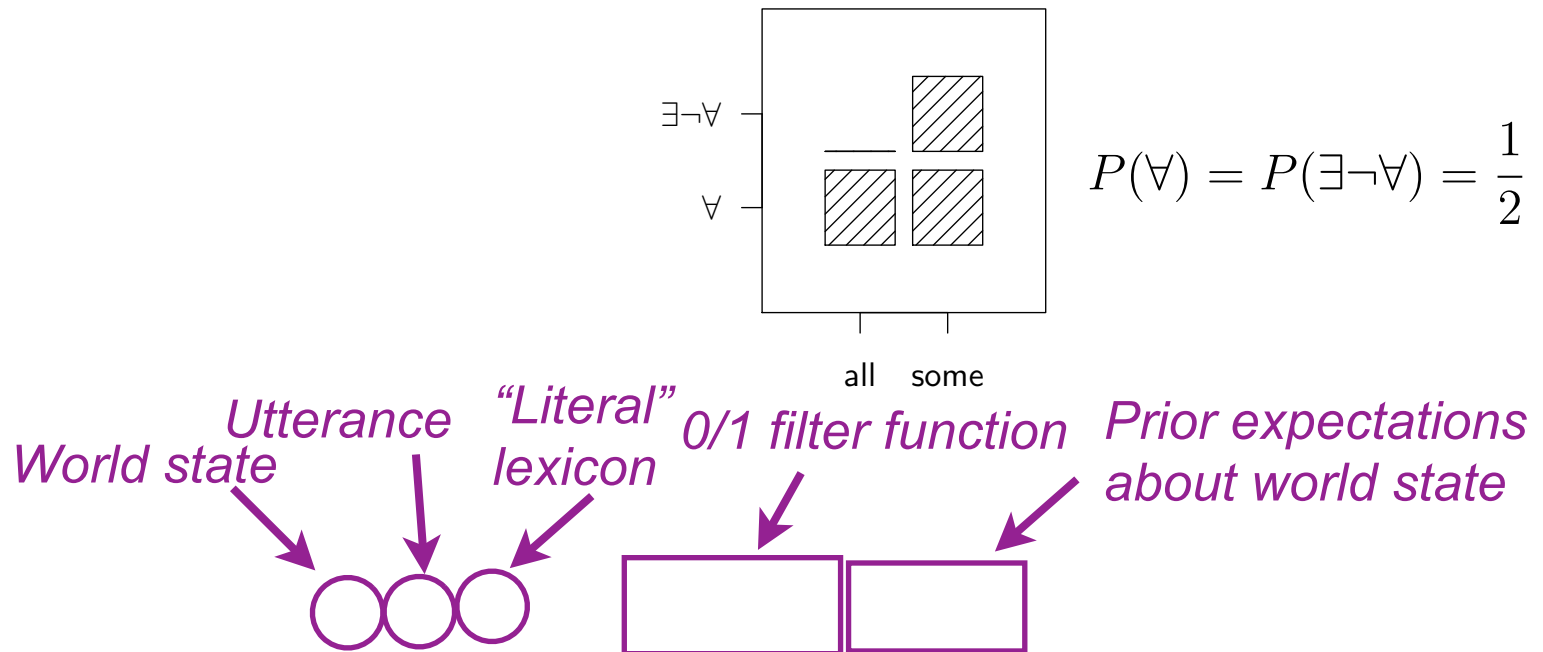


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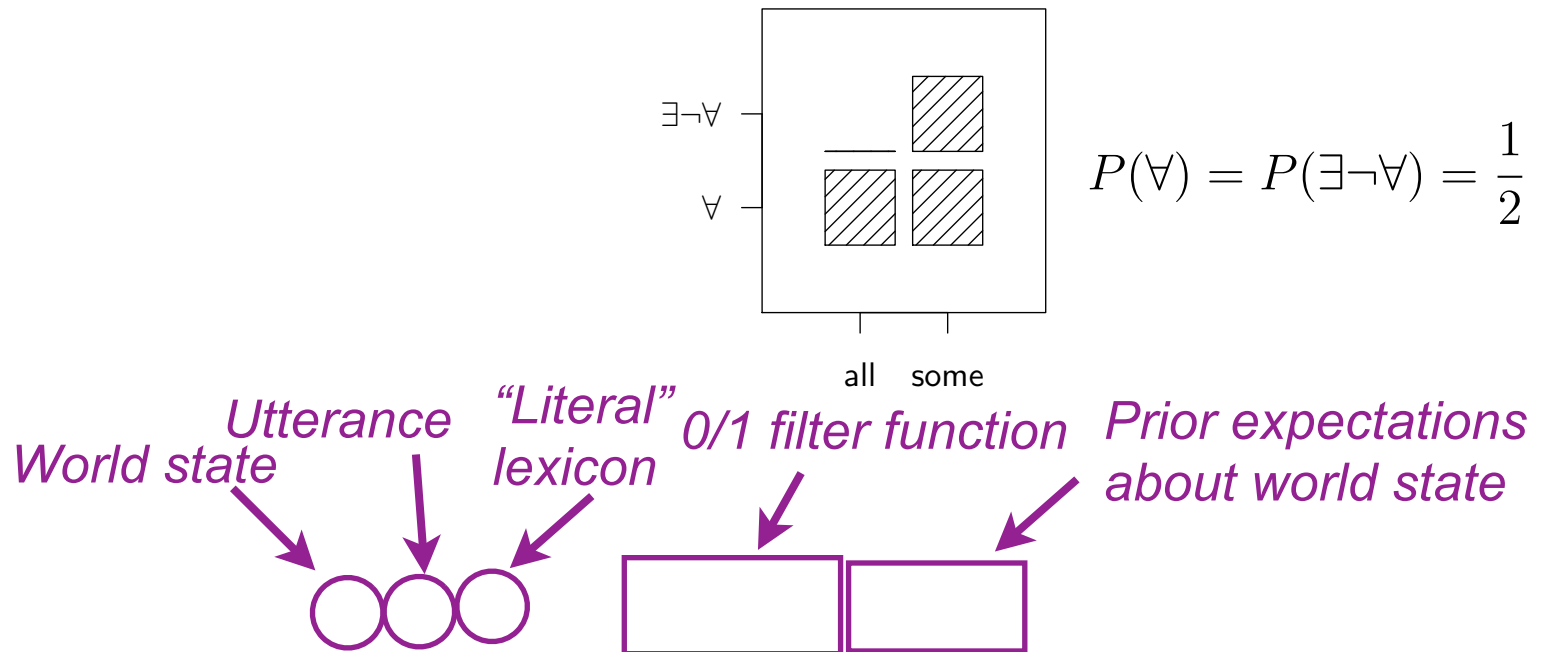


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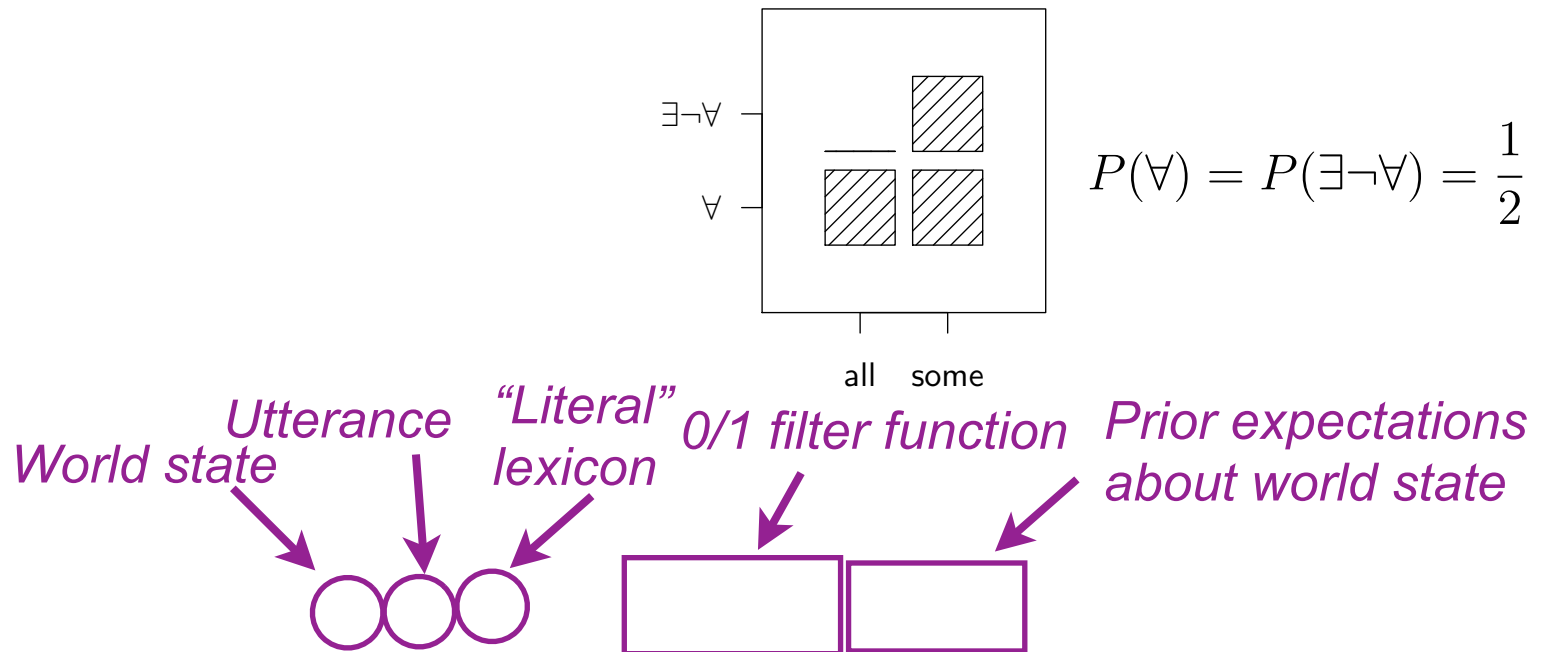


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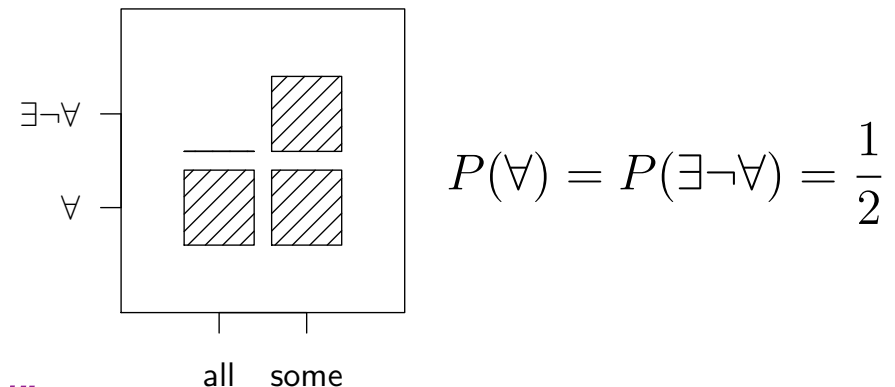


“Literal” listener



Q-implicature in rational speech-act theory

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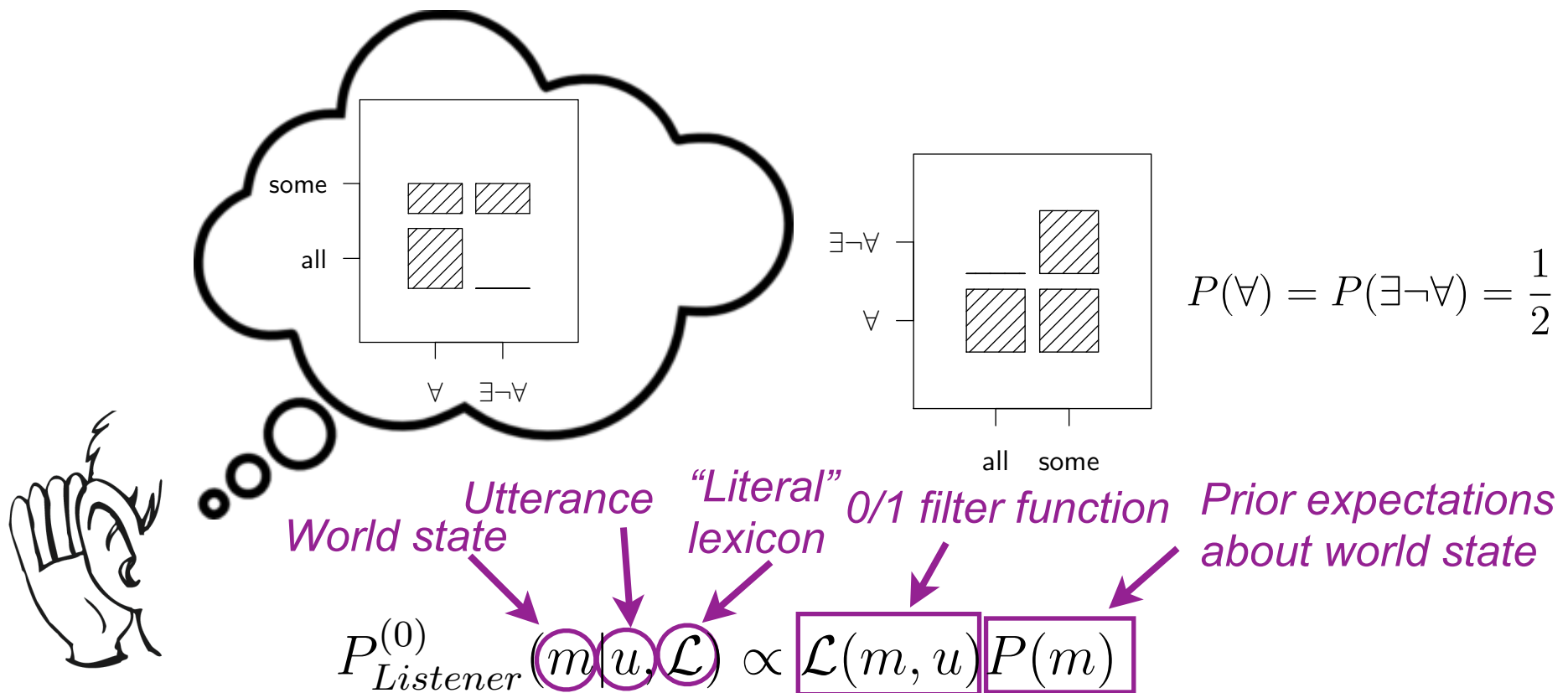
World state Utterance “Literal” lexicon 0/1 filter function Prior expectations about world state

$$P_{\text{Listener}}^{(0)}(m|u, \mathcal{L}) \propto \mathcal{L}(m, u) P(m)$$

“Literal” listener

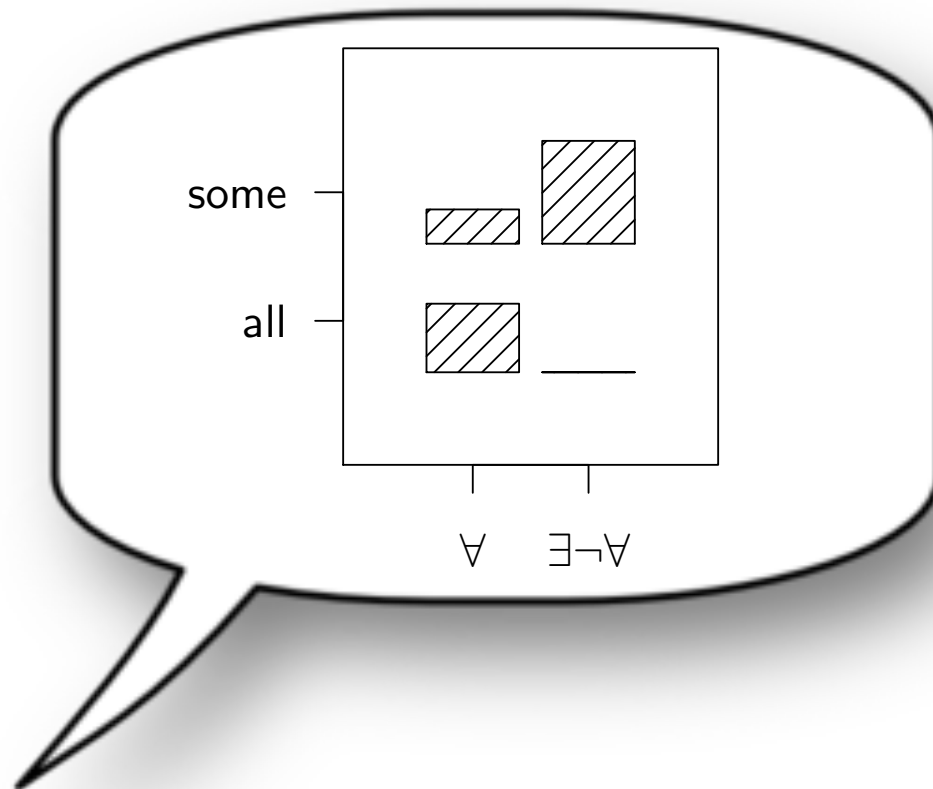
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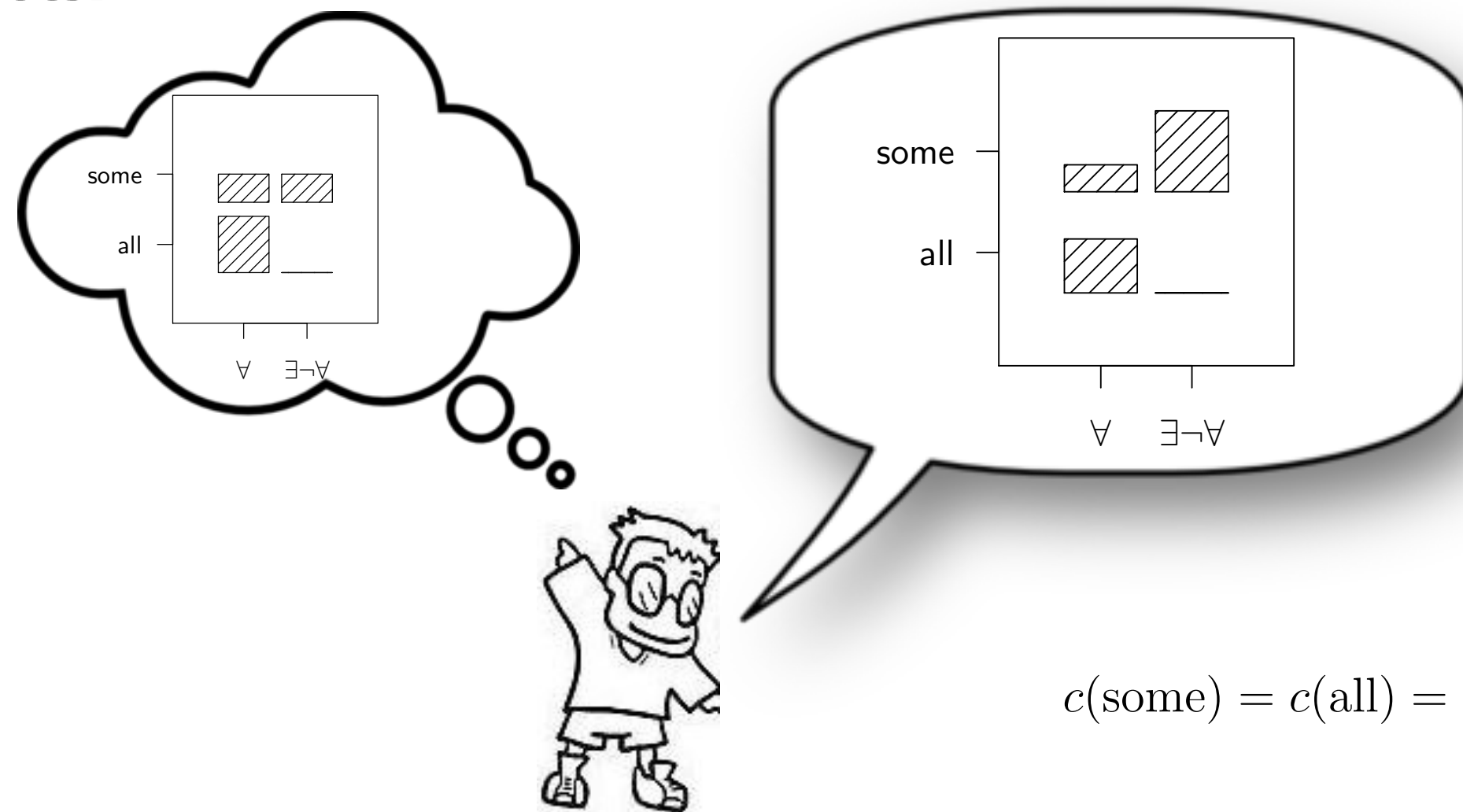
Speaking in RSA



$$c(\text{some}) = c(\text{all}) = 0$$

$$P_{\text{Speaker}}^{(1)}(u|m) \propto \left[P_{\text{Listener}}^{(0)}(m|u) e^{-c(u)} \right]^{\lambda} \quad \lambda = 1$$

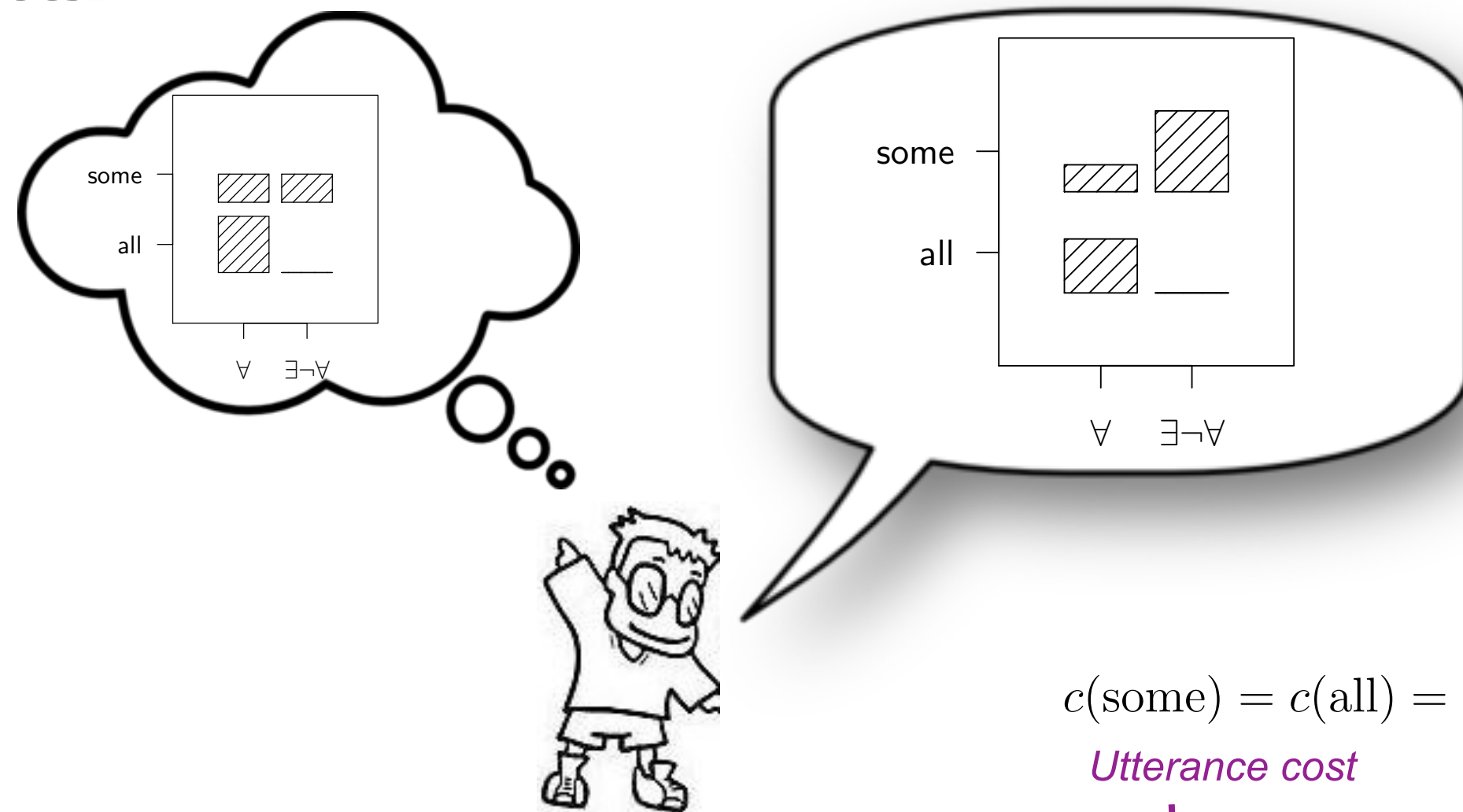
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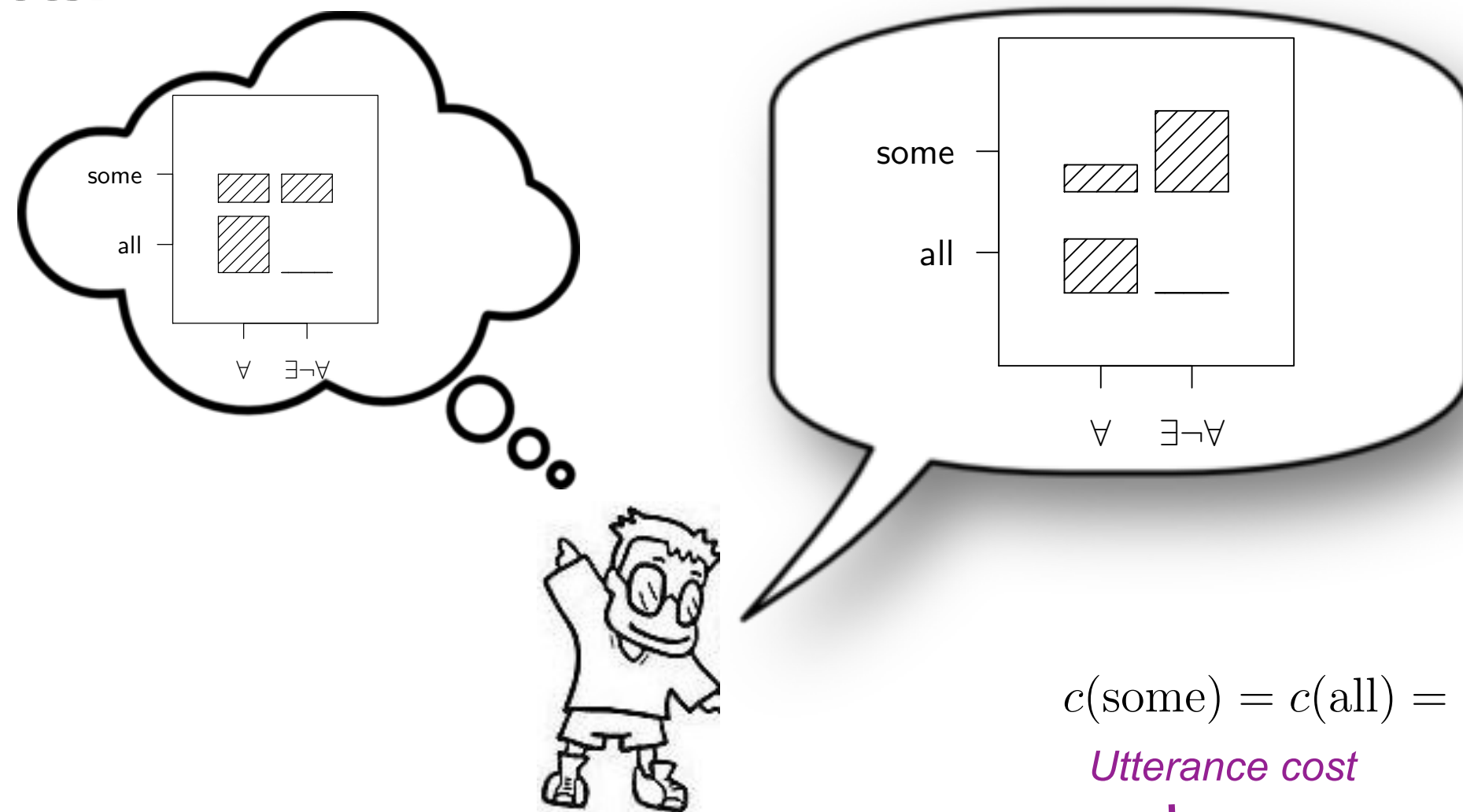


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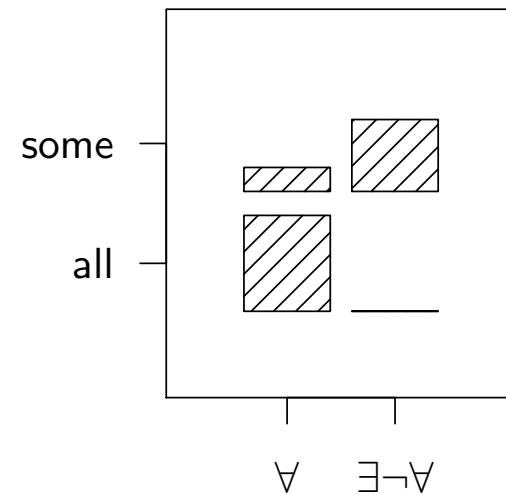
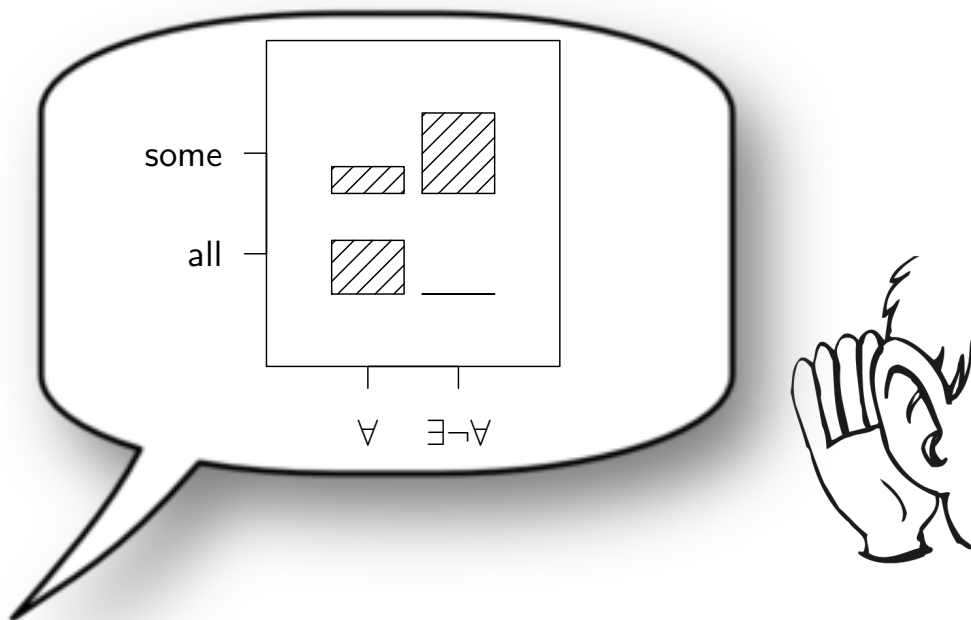
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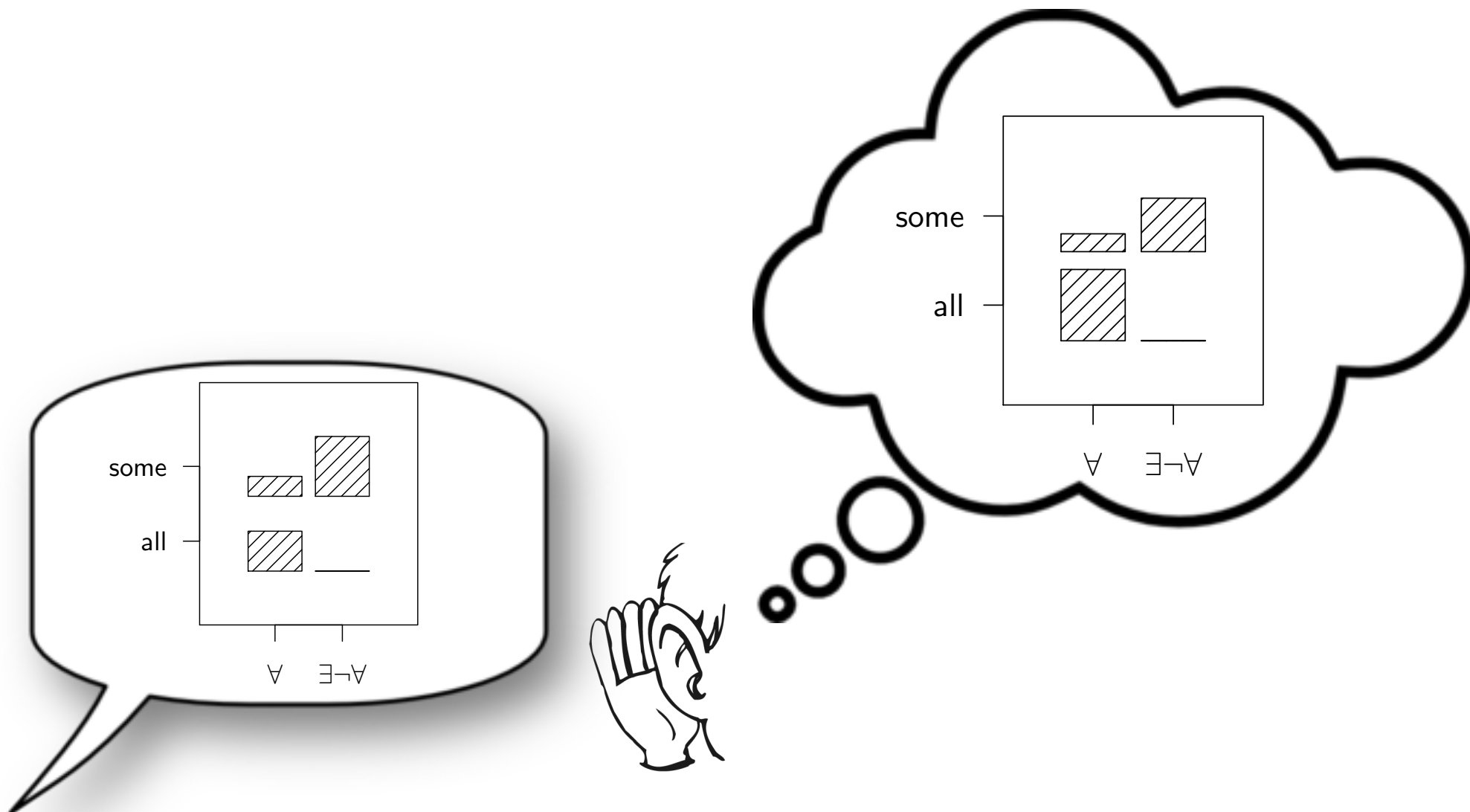
"Greedy optimality" parameter

The pragmatic listener



$$P_{Listener}^{(1)}(m|u) \propto P_{Speaker}^{(1)}(u|m)P(m)$$

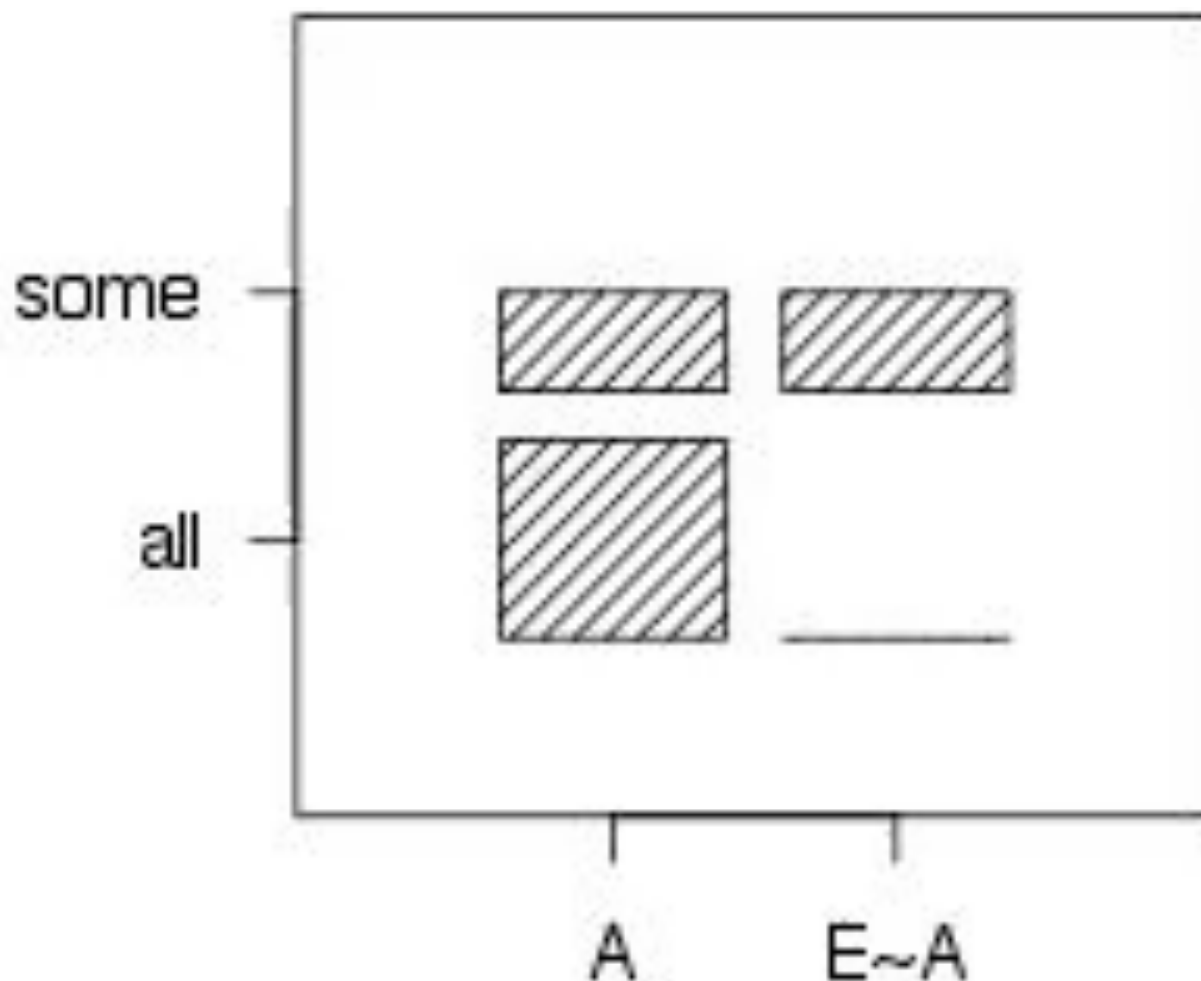
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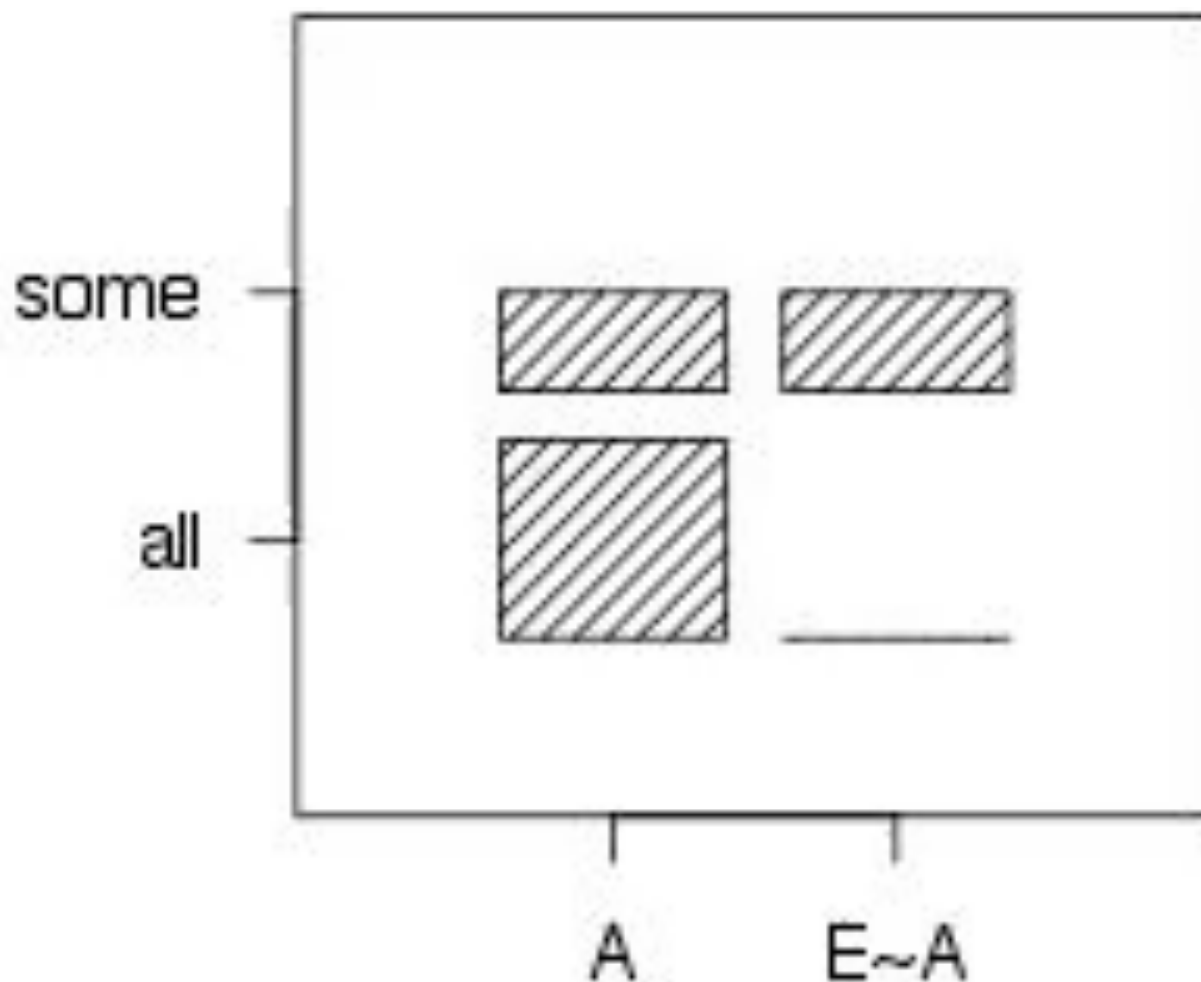
Speaker—listener recursion

- The process of recursion strengthens the implicature



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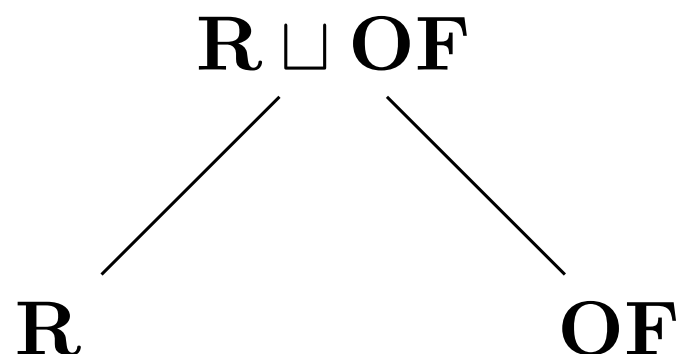
Other successes of RSA theory

- Basic Rational Speech Act theory's virtues:
 - Quantitative fit to human interpretations in simple communication games (Frank & Goodman, 2012)
 - Accounts for effect of speaker knowledgeability of world state on implicature (Goodman & Stühlmüller, 2013)
- More advanced variants can account for:
 - Simple cases of Horn's division of pragmatic labor (Bergen, Goodman, & Levy, 2012)
 - Vagueness and context-sensitivity of relative adjectives (Lassiter & Goodman, 2013)
 - Disjunctive expressions (Bergen, Levy, & Goodman, unpublished*)

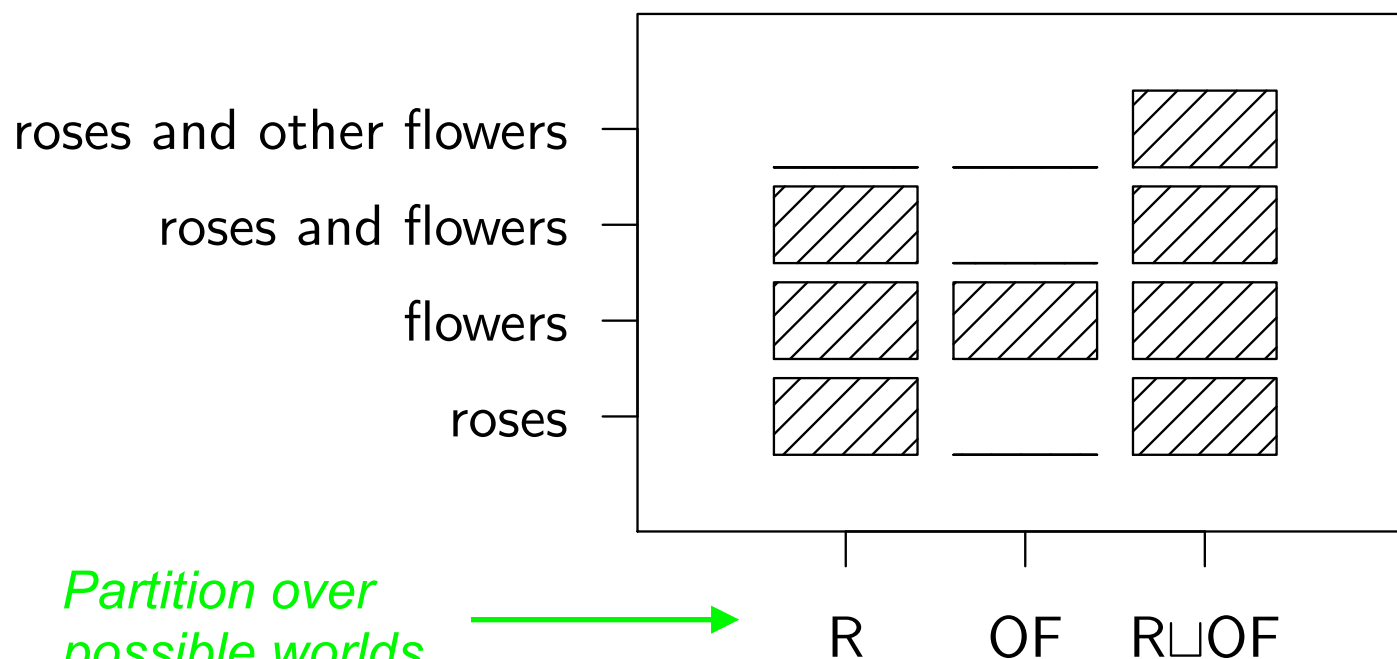
**Draft now available online!*

Basic RSA for *roses and flowers*

- We'll simplify to two flower "types":



- The corresponding lexicon:



Basic RSA for *roses and flowers*

- Basic RSA is unable to break the symmetry between *roses* and *roses and flowers* in the lexicon

$$P(R) = \frac{1}{3}$$

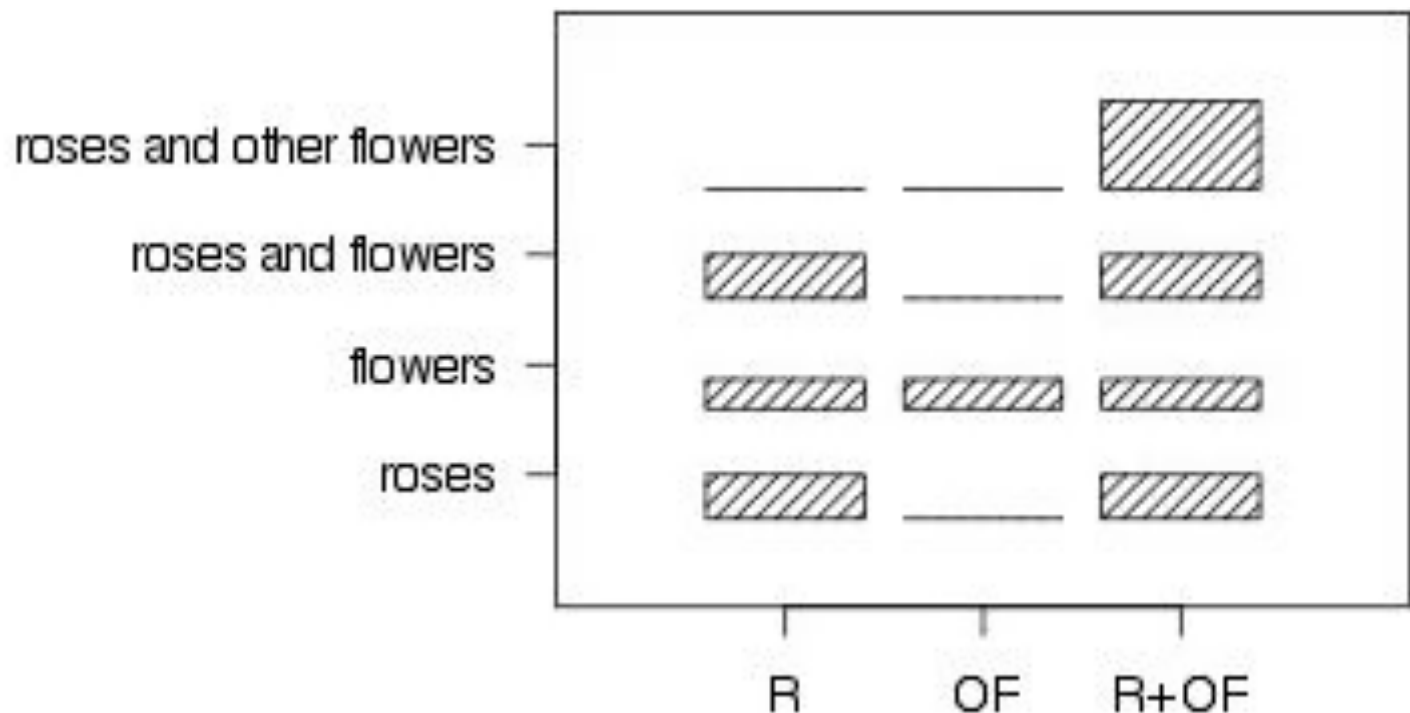
$$P(OF) = \frac{1}{3}$$

$$P(R \sqcup OF) = \frac{1}{3}$$

$$c(\text{roses}) = c(\text{flowers}) = 0$$

$$c(\text{roses and flowers}) = 0.1$$

$$c(\text{roses and other flowers}) = 0.15$$



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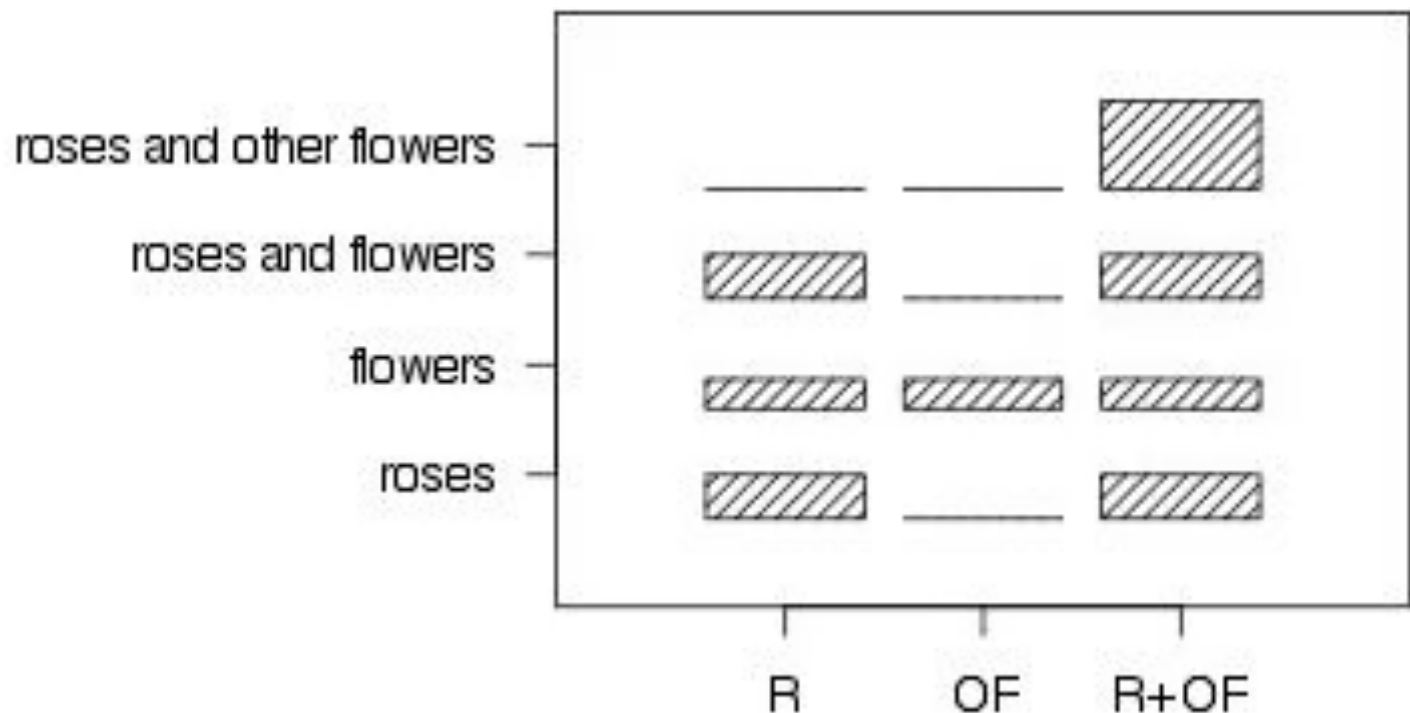
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Refined word meanings and compositionality

- But we can extend the formalism in two respects:
 - Allow a distinction between a word's *literal meaning* from its *context-specific refined meaning*



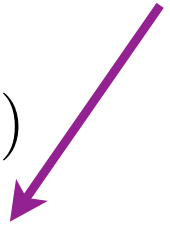
- Require that a word's context-specific refined meaning is preserved through semantic composition
- Bergen, Levy, and Goodman (unpublished) call this COMPOSITIONAL LEXICAL UNCERTAINTY

RSA with lexical uncertainty

$$\begin{aligned}P_{Listener}^{(0)}(m|u, \mathcal{L}) &\propto \mathcal{L}_u(m)P(m) \\P_{Speaker}^{(1)}(u|m, \mathcal{L}) &\propto \left[P_{Listener}^{(0)}(m|u, \mathcal{L})e^{-c(u)} \right]^\lambda \\P_{Listener}^{(1)}(m|u) &\propto P(m) \sum_{\mathcal{L}} P(\mathcal{L}) P_{Speaker}^{(1)}(u|m, \mathcal{L}) \\P_{Speaker}^{(n)}(m|u) &\propto \left[P_{Listener}^{(n-1)}(m|u)e^{-c(u)} \right]^\lambda & n > 1 \\P_{Listener}^{(n)}(m|u) &\propto P(m) P_{Speaker}^{(1)}(u|m) & n > 1\end{aligned}$$

RSA with lexical uncertainty

Speaker considers literal listener behavior for each set of possible lexical refinements


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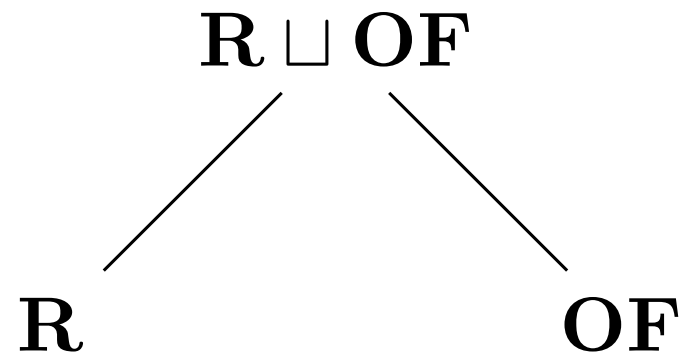
RSA with lexical uncertainty

Speaker considers literal listener behavior for each set of possible lexical refinements

Pragmatic listener marginalizes over possible lexical refinements

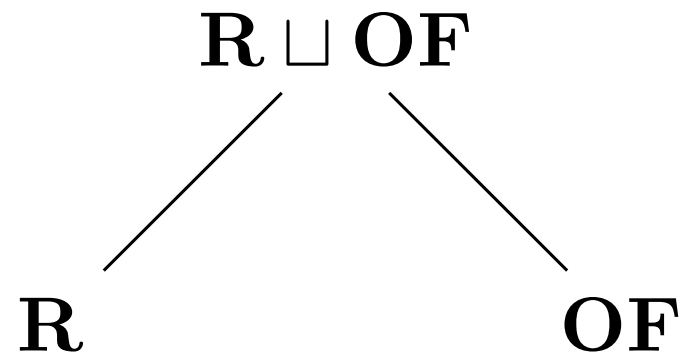
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Compositional lexical uncertainty



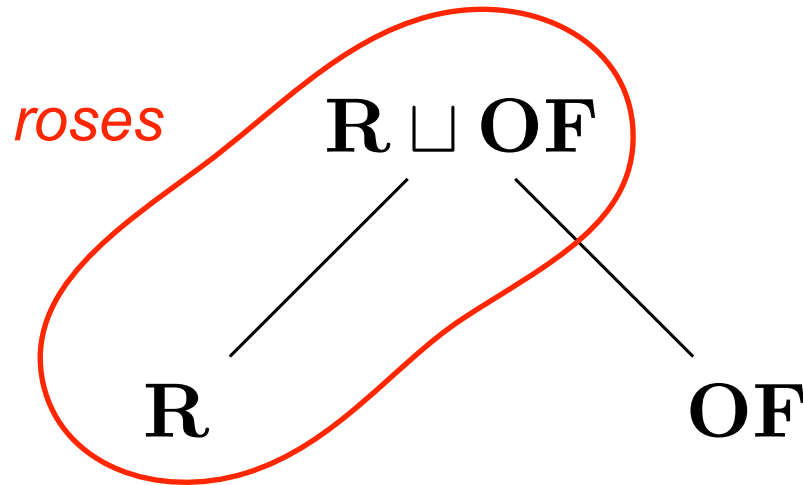
Compositional lexical uncertainty

- Let *roses*, *flowers*, and *other flowers* each be refinable to any upward-closed set on the lattice



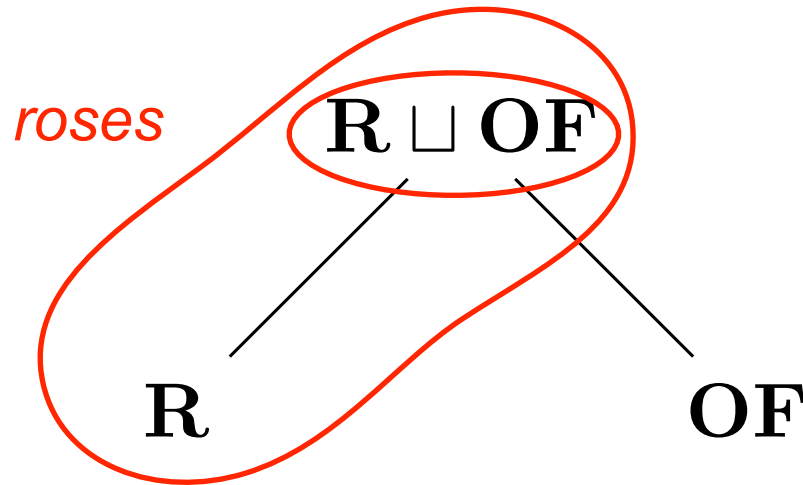
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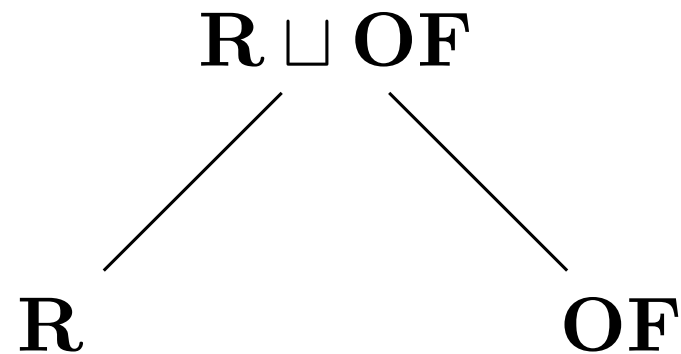
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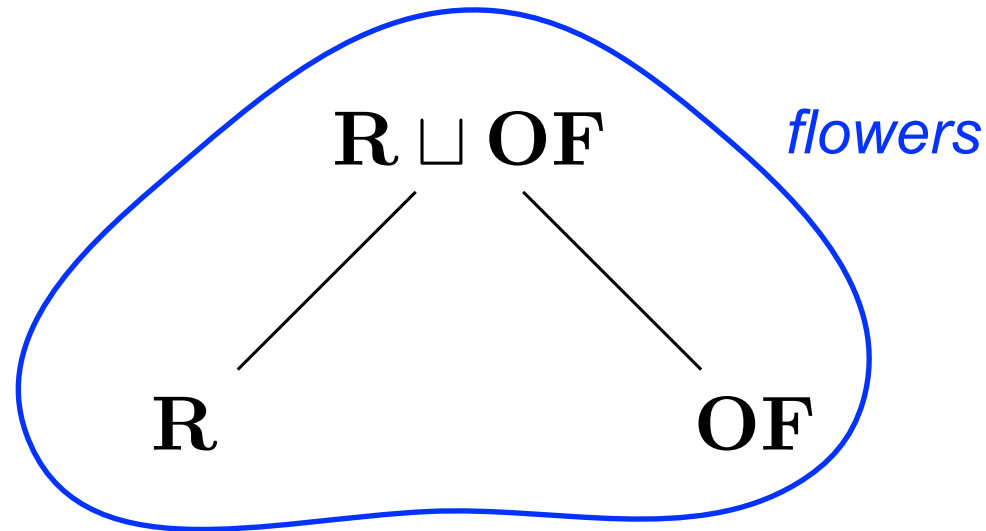
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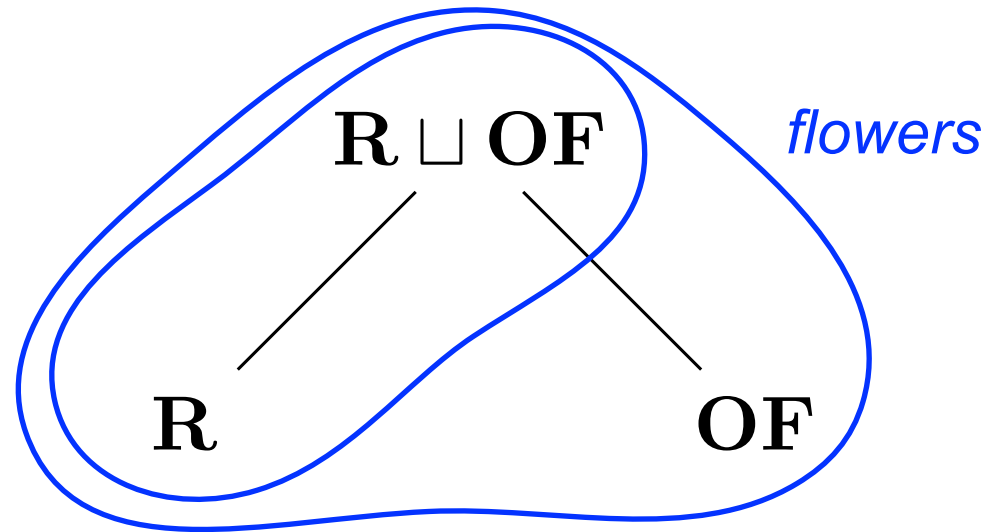
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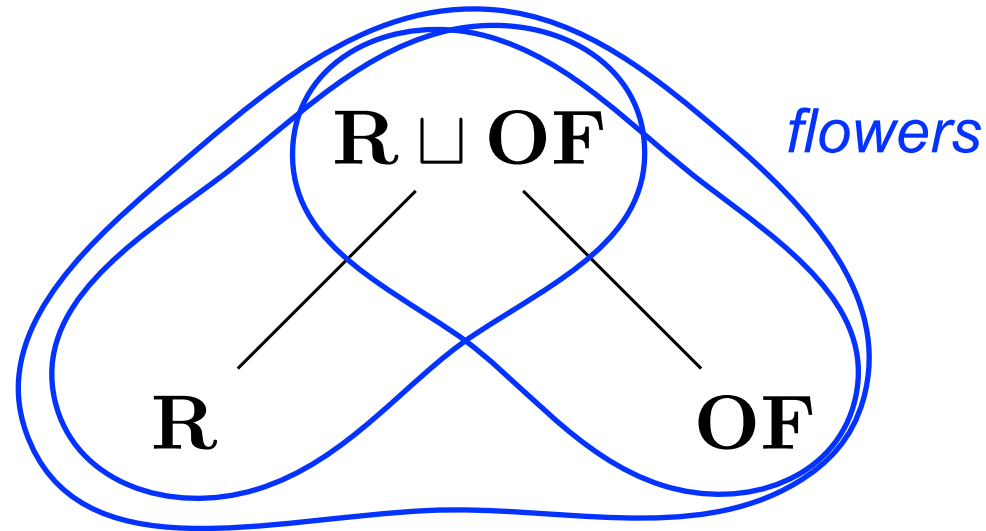
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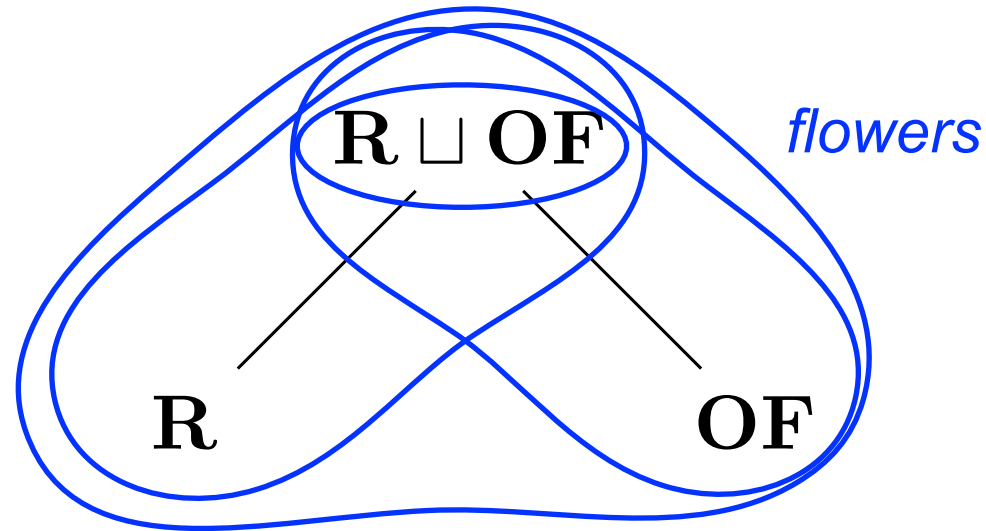
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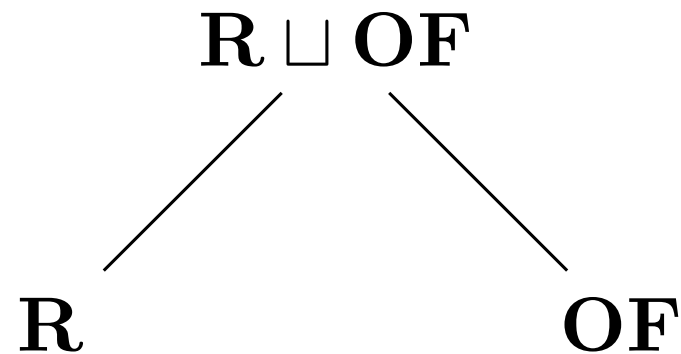
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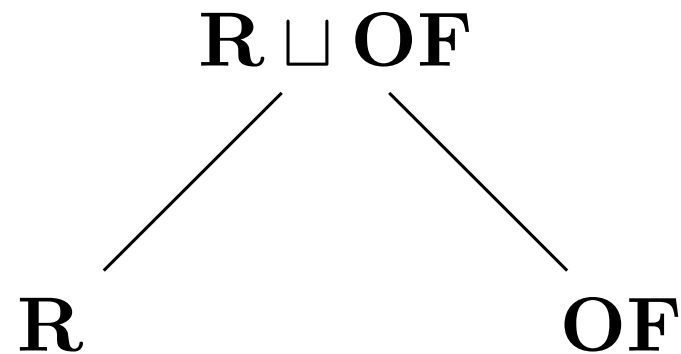
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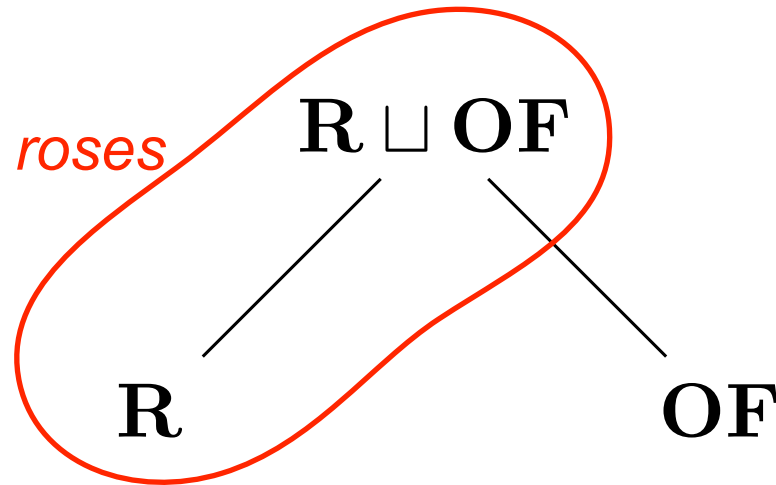


- Semantic composition for *and*:

$$M(X \text{ and } Y) = M(X) \cap M(Y)$$

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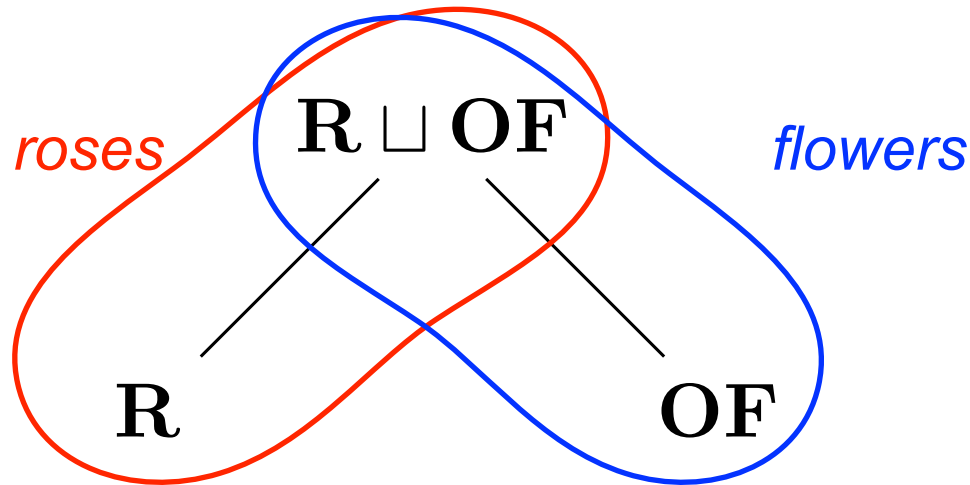


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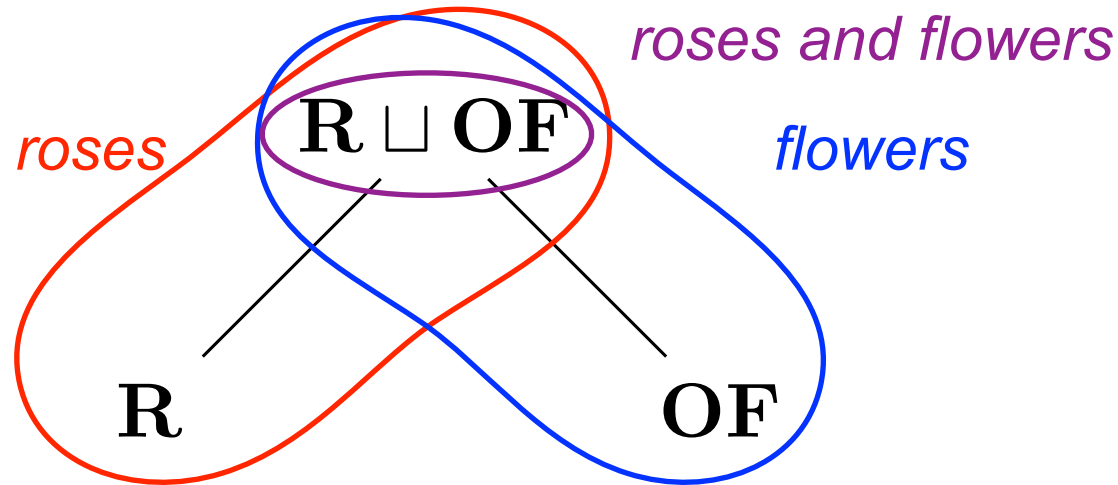


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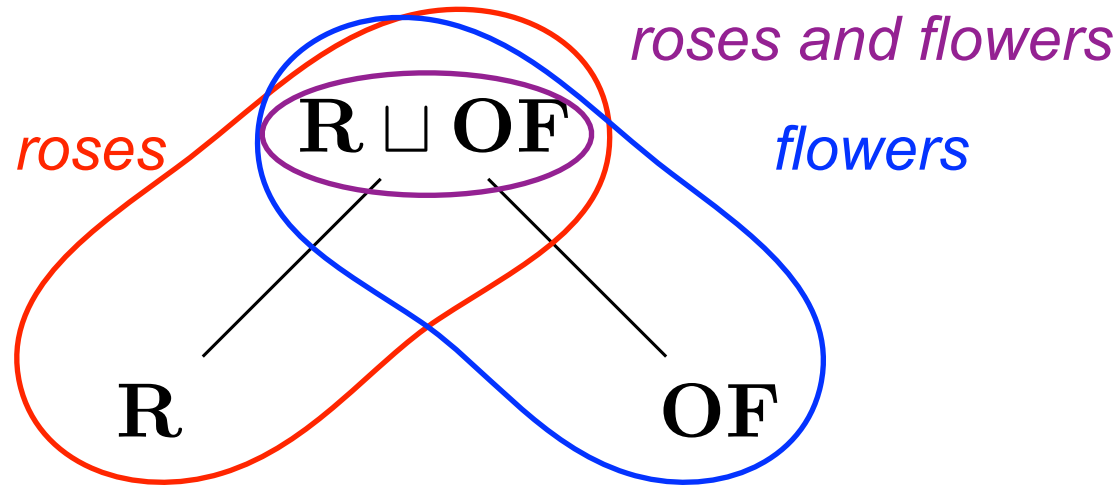


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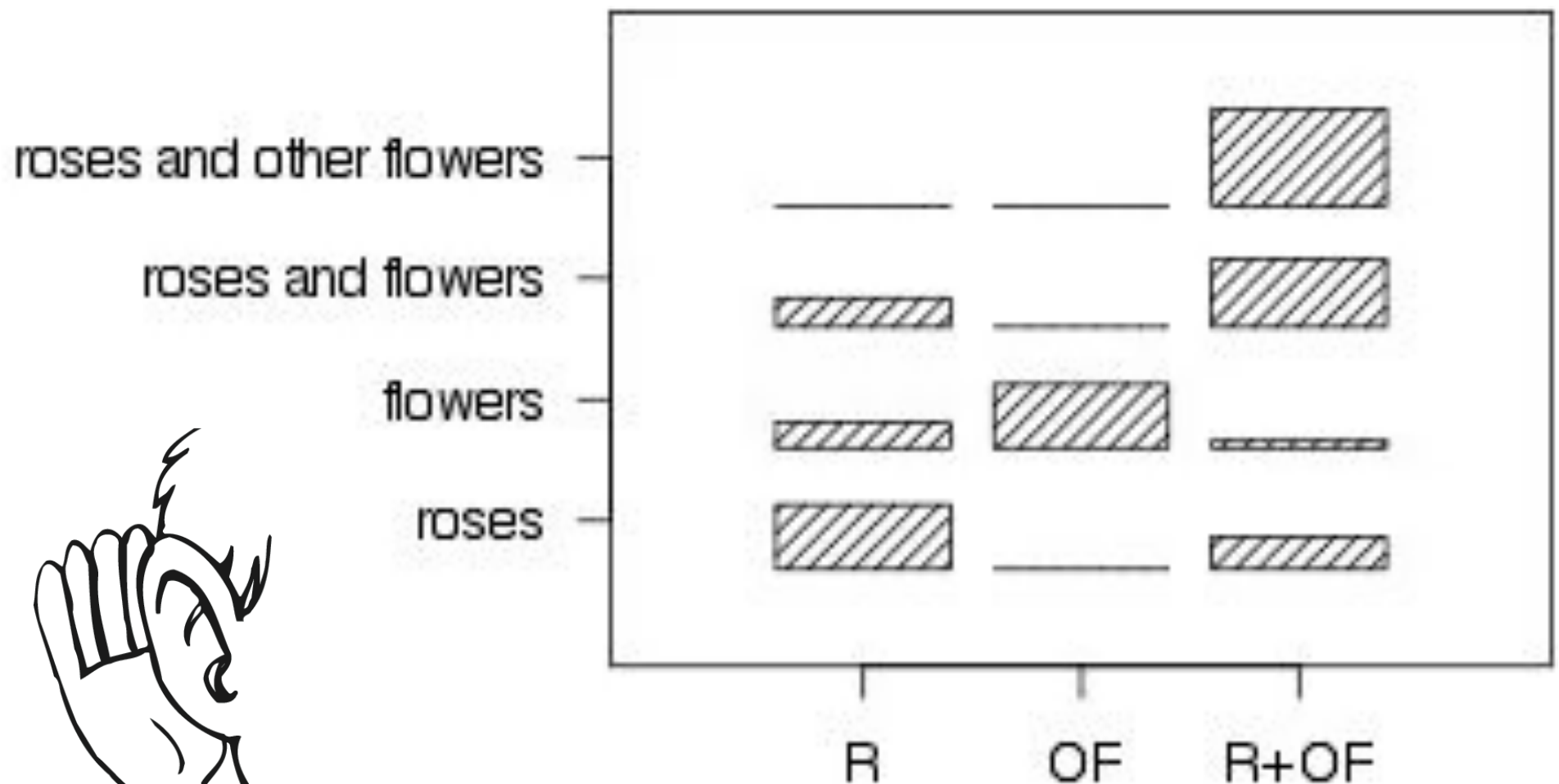


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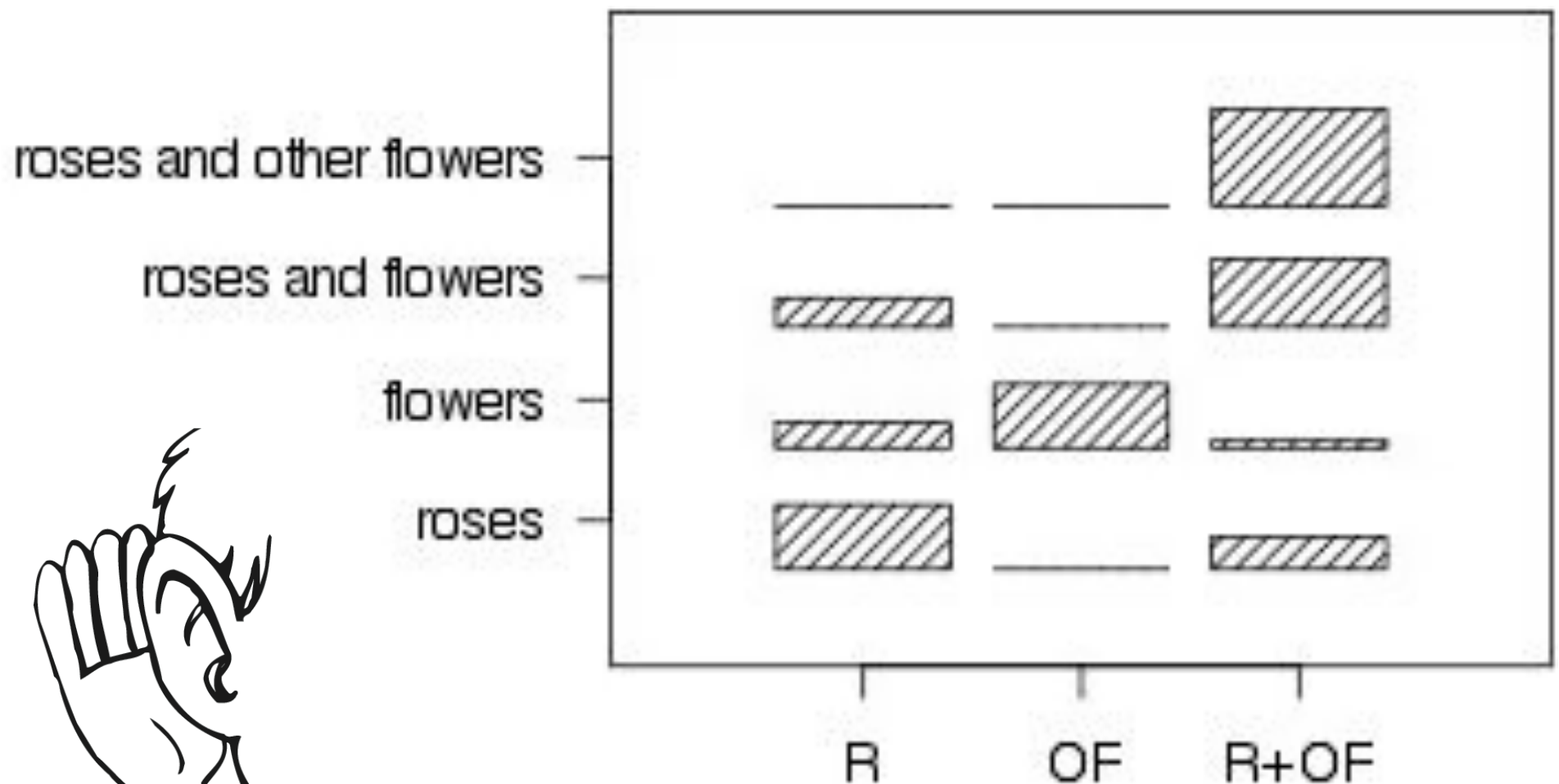
$$M(X \text{ and } Y) = M(X) \cap M(Y)$$

- Final constraints: every utterance in the alternative set must have a meaning, and every meaning must be expressible by some utterance

Pragmatic listening after lexical uncertainty



Pragmatic listening after lexical uncertainty



Why is this informativeness implicature?

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	R	OF	R&OF
roses and other flowers			
roses and flowers			
flowers			
roses			
roses and other flowers			
roses and flowers			
flowers			
roses			
roses and other flowers			
roses and flowers			
flowers			
roses			

Why is this informativeness implicature?

- There are many possible context-specific refinements available for *flowers*

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roses and other flowers			
roses and flowers			
flowers			
roses			
roses and other flowers			
roses and flowers			
flowers			
roses			
roses and other flowers			
roses and flowers			
flowers			
roses			

Why is this informativeness implicature?

- There are many possible context-specific refinements available for *flowers*
- Not all of them include **R**

	R	OF	R&OF
roses and other flowers			
roses and flowers			
flowers			
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roses			

Why is this informativeness implicature?

- There are many possible context-specific refinements available for *flowers*
- Not all of them include **R**
- This breaks the overall symmetry between *roses* and *roses and flowers*

	R	OF	R&OF
roses and other flowers			
roses and flowers			
flowers			
roses			
roses and other flowers			
roses and flowers			
flowers			
roses			
roses and other flowers			
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flowers			
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- There are many possible context-specific refinements available for *flowers*
- Not all of them include **R**
- This breaks the overall symmetry between *roses* and *roses and flowers*
- It also makes **R&OF** the “typical case” for *roses and flowers*

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flowers			
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flowers			
roses			
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flowers			
roses			

Why is this informativeness implicature?

- There are many possible context-specific refinements available for *flowers*
- Not all of them include **R**
- This breaks the overall symmetry between *roses* and *roses and flowers*
- It also makes **R&OF** the “typical case” for *roses and flowers*
- This and considerations of brevity overwhelm the pressure for Q-implicature from *roses and other flowers*

	R	OF	R&OF
roses and other flowers			
roses and flowers			
flowers			
roses			
roses and other flowers			
roses and flowers			
flowers			
roses			
roses and other flowers			
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Conclusion

- Discovered the *roses and flowers* construction
- Found out that it's been around for a while
- Found out that it is interpreted as *roses and other flowers*
- Showed why its literal semantics shouldn't mean that
- Showed how its interpretation can nevertheless be accounted for under a rational speech-act theory

Many thanks to...

- Funders:
 - National Science Foundation
 - Alfred P. Sloan Foundation
 - Center for Advanced Study in the Behavioral Sciences
- Previous feedback:
 - Gerhard Jäger
 - Dan Lassiter
 - Beth Levin
 - Stanley Peters
 - Chris Potts
 - Judith Tonhauser
- SALT organizers and reviewers
- All of you for listening!



Meet lattice for events

Meet lattice for events

